



# **ESRM 350**

## **Competition**

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**Autumn 2016**

**“The early bird gets the worm, but the second mouse gets the cheese”**

- Willie Nelson

# Population Growth

- So far, we've focused on the growth of single populations
  - Exponential growth
  - Logistic growth
    - with density dependence
- In reality, populations don't grow in isolation; rather, they are subject to the influence of other populations
  - Competition
  - Predation
  - Parasitism/disease

# Competition

- Can be defined as
  - active demand by two or more organisms for a common vital resource
  - any use or defense of a resource that reduces the availability of that resource to other individuals
- Competition can be
  - within species (*intra-specific*)
    - contributes to density-dependence (worse with crowding)
  - between species (*inter-specific*)
    - depresses carrying capacity (K) for both competing populations

# Types of Competition

- **Exploitation competition**
  - Competition through reduced availability of a shared resource
    - does not involve direct interaction
    - winner is the forager that turns resources into offspring the quickest (i.e., that forages most efficiently)

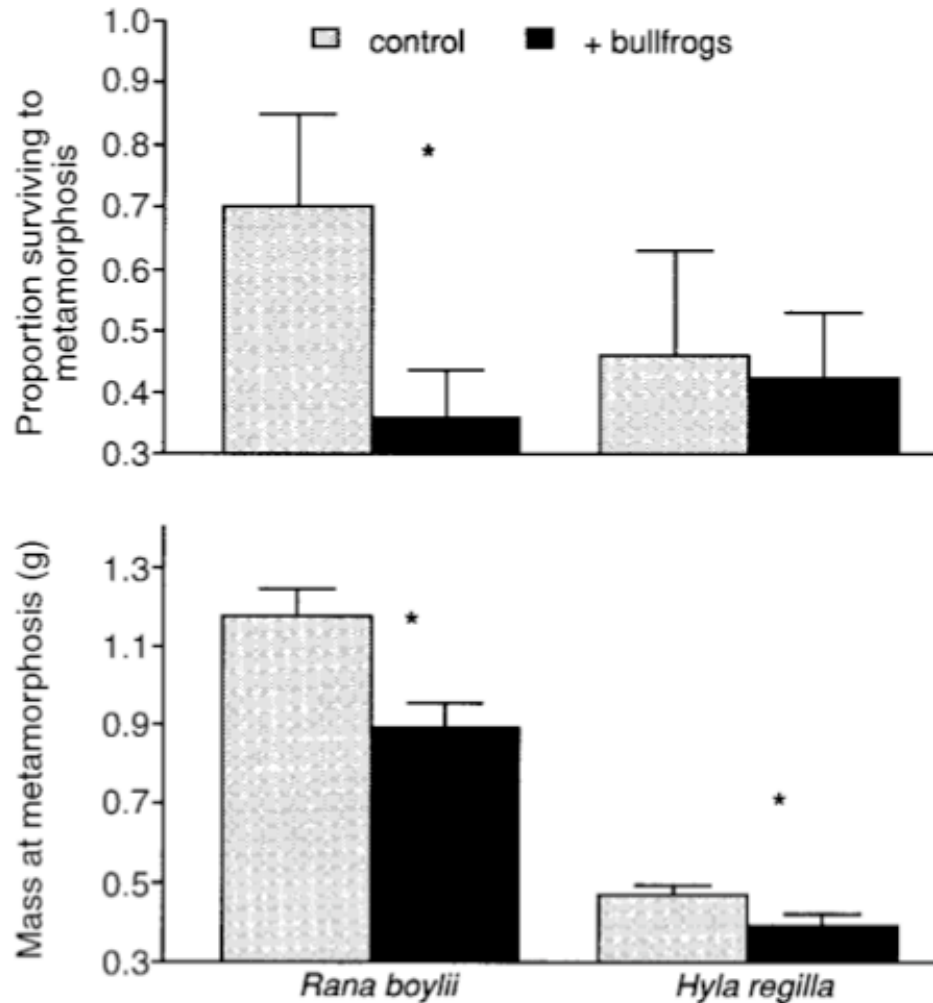


FIG. 6. Survival to and mass at metamorphosis for native tadpoles in the presence (dark bars) or absence (light bars) of bullfrog tadpoles in 2-m<sup>2</sup> enclosures of natural river substrate (means and 1 SE; Experiment III). Asterisks indicate significance ( $P < 0.05$ ). For *R. boylii*: control  $n = 85$  metamorphs; treatment  $n = 41$ . For *Hyla*: control  $n = 35$  metamorphs; treatment  $n = 32$ .



Yellow-legged frog (*Rana boylii*)



Pacific tree frog (*Hyla regilla*)

Effect of bullfrogs – reduction of benthic algae, a shared resource

# Types of Competition

- **Interference competition**
  - Competition with direct interactions between individuals
    - may involve contests or fights over food
    - may involve physical obstruction (getting in another individual's way)
    - winner often individual that gets to resource first
    - resource doesn't have to be in short supply, but interference competition is more likely if shortages exist

- Hummingbirds exclude other hummingbirds (as well as bees and moths) from flowering plants

