

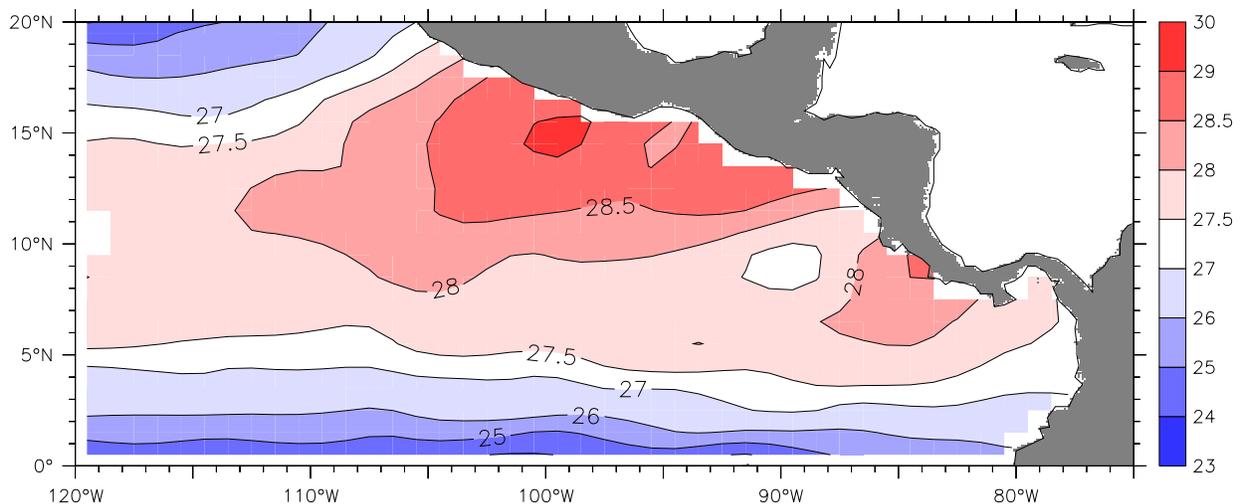
# Mean three-dimensional circulation in the NE tropical Pacific

Kessler, 2002. JPO, 32, 2457-2471.

---

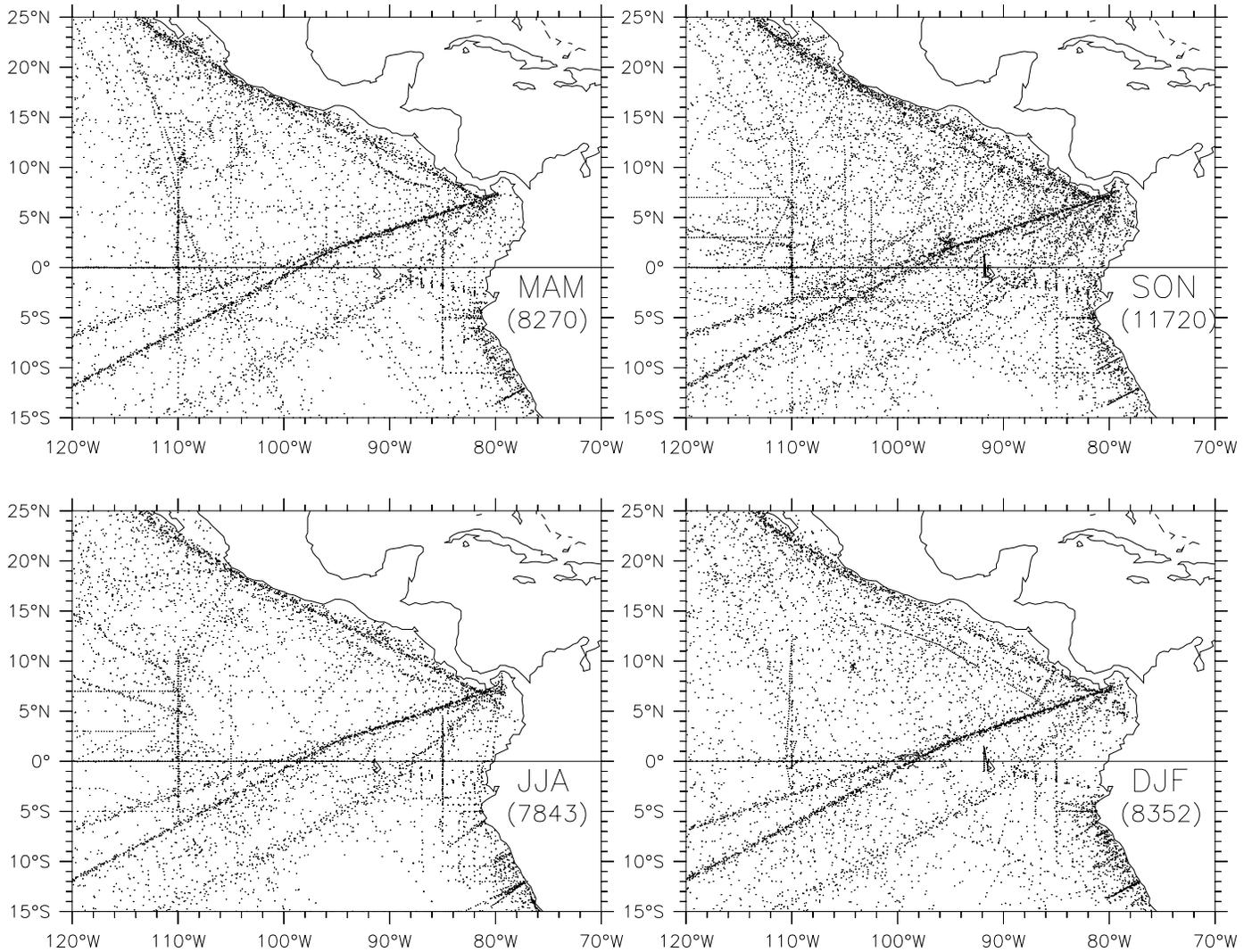
- Use XBT data and Quikscat winds to diagnose the mean circulation.
- Unlike the familiar central Pacific, winds in this region are dominated by easterly jets through three gaps in the mountains. These produce a pattern of curl that is quite different from that further west, and imprint on the circulation.
- The interconnections among the well-known zonal currents of the central Pacific are complicated and three-dimensional.

