# Comments on 'Beliefs, Propositions, and Definite Descriptions'

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May 23, 2017

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### Reasons to Doubt that Definite Descriptions are Central to the Paradox

• Proper names could be used in palace of definite descriptions.

• A contradiction arises regardless of whether the agent has a *de re* or a *de dicto* belief concerning the truth value of the definite description in question

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F1:  $\gamma$  is  $\neg B_i^{re} \mathsf{T}(\gamma)$ F2:  $\gamma$  is  $B_i^{re} \mathsf{F}(\gamma)$  No definite descriptions, proper names, or self-reference required!

**PAE:** 
$$p \leftrightarrow B_i \neg p$$

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**Proposition 4.5** The formula  $B_i(\gamma \text{ is } B_i^{re} F(\gamma))$  is inconsistent in any propositional modal logic closed under Nec and containing K, S2<sup>*dicto*</sup>, CorP, PI, Cor<sub>P</sub>, Cor<sub>N</sub>, I<sub>P</sub>, and I<sub>N</sub>.

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(Proof Sketch: Treat  $B_i \neg p$  as an analogue for  $B_i^{re} F(\gamma)$ . Use K, Nec, and propositional reasoning to derive analogues for lines 5 and 6 of Proposition 4.5. The remainder of the proof is the same.)

## If not Definite Descriptions, Proper Names, or Self-Reference, then What?

An agent, *i*, cannot believe the propositions expressed by F2
 (γ is B<sup>re</sup><sub>i</sub>F(γ)) or PAE (p ↔ B<sub>i</sub>¬p) and at the same time satisfy the
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  belief constraints of the author's logic.
- Perhaps we should accept that there are some propositions that agents whose belief satisfy strong enough constraints cannot believe. Compares to some reactions to Fitch's paradox.
- Perhaps we should reject assuming some subset of the belief constraints.

 An instance of the axiom schemes describing the relationship between is-statements and belief operators (either S1<sup>re</sup>, S2<sup>re</sup>, or S2<sup>dicto</sup>) as well as negative correctness (CorN) and negative introspection (NI) are all common to Propositions 4.1-4.5.

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- Negative correctness (CorN) and negative introspection (NI) are all common to Propositions 4.1-4.5 and PAE.
- Nec, K, CorP, CorN, PI, and NI are the relevant commonalities between propositions 4.5 and PAE.