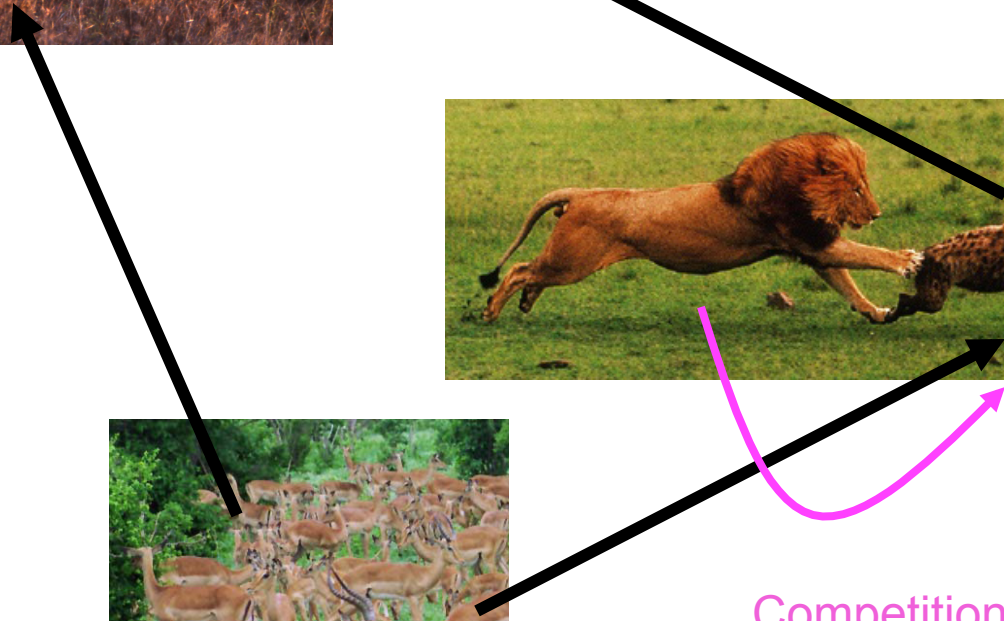
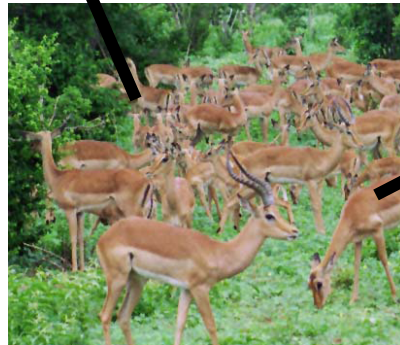
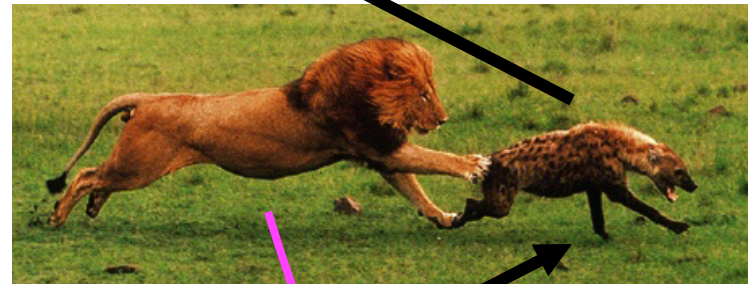




# Intraguild Predation (IGP)

- An extreme form of competition where predator and prey are also competitors
  - Cannibalism is when IGP occurs within a species

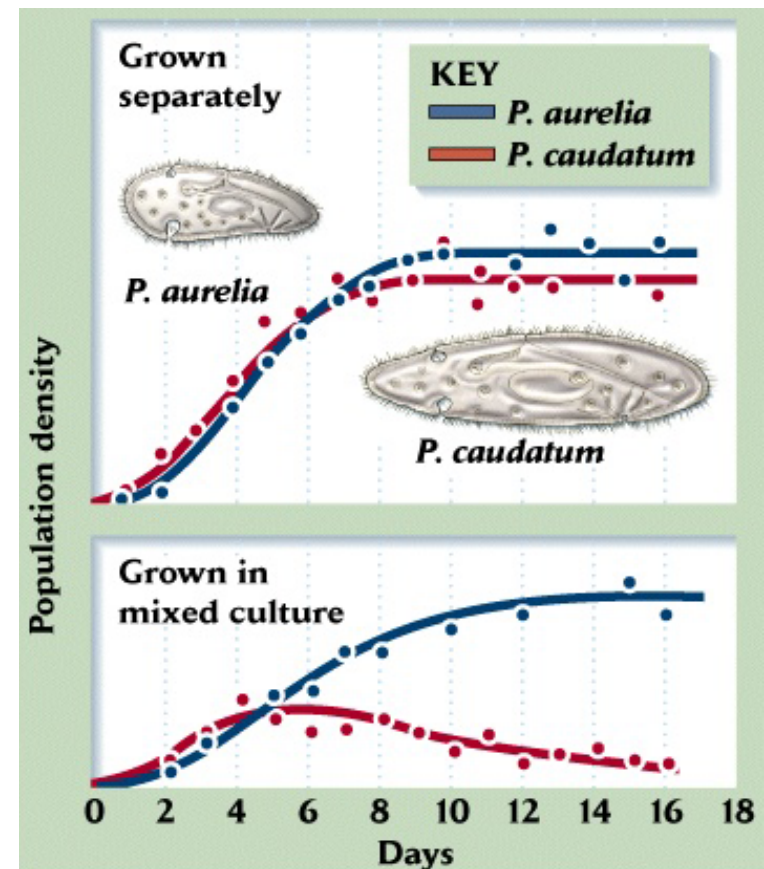
# Intraguild Predation (IGP)