SST in the East Pacific Warm Pool



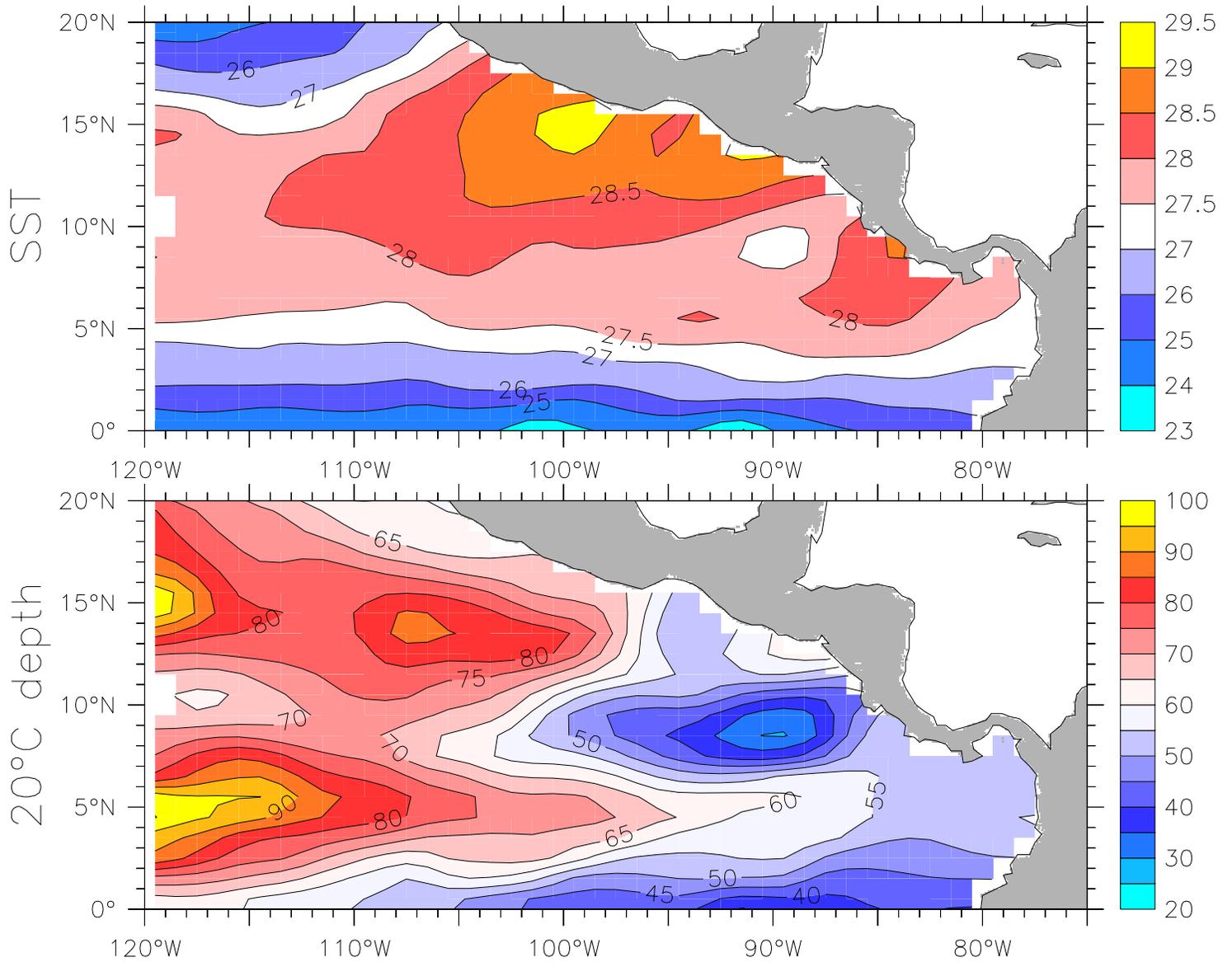
# Seasonal profile distribution in the AOML XBT data set

Total 36185 profiles



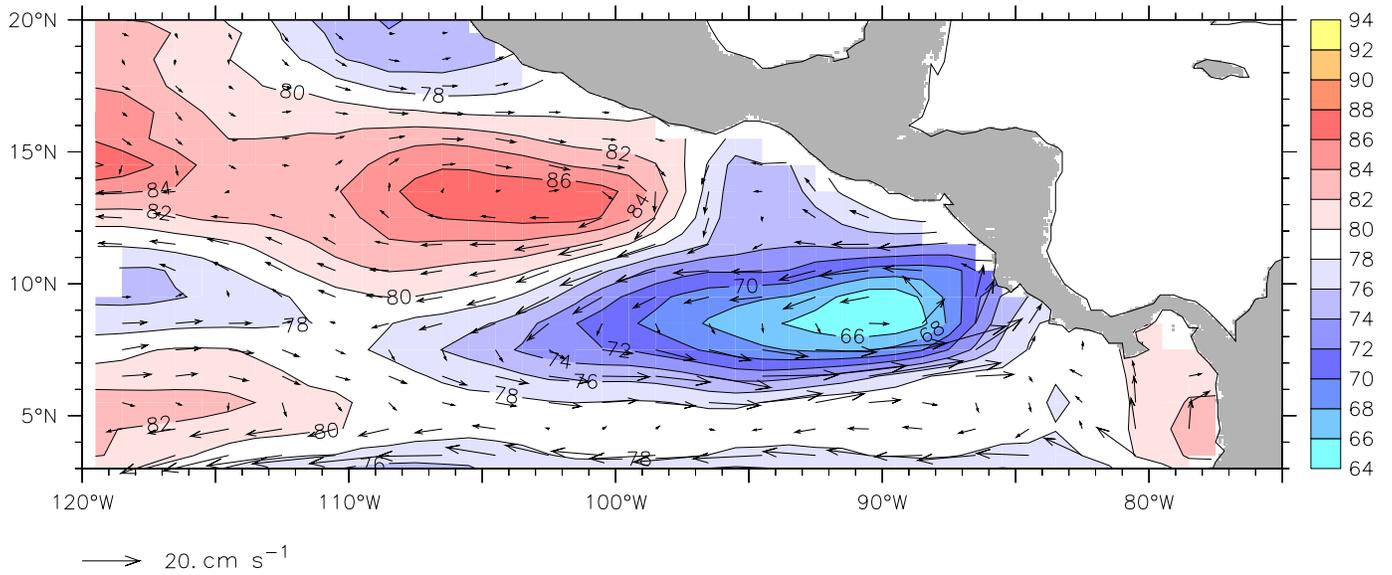
# Mean SST and 20°C depth

AOML XBT data set



# Mean 0/300m DH and Geostrophic Currents

AOML XBT data set



# Dynamics

Assume steady linear flow in Sverdrup balance:

$$\beta V = \text{Curl}(\tau)$$

Decomposing the meridional velocity into Ekman and geostrophic parts, and noting that  $\text{Curl}(\tau/f) \equiv \text{Curl}(\tau)/f + \beta \tau^x/f^2$ , allows rewriting the Sverdrup balance as

$$\frac{\beta}{f} V_g = \text{Curl}(\tau/f)$$

The geostrophic term on the left can be evaluated from the observed ocean data, and the term on the right from the observed winds.

