POLS/CSSS 503: Advanced Quantitative Political Methodology

Regression & Graphics in R

Christopher Adolph

Department of Political Science

and

Center for Statistics and the Social Sciences

University of Washington, Seattle
Matrix Algebra in R

det(a) Computes the determinant of matrix a

solve(a) Computes the inverse of matrix a

t(a) Takes the transpose of a

a%*%b Matrix multiplication of a by b

a*b Element by element multiplication
An R list is a basket containing many other variables

> x <- list(a=1, b=c(2,15), giraffe="hello")

> x$a
[1] 1

> x$b
[1] 2 15

> x$b[2]
[1] 15

> x$giraffe
[1] "hello"

> x[3]
$giraffe
[1] "hello"

> x[["giraffe"]]
[1] "hello"
Things to remember about lists

- Lists can contain any number of variables of any type
- Lists can contain other lists
- Contents of a list can be accessed by name or by position
- Allow us to move lots of variables in and out of functions
- Functions often return lists (only way to have multiple outputs)
# To run a regression
res <- lm(y~x1+x2+x3, data, na.action="")

# To print a summary
summary(res)

# To get the coefficients
res$coefficients

# or
coef(res)

# To get residuals
res$residuals

# or
resid(res)
# To get the variance-covariance matrix of the regressors
vcov(res)

# To get the standard errors
sqrt(diag(vcov(res)))

# To get the fitted values
predict(res)

# To get expected values for a new observation or dataset
predict(res,
       newdata,                  # a dataframe with same x vars
       interval = "confidence", # as data, but new values
       level = 0.95)             # alternative: "prediction"
R lists & Object Oriented Programming

A list object in R can be given a special “class” using the `class()` function

This is just a metatag telling other R functions that this list object conforms to a certain format

So when we run a linear regression like this:

```r
res <- lm(y~x1+x2+x3, data, na.action="")
```

The result `res` is a list object of class ‘‘lm’’

Other functions like `plot()` and `predict()` will react to `res` in a special way because of this class designation

Specifically, they will run functions called `plot.lm()` and `predict.lm()`

Object-oriented programming:
a function does different things depending on class of input object
**An example: Party systems & Redistribution**

Cross sectional data on industrial democracies:

<table>
<thead>
<tr>
<th>Variable</th>
<th>Description</th>
</tr>
</thead>
<tbody>
<tr>
<td>povred</td>
<td>Percent of citizens lifted out of poverty by taxes and transfers</td>
</tr>
<tr>
<td>lnentp</td>
<td>Natural log of effective number of parties</td>
</tr>
<tr>
<td>maj</td>
<td>Majoritarian election system dummy</td>
</tr>
<tr>
<td>pr</td>
<td>Proportional representation dummy</td>
</tr>
<tr>
<td>unam</td>
<td>Unanimity government dummy (Switz)</td>
</tr>
</tbody>
</table>

Source of data & plot: Torben Iversen and David Soskice, 2002, “Why do some democracies redistribute more than others?” Harvard University.
An example: Party systems & Redistribution

# Clear memory of all objects
rm(list=ls())

# Load data
file <- "iver.csv";
data <- read.csv(file,header=TRUE);
attach(data)

lm.result <- lm(povred~lnenp)
print(summary(lm.result))
Call:
\texttt{lm(formula = povred \sim lnenp)}

Residuals:
\begin{verbatim}
   Min 1Q Median 3Q Max
\end{verbatim}

Coefficients:
\begin{verbatim}
         Estimate Std. Error t value Pr(>|t|)
(Intercept)   21.80      16.15   1.349 0.2021
lnenp        24.17      12.75   1.896 0.0823 .
\end{verbatim}

Signif. codes: 0 ‘***’ 0.001 ‘**’ 0.01 ‘*’ 0.05 ‘.’ 0.1 ‘ ’ 1

Residual standard error: 19.34 on 12 degrees of freedom
Multiple R-Squared: 0.2305,   Adjusted R-squared: 0.1664
F-statistic: 3.595 on 1 and 12 DF,  p-value: 0.08229
An example: Party systems & Redistribution

# A new model with multiple regressors
lm.result2 <- lm(povred~lnenp+maj+pr)
print(summary(lm.result2))
An example: Party systems & Redistribution

Call:
`lm(formula = povred ~ lnenp + maj + pr)`

Residuals:

<table>
<thead>
<tr>
<th></th>
<th>Min</th>
<th>1Q</th>
<th>Median</th>
<th>3Q</th>
<th>Max</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>-23.3843</td>
<td>-1.4903</td>
<td>0.6783</td>
<td>6.2687</td>
<td>13.9376</td>
</tr>
</tbody>
</table>

