PC-based Biomedical Instrument



Sensor: Measures the signal of interest

Signal Conditioning: Amplifiers Filters

Computer: Has an analog to digital (A/D) board to acquire analog data Has a serial port to acquire digital data Processes the acquired data

Memory: To save the obtained data (RAM or hard drive)

Display: On the screen or as a printout

Microcontroller Based Biomedical Instrument

- 1. A general purpose computer does a lot of things that are unnecessary for some dedicated biomedical instruments
- 2. A computer is large in size and limits portability
- Several applications require the use of a dedicated instrument: portable (home measurement devices) or otherwise (ultrasound, MRI, CT, etc.)
- Portable systems require the use of a microcontroller
- Larger systems necessitate the design of a dedicated computer system (hard drive, display monitor, elaborate controls)



Microcontroller Based Biomedical Instrument



Microcontroller



Example: MC68HC11

M Motorola's general mcu family

- 68HC Motorola HCMOS (high-density complementary metal oxide semiconductor)
- 11 MC68HC11 family

Microprocessors

Examples: 8085, 8086, 8088, 80286, 80386, 80486, Pentium

The inside of a microprocessor contains hardware that processes the data based on commands from the software.

A microprocessor performs

- a small set of very simple tasks.
- a pre-determined series of steps according to a set of instructions (assembly language)
- the operations very quickly

All that a microprocessor can do is to do simple standardized operations over and over at a very fast rate, in proper order

Digital hardware consists of a few cheap and simple building blocks, cleverly interconnected and repeated over and over again.

Digital data (represented by 0s and 1s) are processed by elements called logic gates.

A/D and D/A Converters



Digital to Analog: convert a digital word into an analog voltage



Parameters to be concerned about:

max. voltage level (analog) number

number of bits (digital)

when should it sample

Logic Gates



A	В
0	1
1	0



A ₁	A_2	В
0	0	0
0	1	1
1	0	1
1	1	1

AND



A_1	A_2	В
0	0	0
0	1	0
1	0	0
1	1	1

NOT: inverts

- OR: 1 if **any** of its inputs is 1 0 if **all** inputs are 0
- AND: 1 if **all** inputs are 1 0 if **any** of the input is 0

<u>Semiconductors</u>

Conductors

Semiconductors

Insulators

Resistors V=IR

linear characteristics

Passive circuits: contain resistors, capacitors and inductors Active circuits: contain passive elements and active elements (diodes and transistors)

Silicon, Germanium, Gallium Arsenide, etc.





- Very few charge carriers
- Poor electrical conductor
- called an *intrinsic semiconductor*

To make them carry current semiconductors are *doped* with impurities called *dopants*.

Impurities may be *donors* or *acceptors*



Electrons and holes are the particles that conduct current in solid state electronic devices



Electron movement

Hole movement

If a donor-type impurity is added to the extent of 1 part in 10⁸, the conductivity of germanium at 30°C is multiplied by a factor of 12.

Adding n-type impurities decreases the number of holes Adding p-type impurities decreases the number of electrons

	majority carrier	minority carrier
n-type	electrons	holes
p-type	holes	electrons

Mass Action Law: $n p = n_i^2$

for Si at 300°K, $n_i = 1.6 \times 10^{10} \text{ electrons/cm}^3$

Doping

- i) increases conductivity
- ii) produces a conductor in which the electric carriers are either predominantly holes or electrons

$$N_D + p = N_A + n$$

for n-type material: $n \approx N_D$ (donor atom density)

for p-type material: $p \approx N_A$ (acceptor atom density)

Current Conduction

Drift



Drift Velocity (electrons and holes)

$$v_n = \mu_n |\mathbf{E}|$$

Where μ_n is the electron mobility constant. The same equation applies to holes.

Conductivity

 $\sigma = conductivity = q(n\mu_n + p\mu_p)$

Resistance

$$R = \frac{L}{A\sigma} = \rho \frac{L}{A}$$

Where ρ is resistivity, the inverse of conductivity.

Current Density

 $J = \sigma E$

Current Conduction



Diffusion

Diffusion Current

$$J_n = qD_n \left[\frac{dn}{dx}\right]$$

The above expression applies to a current density of electrons; the same expression applies to holes.