The stretching of water columns due to meridional motion

$$f \frac{\partial w}{\partial z} = \beta v_g$$

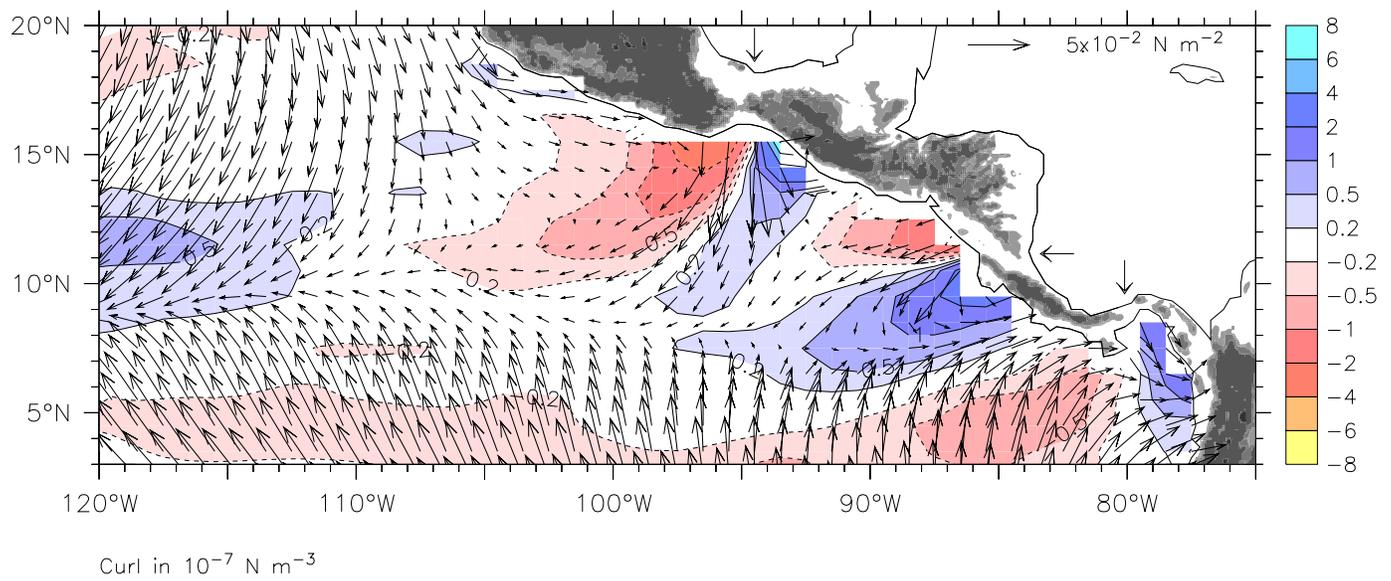
is balanced by the stretching due to Ekman pumping  $w_E = \text{Curl}(\tau/f)$ .

An indefinite integral, using the observed  $v_g$  from the XBT data, gives the vertical profile

$$w(z) = \frac{\beta}{f} \int_{-D}^z v_g dz$$

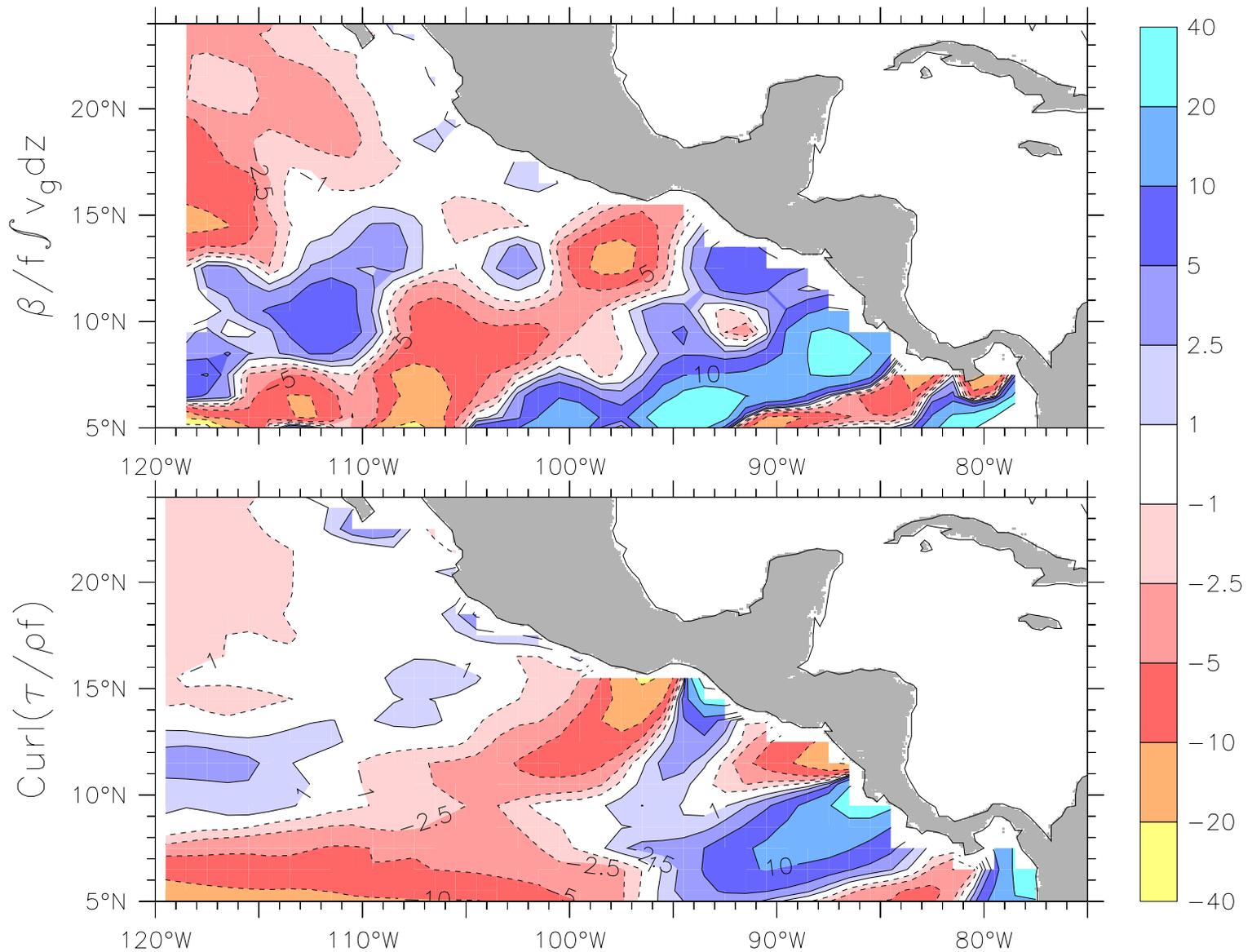
# Mean Curl and Vector Wind Stress

Quikscat winds (Aug 1999 – Aug 2000)