Coefficients:

|                  | Estimate | Std. Error | t value | Pr(>|t|) |
|------------------|----------|------------|---------|---------|
| (Intercept)      | -31.29   | 26.55      | -1.179  | 0.26588 |
| lnenp            | 26.69    | 14.15      | 1.886   | 0.08867 |
| maj              | 48.95    | 17.86      | 2.740   | 0.02082 |
| pr               | 58.17    | 13.52      | 4.302   | 0.00156 **|

---

Signif. codes:  0 ’***’ 0.001 ’**’ 0.01 ’*’ 0.05 ’.’ 0.1 ’ ’ 1

Residual standard error: 12.37 on 10 degrees of freedom
Multiple R-Squared: 0.7378,   Adjusted R-squared: 0.6592
F-statistic: 9.381 on 3 and 10 DF,  p-value: 0.002964
An example: Party systems & Redistribution

# A new model with multiple regressors and no constant
lm.result3 <- lm(povred~lnenp+maj+pr+unam-1)
print(summary(lm.result3))
An example: Party systems & Redistribution

Call:
\texttt{lm(formula = povred \sim \lnenp + maj + pr + unam - 1)}

Residuals:
\begin{tabular}{cccccc}
\text{Min} & 1\text{Q} & \text{Median} & 3\text{Q} & \text{Max} \\
-23.3843 & -1.4903 & 0.6783 & 6.2687 & 13.9376 \\
\end{tabular}

Coefficients:
\begin{tabular}{llllll}
\text{Estimate} & \text{Std. Error} & \text{t value} & \text{Pr(>|t|)} \\
\hline
\lnenp & 26.69 & 14.15 & 1.886 & 0.0887 . \\
maj & 17.66 & 12.69 & 1.392 & 0.1941 \\
pr & 26.88 & 21.18 & 1.269 & 0.2331 \\
unam & -31.29 & 26.55 & -1.179 & 0.2659 \\
\end{tabular}

---
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 12.37 on 10 degrees of freedom
Multiple R-Squared: 0.9636, Adjusted R-squared: 0.949
F-statistic: 66.13 on 4 and 10 DF, p-value: 3.731e-07
An example: Party systems & Redistribution

# A model with an interaction term added

```r
lm.result4 <- lm(povred~lnenp+maj+pr+lnenp:maj)
print(summary(lm.result4))
```
An example: Party systems & Redistribution

Call:
\texttt{lm(formula = povred \sim \lnenp + maj + pr + \lnenp:maj)}

Residuals:
\[
\begin{array}{cccccc}
\text{Min} & 1Q & \text{Median} & 3Q & \text{Max} \\
-22.25124 & 0.06679 & 2.85314 & 4.73179 & 12.99480 \\
\end{array}
\]

Coefficients:
\[
\begin{array}{cccccc}
\text{Estimate} & \text{Std. Error} & \text{t value} & \text{Pr(>|t|)} \\
(\text{Intercept}) & -14.83 & 31.42 & -0.472 & 0.64813 \\
\lnenp & 16.78 & 17.39 & 0.965 & 0.35994 \\
maj & 16.34 & 37.65 & 0.434 & 0.67445 \\
pr & 56.18 & 13.70 & 4.102 & 0.00267 ** \\
\lnenp:maj & 29.55 & 30.02 & 0.984 & 0.35065 \\
\end{array}
\]

---

Signif. codes: 0 ‘***’ 0.001 ‘**’ 0.01 ‘*’ 0.05 ‘.’ 0.1 ‘ ’ 1

Residual standard error: 12.39 on 9 degrees of freedom
Multiple R-Squared: 0.7633, Adjusted R-squared: 0.6581
F-statistic: 7.256 on 4 and 9 DF, p-value: 0.006772
# A quicker way to add interactions

```r
lm.result5 <- lm(povred~pr+lnenp*maj)
print(summary(lm.result5))
```
An example: Party systems & Redistribution

Call:
\texttt{lm(formula = povred ~ pr + lnenp * maj)}

Residuals:

\begin{tabular}{cccccc}
  Min & 1Q & Median & 3Q & Max \\
-22.2512 & 0.06679 & 2.85314 & 4.73179 & 12.99480 \\
\end{tabular}

Coefficients:

\begin{tabular}{lccccc}
 & Estimate & Std. Error & t value & Pr(>|t|) \\
(Intercept) & -14.83 & 31.42 & -0.472 & 0.64813 \\
pr & 56.18 & 13.70 & 4.102 & 0.00267 ** \\
lnenp & 16.78 & 17.39 & 0.965 & 0.35994 \\
maj & 16.34 & 37.65 & 0.434 & 0.67445 \\
lnenp:maj & 29.55 & 30.02 & 0.984 & 0.35065 \\
\end{tabular}

Signif. codes: 0 ‘***’ 0.001 ‘**’ 0.01 ‘*’ 0.05 ‘.’ 0.1 ‘ ’ 1

Residual standard error: 12.39 on 9 degrees of freedom 
Multiple R-Squared: 0.7633, Adjusted R-squared: 0.6581
F-statistic: 7.256 on 4 and 9 DF, p-value: 0.006772
R Graphics

R has several graphics systems.