Competition

# Competitive Exclusion

- Gause's Exclusion Principle (Principle of Competitive Exclusion)
  - two species that are too similar in their ecological requirements cannot coexist for long *or*
  - two species cannot coexist forever on the same limiting resource
  - the lesser competitor will be **excluded** from an area or go extinct



# Competitive Exclusion

- How similar is too similar?
  - i.e., how do we determine the outcome of a competitive interaction between any two populations?
- Lotka-Volterra model for competing species
- $\alpha_{i,j}$  is the **competition coefficient**
  - Quantifies effect of species j on the population growth of species i (expressed in terms of number of species i individuals that would have to be added to have same competitive impact as one individual of species j; value of 1 signifies equivalence)

$$-\alpha_{i,j} \quad (\text{e.g., } 2)$$

$$\alpha_{j,i} \quad (\text{e.g., } 0.5)$$

# Lotka-Volterra Model

$$\frac{dN_1}{dt} = r_1 N_1 \left( 1 - \frac{N_1}{K_1} - \frac{\alpha_{12} N_2}{K_1} \right)$$

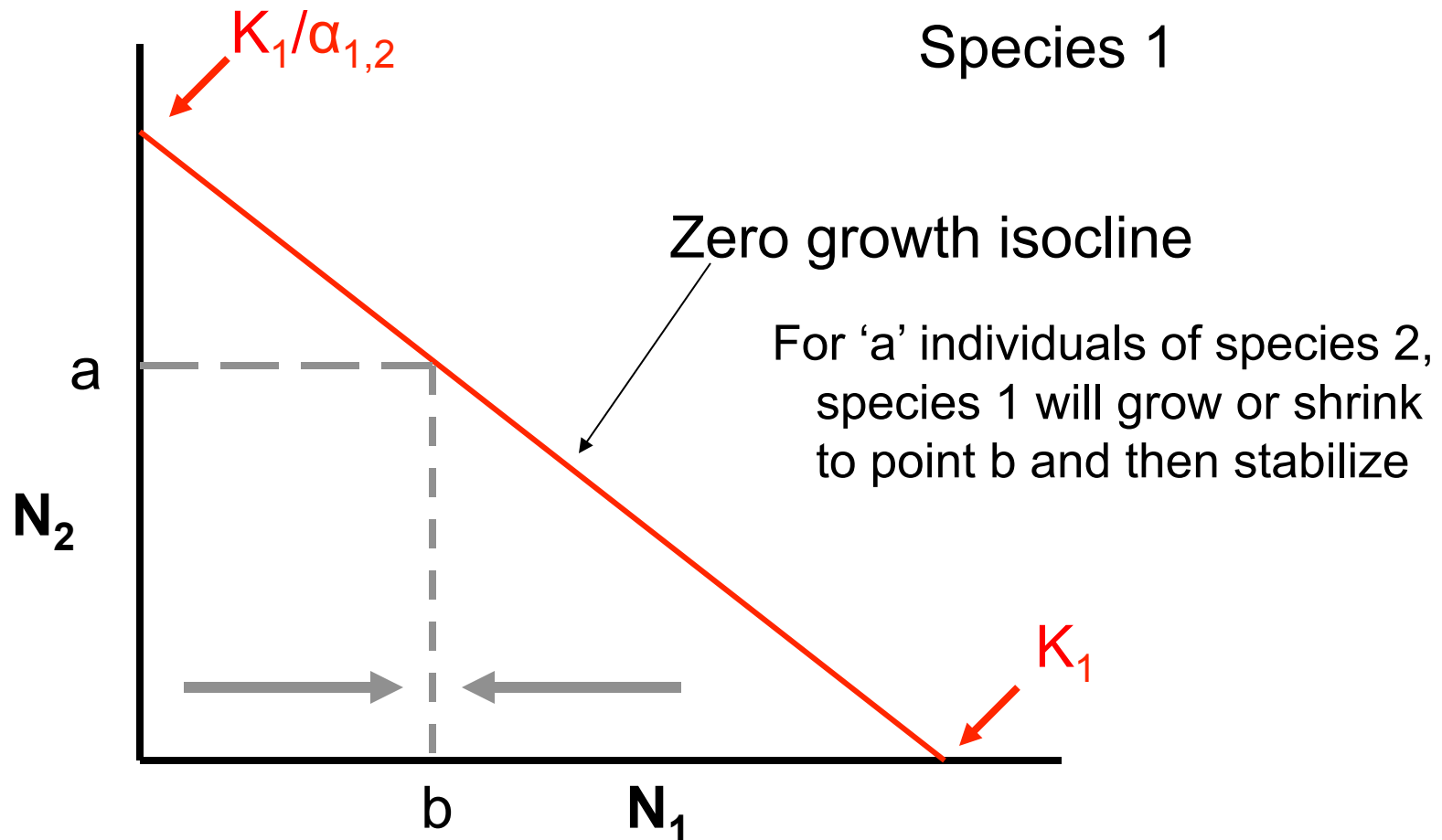
$$\frac{dN_2}{dt} = r_2 N_2 \left( 1 - \frac{N_2}{K_2} - \frac{\alpha_{21} N_1}{K_2} \right)$$

How do these differ from logistic growth?