# Sverdrup Balance: $\beta/f \int v_g dz = \text{Curl}(\tau/\rho f)$

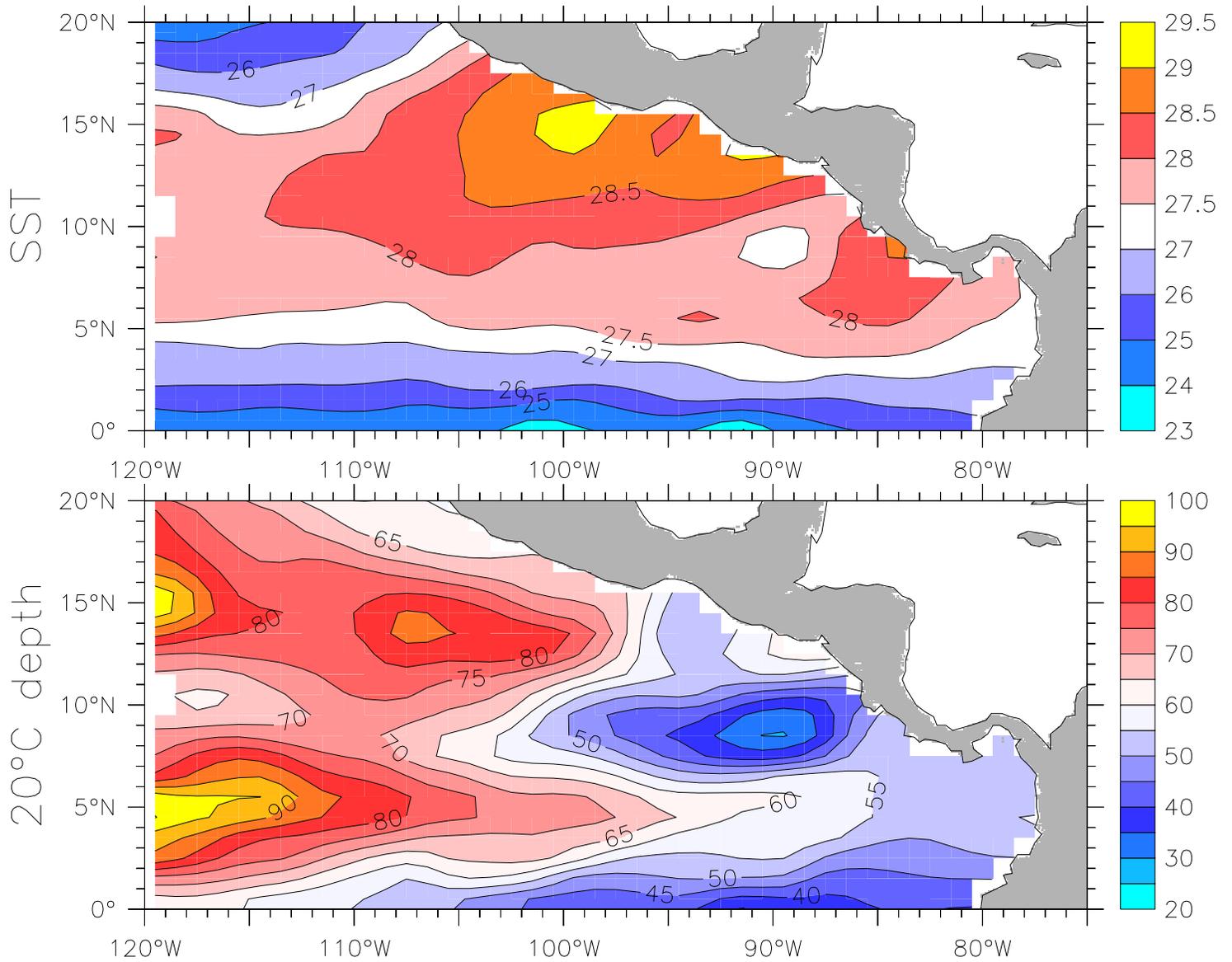
$v_g$  = XBT geostrophy. Curl = Quikscat winds



$\int v_g dz$ : 0:450m. Quikscat winds:  $4^\circ \times 1^\circ \times 1$  month (8/99–8/00). Units:  $\text{m mon}^{-1}$

