NAME:

1. [5] TRUE/FALSE: Circle T in each of the following cases if the statement is always true. Otherwise, circle F.

T $\quad \mathrm{F} \quad \frac{2}{b^{2}}+\frac{1}{b}=\frac{5}{b^{2}}$
T F The range of $y=x^{2}$ is $[0, \infty)$.
T F The graph of $y=-\frac{3}{7}(x+5)^{2}-3$ has a maximum at $x=5$.
T $\quad \mathrm{F} \quad(1-2 i)(4-i)=6-9 i$
T $\quad$ F $\quad \frac{-1}{3-i}=\frac{-3}{10}-\frac{1}{10} i$

Show your work for the following problems. The correct answer with no supporting work will receive NO credit.
2. [3] (WebHW3 \#22) Let $f$ be the function that associates the employee number $x$ of each employee of a c company with his or her annual salary $f(x)$ in dollars. Suppose each employee was awarded a $\$ 800$ across-the-board raise and then an additional $5 \%$ of his or her increased salary. Write a function that describes the new salary.
3. Let $f$ be the piece-wise defined function comprised a line and a parabola whose graph is below.
(a) Estimate the following if possible:
i. [1] (Quiz1 \#3) $f(4)$
ii. [1] (WebHW3 \#1) $(f+f)(4)$
iii. [1] $($ WebHW3 \#3) $(f \circ f)(4)$

iv. [1] (§1.1 \#50) the $y$-intercept
(b) [2] (Transformations Activity \#5) Estimate all possible $x$ such that $f(x)=2$.
(c) [5] (Quiz2 \#3d) Find the formula for $f$ in the indicated form:

$$
f(x)= \begin{cases} & \text { if } x<1 \\ & \text { if } 1<x\end{cases}
$$

(d) [3] (WebHW3 \#16) Graph $2 f(x)-1$.
4. Let $h$ be the function defined by: $h(x)= \begin{cases}\frac{1}{2} x-1 & -4 \leq x \leq 2 \\ -2 x+4 & 2<x<3\end{cases}$
(a) [1] (FunctionActivity\#1a) Find $h(1)$
(b) [1] (WebHW1 \#13) What is the domain of $h$ ?

(c) [4] (WebHW2 \#12)

Graph $h$ on the axes.

|  |  |  |  | -3 |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  |  |  |  | -4 |  |  |  |  |  |

(d) [2] (LineActivity \#13)

What angle is made by the graph at $x=2$ ? Justify your answer.
5. (PracitceExam \#9) Let the domain of $f$ be undergraduate majors and $f(x)$ be the median annual earnings of people with the the undergraduate major $x$.
(a) [2] Is $f$ a function? Why or why not?

(b) [2] Some data of $f$ is shown in the graph on the right, what is $f$ (Psychology) and what does it mean?
6. Let $\alpha(x)=\frac{1}{x-1}$ and $\beta(x)=2 x+5$. Both $\alpha$ and $\beta$ have inverses that exist.
(a) [3] (§1.3 \#32) Find $\alpha(x+h)-\alpha(x)$ and simplify.
(b) [2] (InverseActivity \#2) Identify a point (any point will do!) on the graph of $\alpha^{-1}(x)$ and explain how you know.
(c) $[3](\S 1.7 \# 78)$ Find the algebraic rule/expression for $\alpha^{-1}(x)$.
7. [3] Find the real or complex solutions to $\frac{2}{3}(x-1)^{2}+\frac{5}{4}=0$.
8. Choose $O N E$ of the following. Clearly identify which of the two you are answering and what work you want to be considered for credit.
No, doing both questions will not earn you extra credit.
(a) You have 8 oz of mocha that is $10 \%$ espresso sitting in a 16 oz cup.
i. [3] Write a rational expression in $x$ whose values give the percentage (in decimal form) of espresso in the cup when $x$ oz of espresso are added to it.
ii. [2] Find the domain of the function in part i.
(b) (WordWks \#11) Princess Leia is in this course and curious about her marks now that she's taken two exams. She has looked at the gradebook on MyMathLab and has computed the averages listed below. The weights specified in the syllabus and the graph of the function $f$ that takes your class percentage $x$ and returns your score on a 4. scale are also provided.
Assume Leia's work does not drastically change in the remaining 3 weeks and her averages remain about the same.
i. [3] Find a function that provides her overall course percentage as a function of her final exam score.
ii. [2] What minimum grade does she need to get on the final to receive a 4.0 in the course?
weight Leia's ave