# Model Assumptions

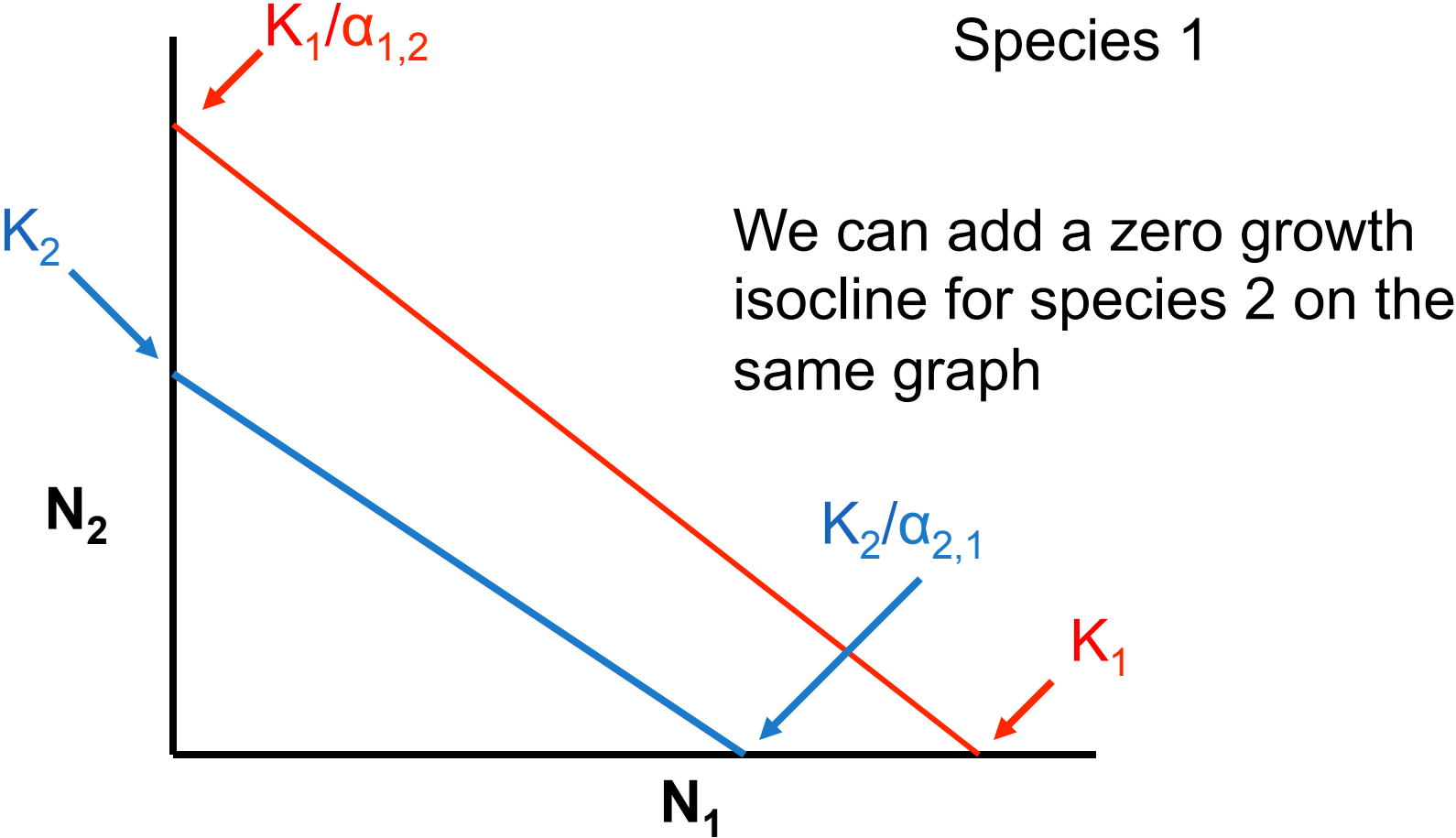
- All individuals are the same
- Competition coefficients are constant
- Linear effect of competition
- Density dependence
- Simple, yes, but this model nevertheless allows us to solve for the growth trajectory of a population subject to competition from a second population of specified size
  - Facilitates prediction of competitive outcomes