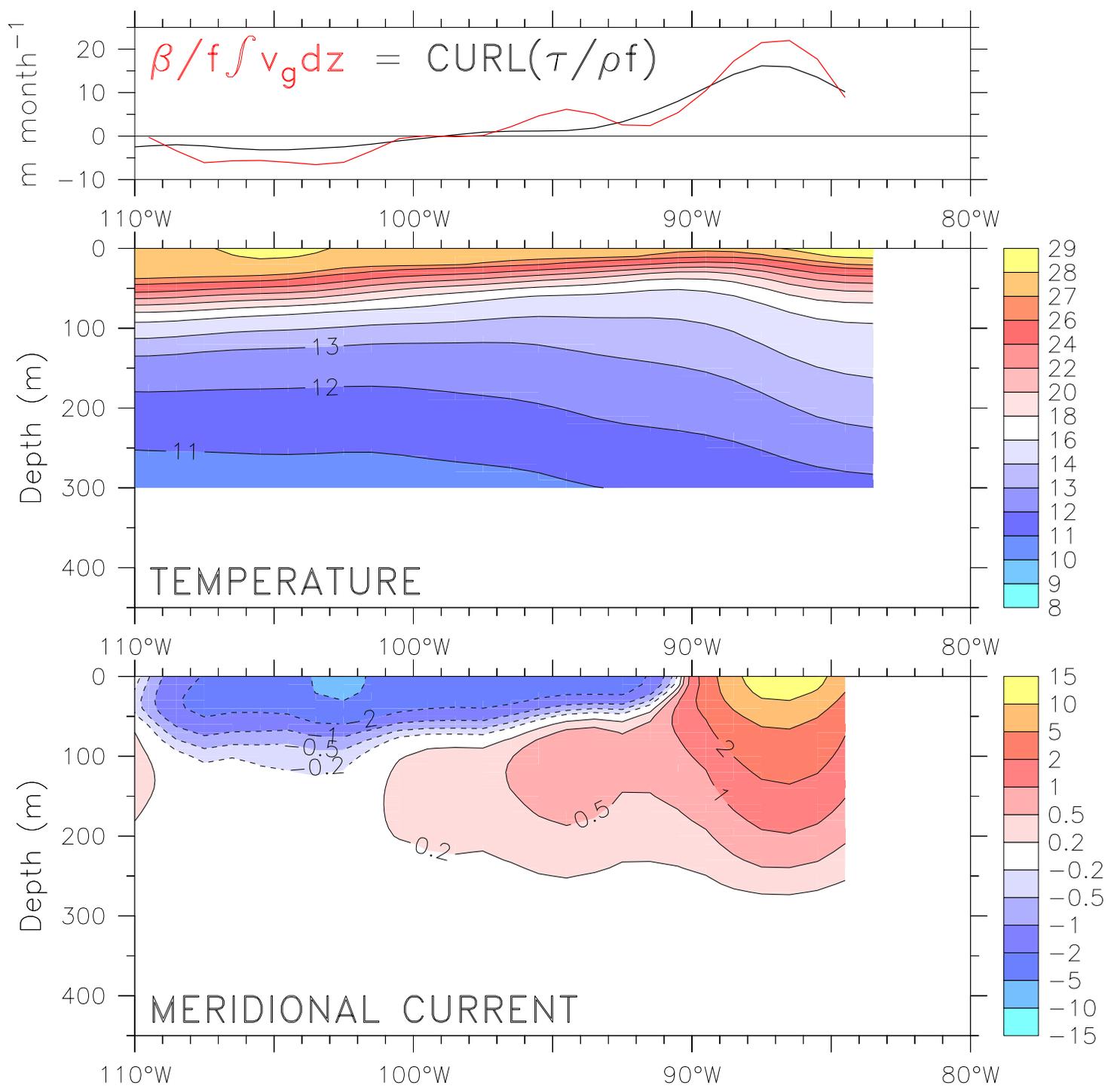
# Mean SST and 20°C depth

AOML XBT data set



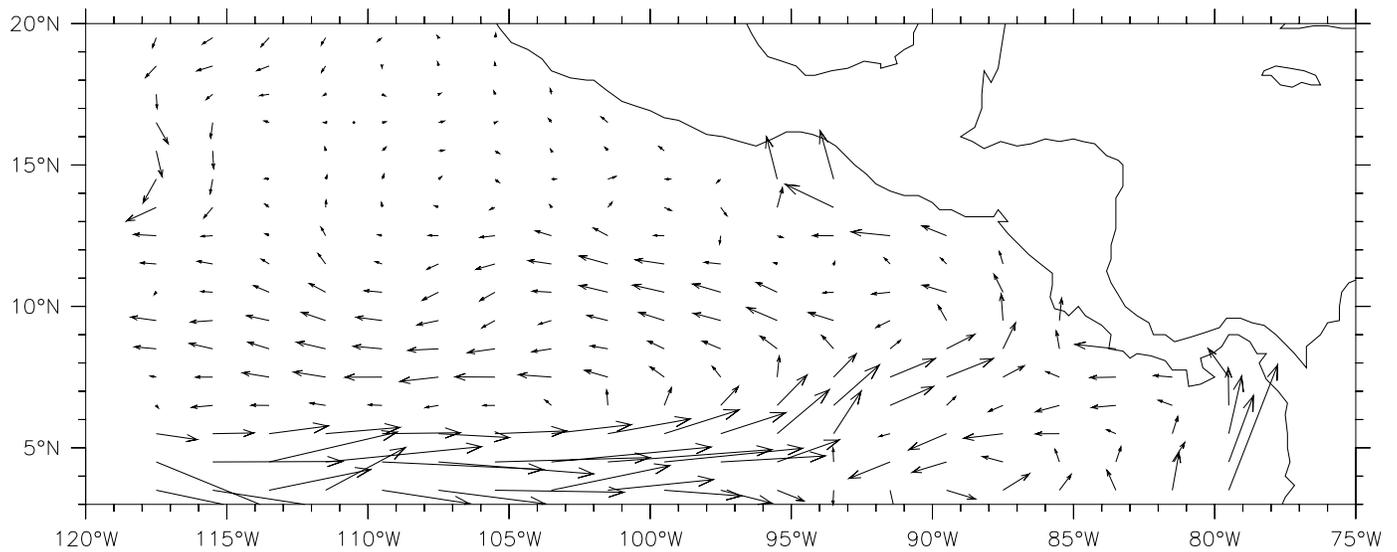
# Mean Temperature and Meridional current along 8.5°N

AOML XBT observations (+Quikscat curl)