The base system

The grid system

(grid is more powerful, but has a steeper learning curve. See Paul Murrel’s book on R Graphics for an introduction.)

Focus here on base
R Graphics: Devices

Everything you draw in R must be drawn on a canvas

Must create the canvas before you draw anything

Computer canvasses are **devices** you draw to

Devices save graphical input in different ways

Sometimes to the disk, sometimes to the screen

Most important distinction: raster vs. vector devices
Pointalism = raster graphics. Plot each pixel on an $n$ by $m$ grid.
**Vector vs. raster**

Pixel = Point = Raster

Good for pictures. Bad for drawings/graphics/cartoons.

*(Puzzle: isn’t everything raster? In display, yes. Not in storage)*

Advantages of vector:

- Easily manipulable/modifiable groupings of objects
- Easy to scale objects larger or smaller/ Arbitrary precision
- Much smaller file sizes
- Can always convert to raster (but not the other way round, at least not well)

Disadvantages:

- A photograph would be really hard to show (and huge file size)
- Not web accessible. Convert to PNG or PDF.
## Some common graphics file formats

<table>
<thead>
<tr>
<th>Lossy</th>
<th>Lossless</th>
</tr>
</thead>
<tbody>
<tr>
<td>Raster .gif, .jpeg</td>
<td>.wmf, .png, .bmp</td>
</tr>
<tr>
<td>Vector —</td>
<td>.ps, .eps, .pdf, .ai, .wmf</td>
</tr>
</tbody>
</table>

Lossy means during file compression, some data is (intentionally) lost.

Avoid lossy formats whenever possible.
Some common graphics file formats

In R, have access to several formats:

- `win.metafile()`  *wmf*, Windows media file
- `pdf()`  *pdf*, Adobe portable data file
- `postscript()`  postscript file (printer language)
- `windows()`  opens a screen; PC only
- `quartz()`  opens a screen; Mac only
- `x11()`  opens a screen; works on all systems

Latex, Mac, and Unix users can’t use wmf

`windows(record=TRUE)` let’s you cycle thru old graphs with arrow keys
High-level graphics commands

In R, High level graphics commands:

- produce a standard graphic type
- fill in lots of details (axes, titles, annotation)
- have many configurable parameters
- have varied flexibility

You don’t need to use HLCs to make R graphics.

Could use primitive commands to do each task above

Using low levels commands gives more control but takes more time
### Some major high-level graphics commands

<table>
<thead>
<tr>
<th>Graphic</th>
<th>Base command</th>
<th>Lattice command</th>
</tr>
</thead>
<tbody>
<tr>
<td>scatterplot</td>
<td>plot()</td>
<td>xyplot()</td>
</tr>
<tr>
<td>line plot</td>
<td>plot( . . . , type=&quot;l&quot;)</td>
<td>xyplot( . . . , type=&quot;l&quot;)</td>
</tr>
<tr>
<td>Bar chart</td>
<td>barplot()</td>
<td>barchart()</td>
</tr>
<tr>
<td>Histogram</td>
<td>hist()</td>
<td>histogram()</td>
</tr>
<tr>
<td>Smoothed histograms</td>
<td>plot() after density()</td>
<td>densityplot()</td>
</tr>
<tr>
<td>boxplot</td>
<td>boxplot()</td>
<td>bwplot()</td>
</tr>
<tr>
<td>Dot plot</td>
<td>dotchart()</td>
<td>dotplot()</td>
</tr>
<tr>
<td>Contour plots</td>
<td>contour()</td>
<td>contourplot()</td>
</tr>
<tr>
<td>image plot</td>
<td>image()</td>
<td>levelplot()</td>
</tr>
<tr>
<td>3D surface</td>
<td>persp()</td>
<td>wireframe()</td>
</tr>
<tr>
<td>3D scatter</td>
<td>scatterplot3d()*</td>
<td>cloud()</td>
</tr>
<tr>
<td>conditional plots</td>
<td>coplot()</td>
<td>xypplot()</td>
</tr>
<tr>
<td>Scatterplot matrix</td>
<td></td>
<td>splom()</td>
</tr>
<tr>
<td>Parallel coordinates</td>
<td></td>
<td>parallel()</td>
</tr>
<tr>
<td>Star plot</td>
<td>stars()</td>
<td></td>
</tr>
<tr>
<td>Stem-and-leaf plots</td>
<td>stem()</td>
<td></td>
</tr>
<tr>
<td>ternary plot</td>
<td>ternaryplot() in vcd</td>
<td></td>
</tr>
<tr>
<td>Fourfold plot</td>
<td>fourfoldplot() in vcd</td>
<td></td>
</tr>
<tr>
<td>Mosaic plots</td>
<td>mosaicplot() in vcd</td>
<td></td>
</tr>
</tbody>
</table>
Scatterplot: `plot()`