# Determining the Outcome of Competition: Coexistence vs. Exclusion



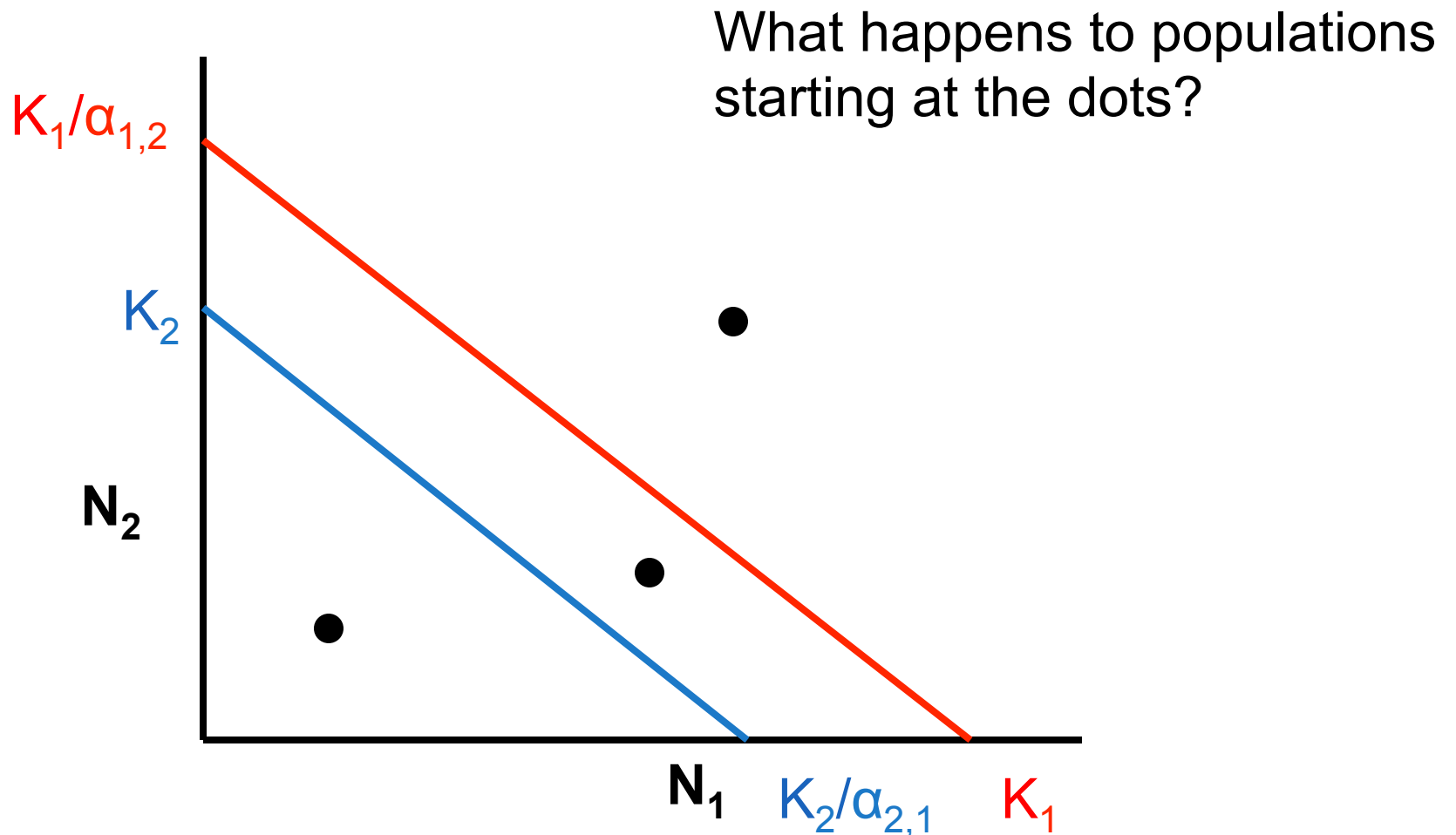
The **zero-growth isocline** describes expected equilibrium population sizes of one species if abundance of the second species is held constant, and vice versa