# Transport between 450m and 17°C

AOML XBT data. Currents relative to 450m



→ 1. Sverdrup/degree

## Conclude:

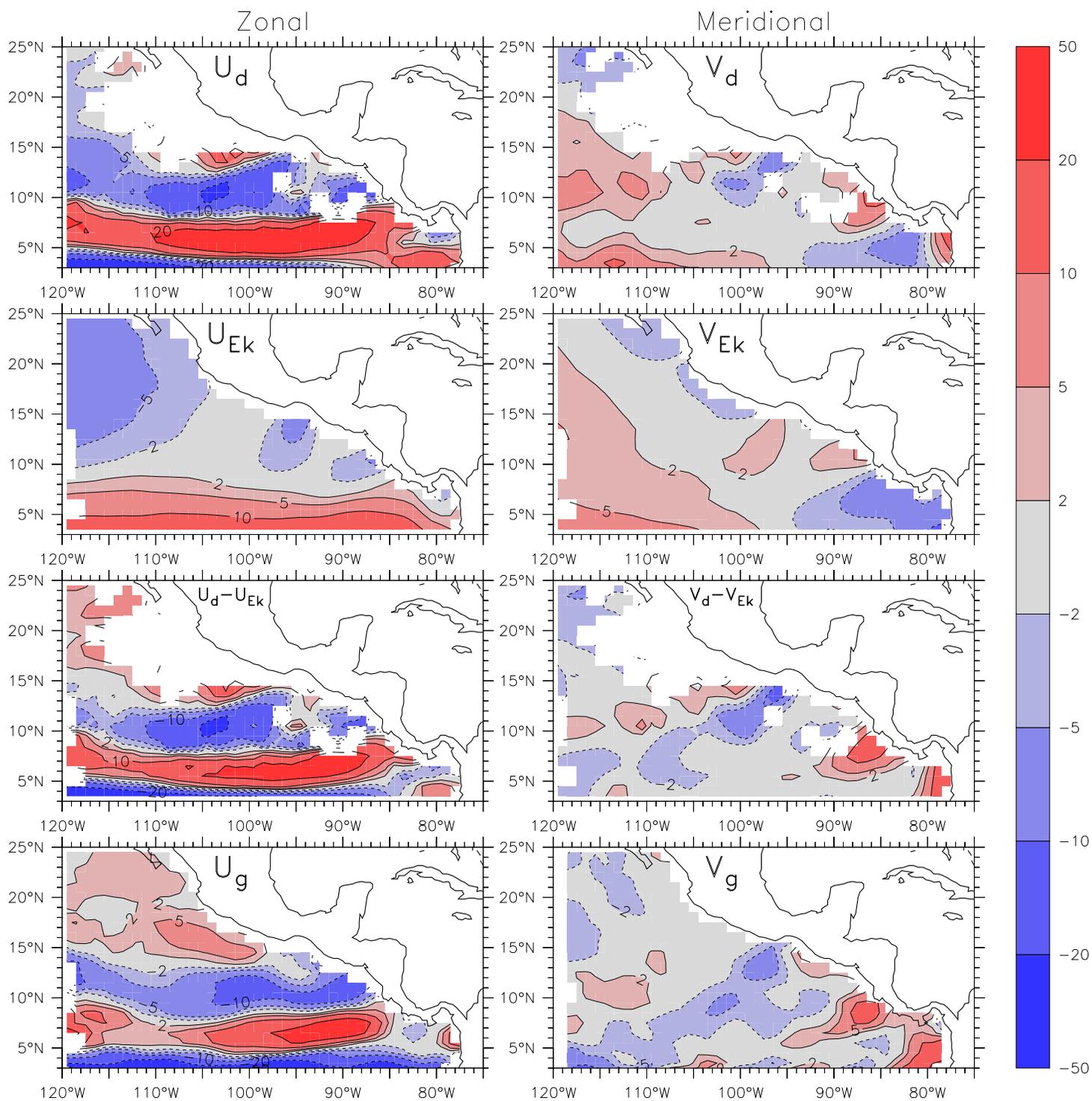
1. The Sverdrup Balance explains important features of the mean circulation in the NE tropical Pacific.
2. Positive curl due to the Papagayo wind jet forces upwelling amounting to about 3+ Sv through 17°C.  
Consequences of this upwelling include:
  - A relatively cool region (SST about 1°C cooler than surrounding areas) is due to the upwelling.
  - Stretching of the water column forces the northern Tsuchiya Jet to turn poleward and upwell.
3. Downwelling curl SW of Tehuantepec produces a dip in the 10°N thermocline ridge and weakens the NECC near 110°W.
4. The imprint of the unusual wind system of the NE tropical Pacific on the ocean may turn out to be an aspect of the path by which intermediate-depth water, flowing into the Pacific from the south, is brought to the surface and into the northern hemisphere.

All figures from this talk are available at:

**<http://www.pmel.noaa.gov/~kessler/> → Latest talk**

**Extra slides .....**

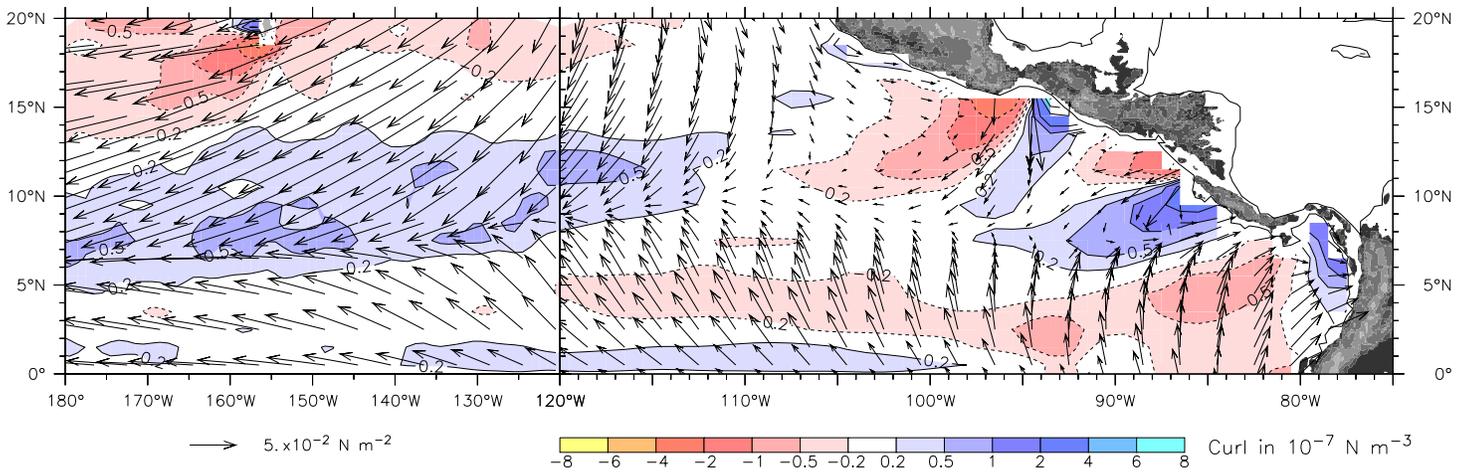
# Geostrophic, Drifter and Ekman surface currents



Ekman currents assume  $H_E = \text{Ralph\&Niiler } H_*$ . Quikscat winds

# Mean Curl and Vector Wind Stress

Quikscat winds (Aug 1999 – Aug 2000) (Stretched x-axis to emphasize east)