`plot(x, type = "p")`

```
x <- sort(rnorm(47))
```
Line plot: `plot(..., type="l")`

```
x <- sort(rnorm(47))
plot(x, type = "l")
```
(Smoothed) Histograms: `densityplot()` & others
Contour plot: `contour()`

Maunga Whau Volcano
Maunga Whau Volcano
Image plot with contours: contour(..., add=TRUE)

Maunga Whau Volcano
3D surface: `persp()`
3D surface: wireframe()
Conditional plots: `coplot()`

Given: Illiteracy

Northeast
South
North Central
West

Given: state.region
3D scatter: scatterplot3d() in own library

scatterplot3d – 5

Volume
Height
Girth
### Scatterplot matrix: `splom()`

<table>
<thead>
<tr>
<th></th>
<th>virginica</th>
<th></th>
<th></th>
<th></th>
<th></th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>
Ternary plot: `ternaryplot()` in vcd
Star plot: \texttt{stars()}

Motor Trend Cars : full stars()

\begin{verbatim}
Mazda RX4 Mazda RX4 Wag Datsun 710 Hornet 4 Drive Hornet Sportabout Valiant
Duster 360 Merc 240D Merc 230 Merc 280 Merc 280C Merc 450SE
Merc 450SL Merc 450SLC Cadillac Fleetwood Lincoln Continental Chrysler Imperial
Fiat 128 Honda Civic Toyota Corolla Toyota Corona Dodge Challenger AMC Javelin
Camaro Z28 Pontiac Firebird Fiat X1−9 Porsche 914−2 Lotus Europa Ford Pantera L
Maserati Bora Volvo 142E
\end{verbatim}
Stem-and-leaf plot

stem> stem(log10(islands))

The decimal point is at the |

1 | 1111112222233444
1 | 555555666666678999999
2 | 3344
2 | 59
3 |
3 | 5678
4 | 012
Basic customization

For any given high-level plotting command, there are many options listed in help.

```r
barplot(height, width = 1, space = NULL,
        names.arg = NULL, legend.text = NULL, beside = FALSE,
        horiz = FALSE, density = NULL, angle = 45,
        col = NULL, border = par("fg"),
        main = NULL, sub = NULL, xlab = NULL, ylab = NULL,
        xlim = NULL, ylim = NULL, xpd = TRUE,
        axes = TRUE, axisnames = TRUE,
        cex.axis = par("cex.axis"), cex.names = par("cex.axis"),
        inside = TRUE, plot = TRUE, axis.lty = 0, offset = 0, ...)
```

Just the tip of the iceberg: notice the ...

This means you can pass other, unspecified commands through `barplot`
Basic customization

The most important (semi-) documented parameters to send through ... are settings to `par()`

Most base (traditional) graphics options are set through `par()`

`par()` has no effect on lattice or grid graphics

Consult `help(par)` for the full list of options

Some key examples, grouped functionally
par() settings

Customizing text size:

- cex: Text size (a multiplier)
- cex.axis: Text size of tick numbers
- cex.lab: Text size of axes labels
- cex.main: Text size of plot title
- cex.sub: Text size of plot subtitle

note the latter will multiply off the basic cex
More text specific formatting

- **font** Font face (bold, italic)
- **font.axis** etc
  
  - **srt** Rotation of text in plot (degrees)
  - **las** Rotation of text in margin (degrees)

Note the distinction between text in the plot and outside.