# Determining the Outcome of Competition: Coexistence vs. Exclusion

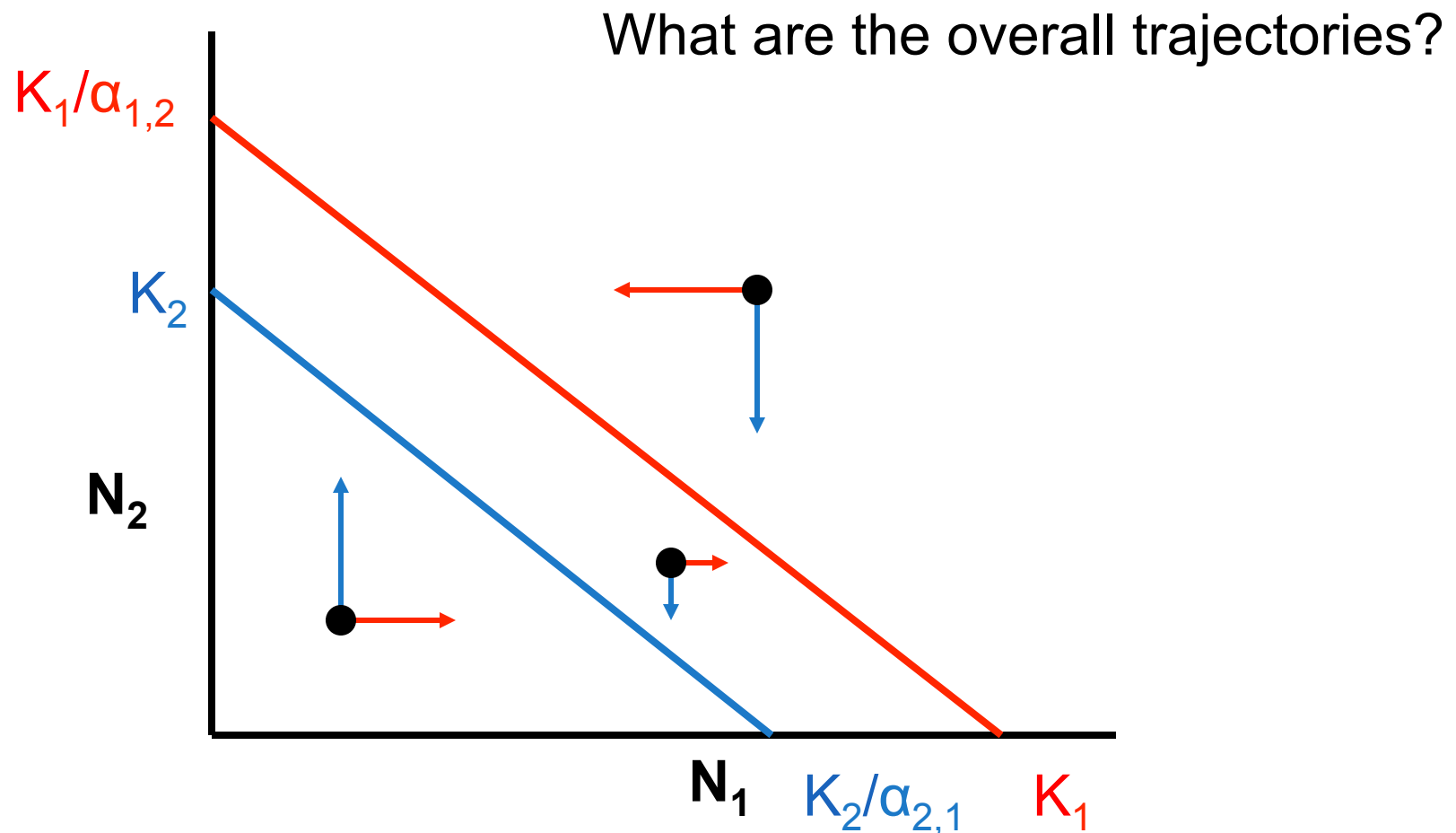




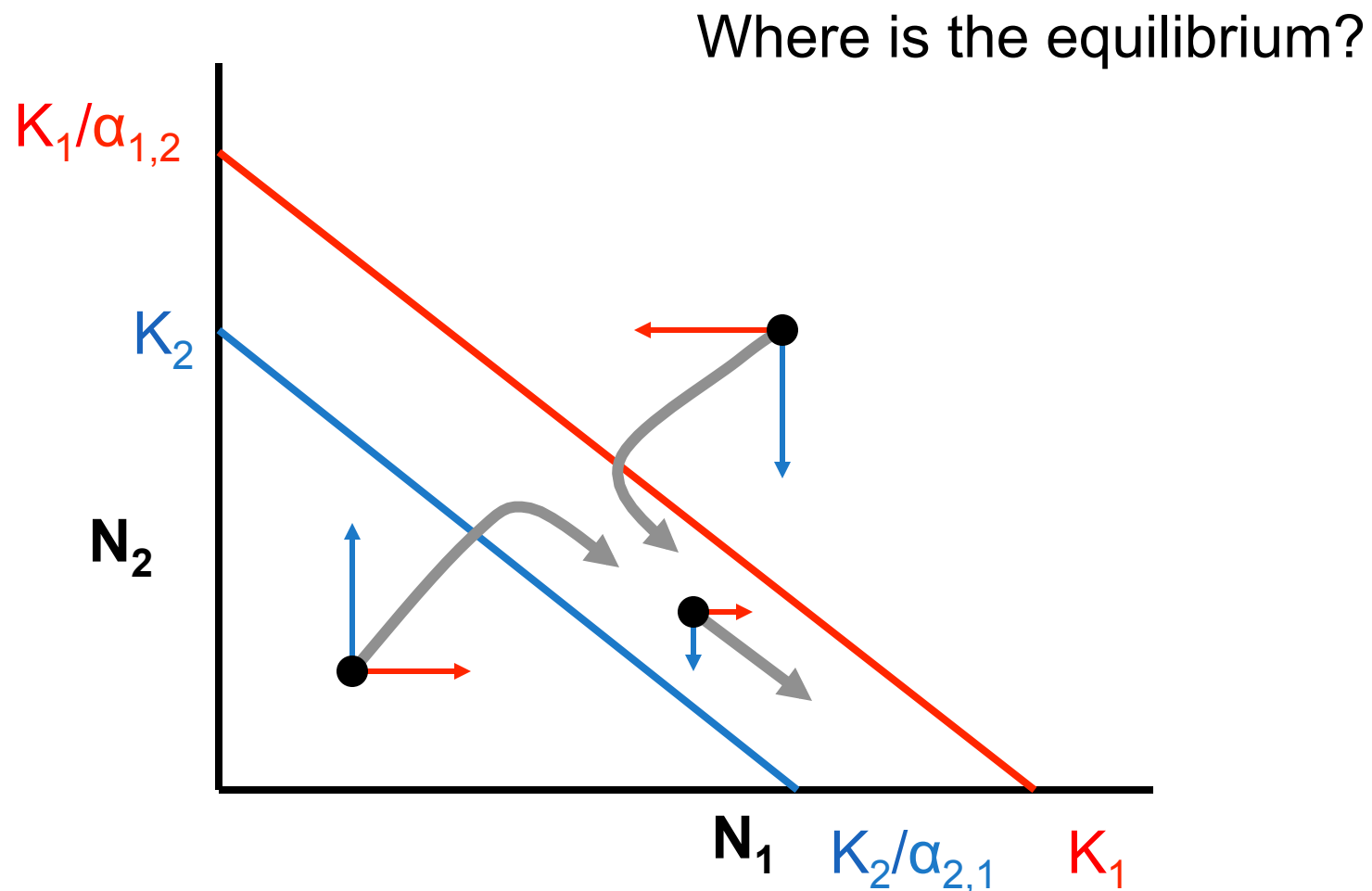
# Case 1: Competitive Exclusion of Species 2 by Species 1