# Sverdrup Balance: $\beta/f \int v_g dz = \text{Curl}(\tau/\rho f)$

Compare  $w_{\text{Ekman}}$  from different wind products

$V_g$  = AOML XBT geostrophy,  
integrated from 450m

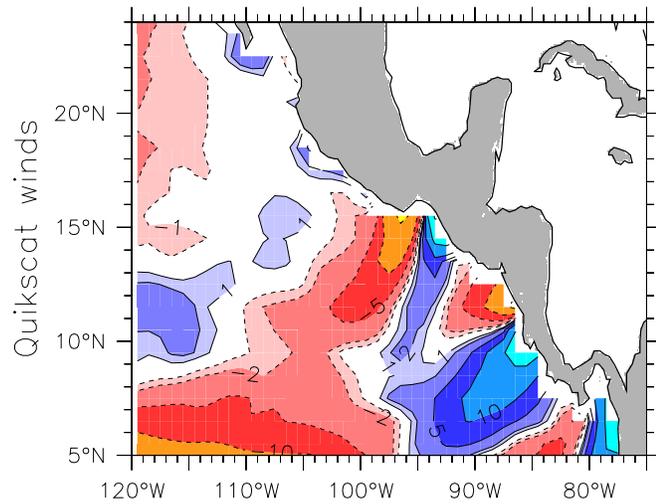
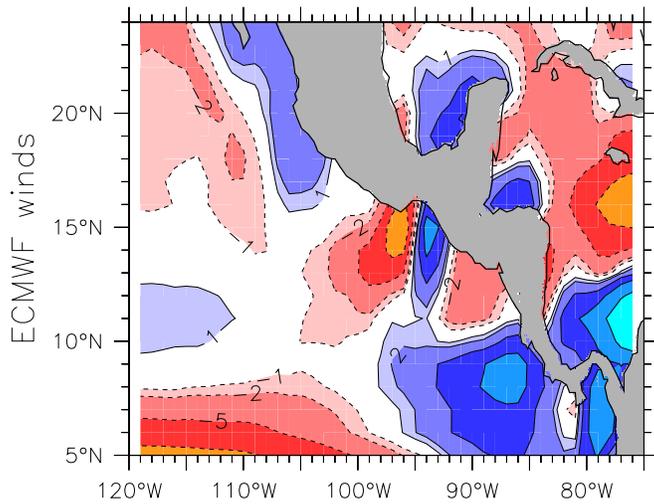
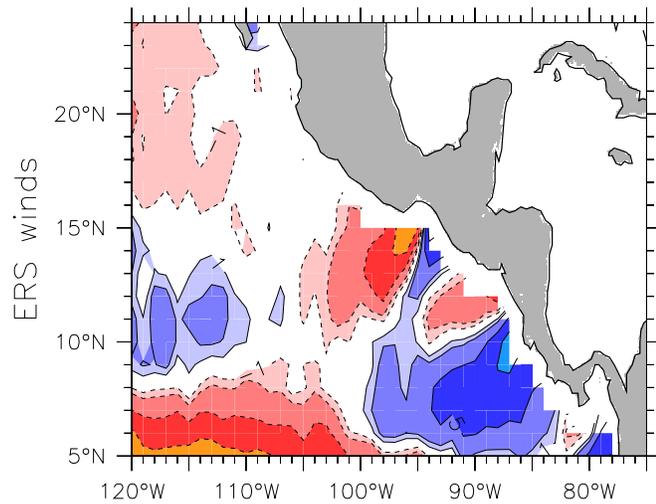
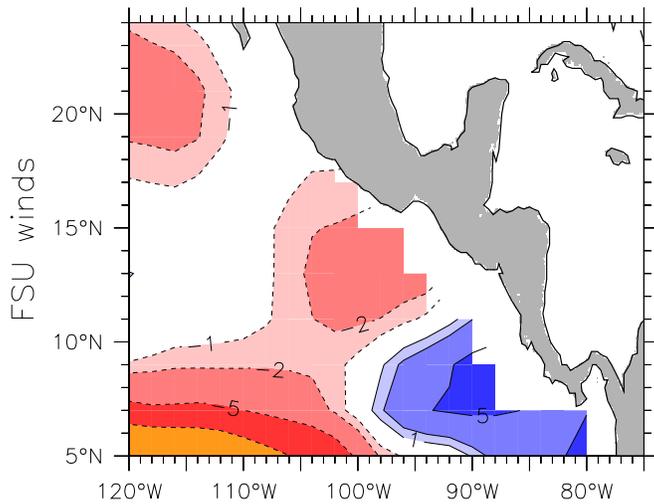
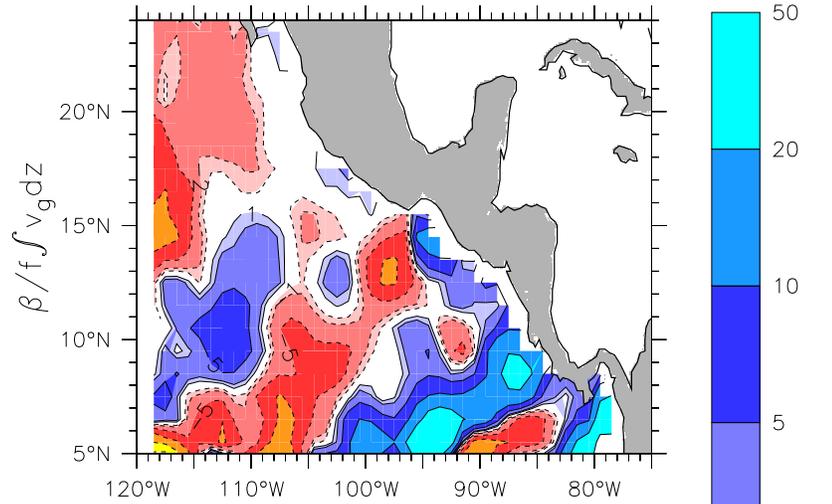
FSU = 1961–99