Text in the plot is plotted with `text()`

Text outside the plot is plotted with `mtext()`, which was designed to put on titles, etc.
par() settings

Formatting for most any object

bg  background color
col  Color of lines, symbols in plot
col.axis  Color of tick numbers, etc

The above expect colors (see colors() for a list of names)
par() settings

Formatting for lines and symbols

lty  Line type (solid, dashed, etc)
lwd  Line width (default too large; try really small, e.g., 0)
pch  Data symbol type; see example(points)

You will very often need to set the above
More \texttt{par()} settings

Formatting for axes

- \texttt{lab}  Number of ticks
- \texttt{xaxp}  Number of ticks for \texttt{xaxis}
- \texttt{tck,tcl}  Length of ticks relative to plot/text
- \texttt{mgp}  Axis spacing: axis title, tick labels, axis line

These may seem trivial, but affect the aesthetics of the plot & effective use of space

\texttt{R} defaults to excessive \texttt{mgp}, which looks ugly & wastes space
More formatting for axes

The following commands are special:
they are primitives in \texttt{par()} that can't be set inside the ... of high-level commands

You must set them with \texttt{par()} first

\begin{itemize}
\item \texttt{usr} Ranges of axes, (xmin, xmax, ymin, ymax)
\item \texttt{xlog} Log scale for x axis?
\item \texttt{ylog} Log scale for y axis?
\end{itemize}

You can also make a logged axis by hand, as we will do now
Making a Scatterplot from Scratch

Using the Redistribution data, make a quick scatterplot for screen display:

```r
# Make a plot of the data (automatic axes, etc)
plot(x=lnenp,
     y=povred,
     xlab="Log Effective Number of Parties",
     ylab="Poverty Reduction")

# One way to add a regression line to the plot
abline(lm.result$coefficients[1],  # Intercept
       lm.result$coefficients[2],  # Slope
       col="black")

# The above is easy for bivariate models
# For multivariate models, you need to calculate
# an appropriate intercept to take account
# of all the other covariates
What do we learn about the data from this plot?

What is problematic about this plot?
A better scatterplot from scratch

Let’s make a better scatterplot, and save it to the disk as a PDF

First, let’s find the confidence intervals for the fitted model:

# Generate expected values & CIs for povred at each lnep

# Make a list of hypothetical effective number of parties values
lnenp.hyp <- seq(0.5,2,0.1)

# Use this list as "newdata" for the predict command
xnew <- list(lnenp=lnenp.hyp)

# Pass the fitted model and newdata to predict, and
# ask for 95 % CIs around the Y-hat
povred.pred <- predict(lm.result,
    newdata=xnew,
    interval="confidence",
    level=0.95
)
Plotting preliminaries

# Open a pdf file for plotting
pdf("redist.pdf",
    height=5,
    width=5)

# Create a new plot
plot.new()
# Set the plotting region limits
par(usr=c(0.5,2,0,100))

# Create the x-axis
x.ticks <- c(2,3,4,5,6,7)
axis(1, # Which axis to make (1 indicates x)
     at=log(x.ticks), # Where to put the ticks
     labels=x.ticks, # How to label the ticks
)

# Create the y-axis
axis(2,at=seq(0,100,10))

# Add plot titles
title(xlab="Effective Number of Parties",
      ylab="Poverty Reduction")
Plot the CI as a shaded polygon

# Plot ci for the regression line
# Make the x-coord of a confidence envelope polygon
xpoly <- c(lnenp.hyp,
        rev(lnenp.hyp),
        lnenp.hyp[1])

# Make the y-coord of a confidence envelope polygon
ypoly <- c(povred.pred[,2],
           rev(povred.pred[,3]),
           povred.pred[1,2])

# Choose the color of the polygon
col <- "gray70"

# Plot the polygon first, before the points & lines
polygon(x=xpoly,
        y=ypoly,
        col=col,
        border=FALSE)
Add the regression line and the data

# Plot the expected values for the regression model
lines(x=lnenp.hyp,
y=povred.pred[,1],
col="black")

# Plot the data for the regression model
#points(x=lnenp,
#       y=povred,
#       col="black",  # see colors() for color names
#       pch=1)  # see example(points) for symbols
Use colors and shapes to show categorical covariates

```r
points(x=lnenp[, maj==1],
       y=povred[, maj==1],
       col="blue",       # see colors() for color names
       pch=17)           # see example(points) for symbols

points(x=lnenp[, pr==1],
       y=povred[, pr==1],
       col="green",     # see colors() for color names
       pch=15)          # see example(points) for symbols

points(x=lnenp[, unam==1],
       y=povred[, unam==1],
       col="red",       # see colors() for color names
       pch=16)          # see example(points) for symbols
```
Label the points and close the plot

text(x=lnenp,
    y=povred-3,
    labels=cty,
    col="black",
    cex=0.5
)

# Finish drawing the box around the plot area
box()

# Close the device (ie, save the graph)
dev.off()
What does this tell us about the data?

What could we improve, in the plot or the model?