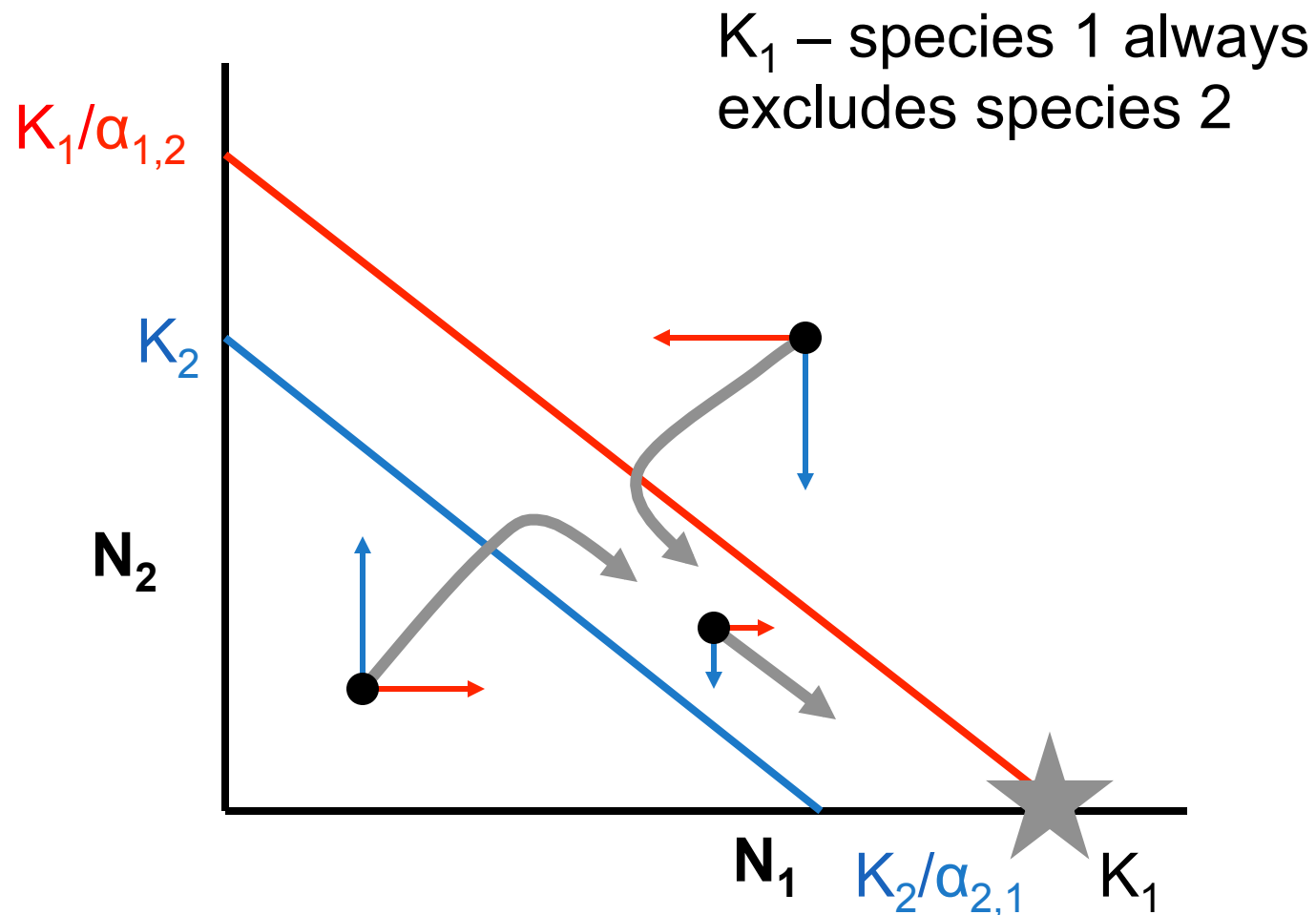
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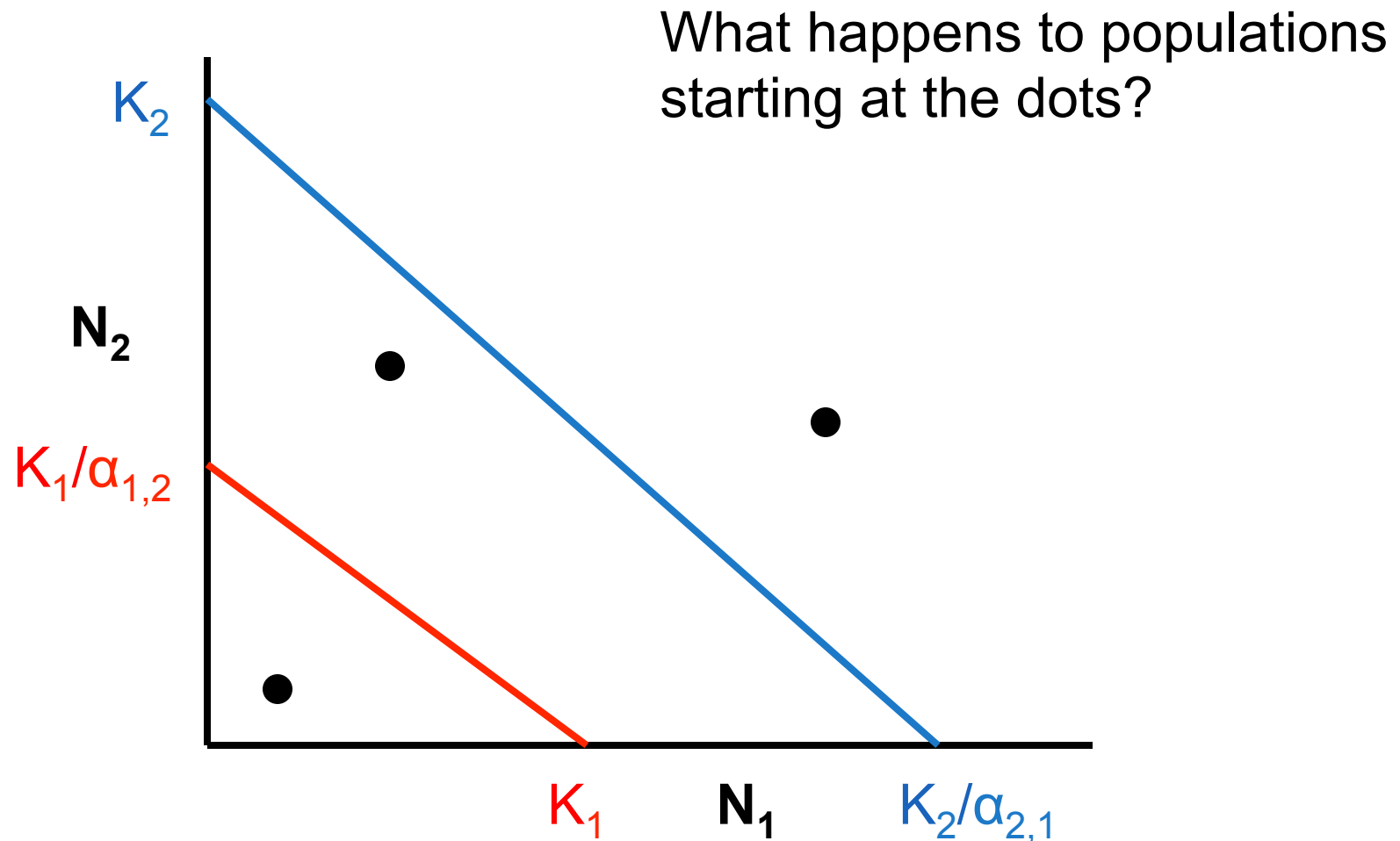