ERS = 1991–98  
Blended scatterometer product

ECMWF = 1985–98

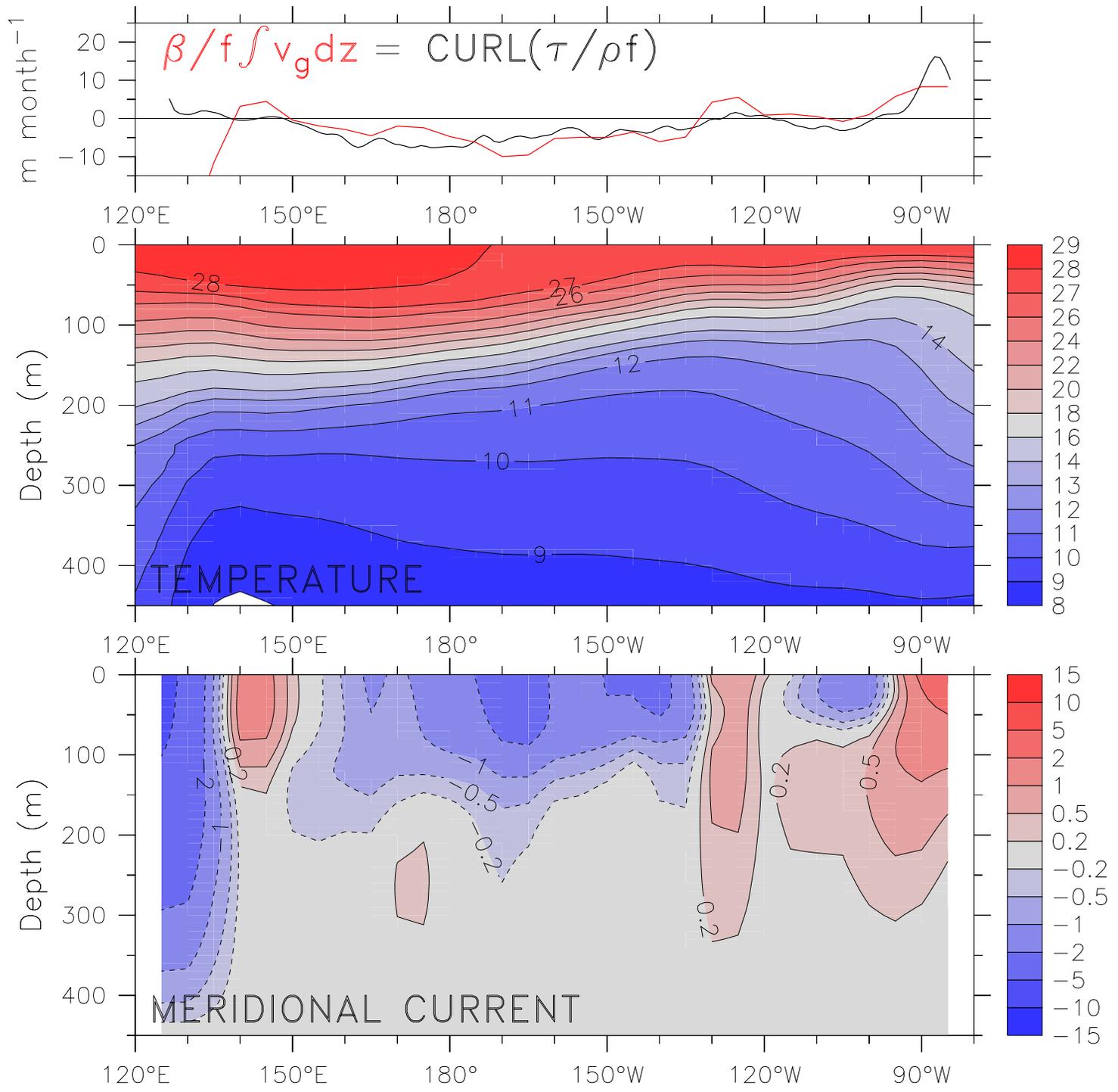
Quikscat = 8/99–8/00 ( $4^\circ \times 1^\circ$ )

Units:  $\text{m month}^{-1}$

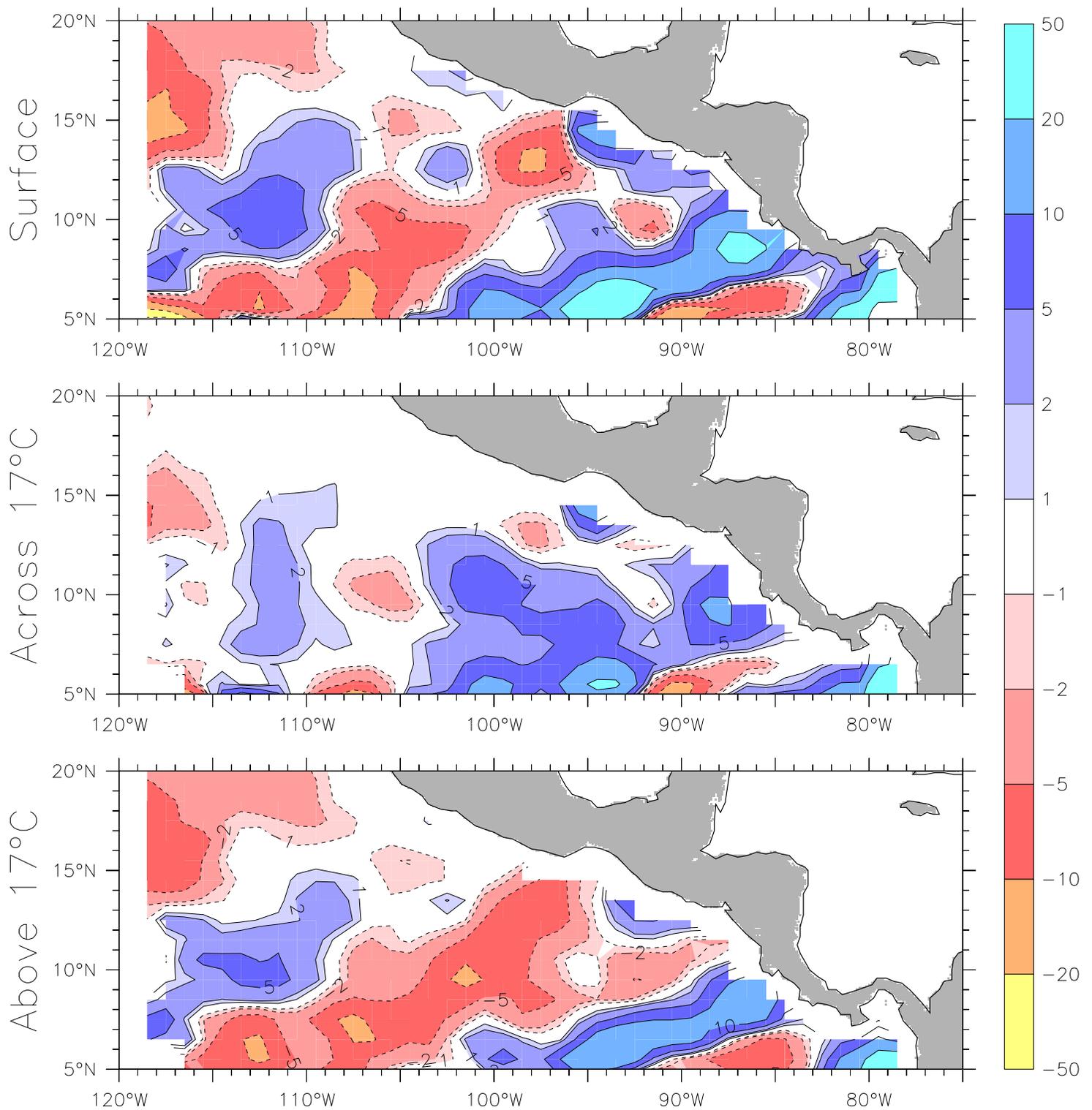


# Mean Temperature and Meridional current along 8°N

Kessler (1990) XBT observations (+Quikscat curl)



Vertical velocity ( $w = \beta/f \int v_g dz$ ) at  $z=0$  and across Z17



Velocity across Z17 is  $w - (u h_x + v h_y)$ . Units  $\text{m month}^{-1}$

# Zonal transport between 450m and 17°C

Integrated north from 2.5°N. AOML XBT data