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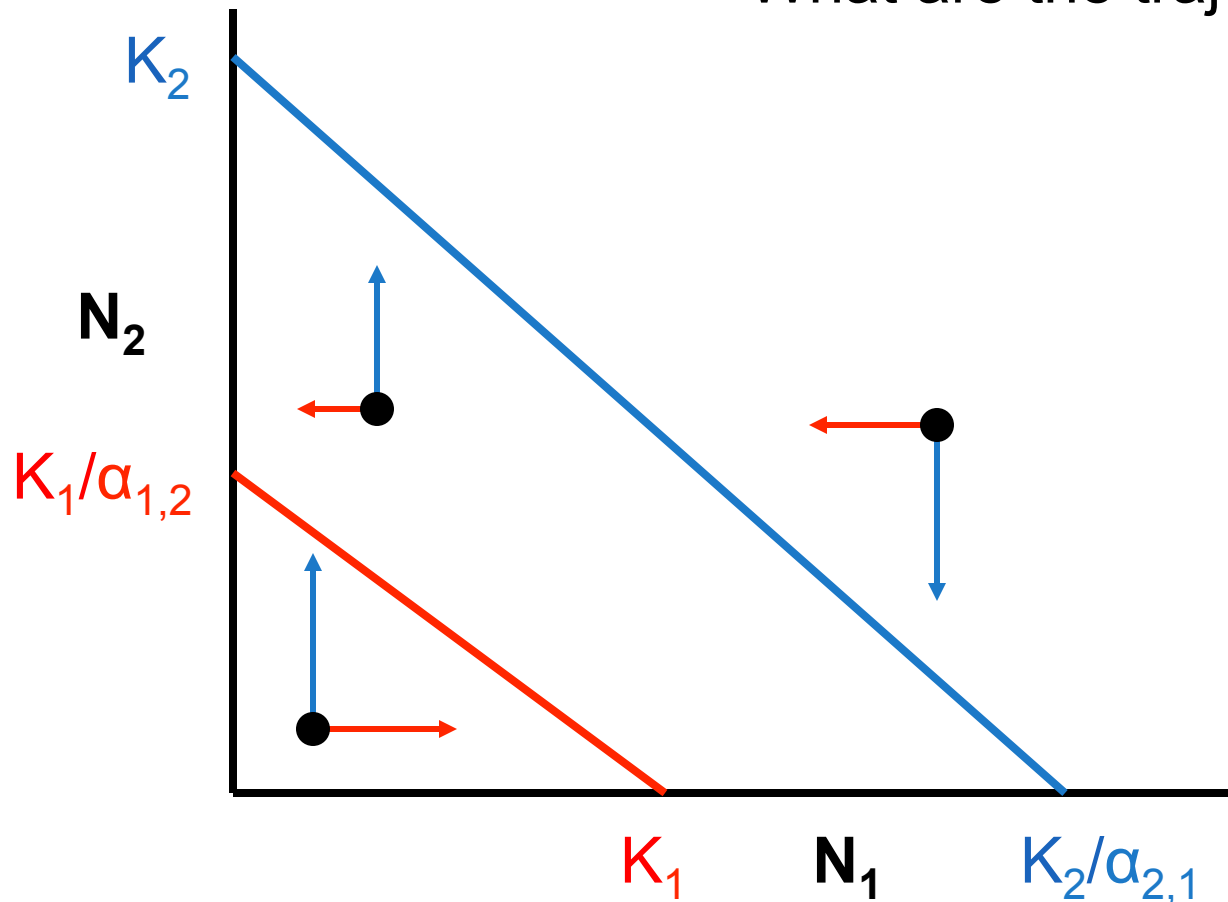


# Case 2: Competitive Exclusion of Species 1 by Species 2



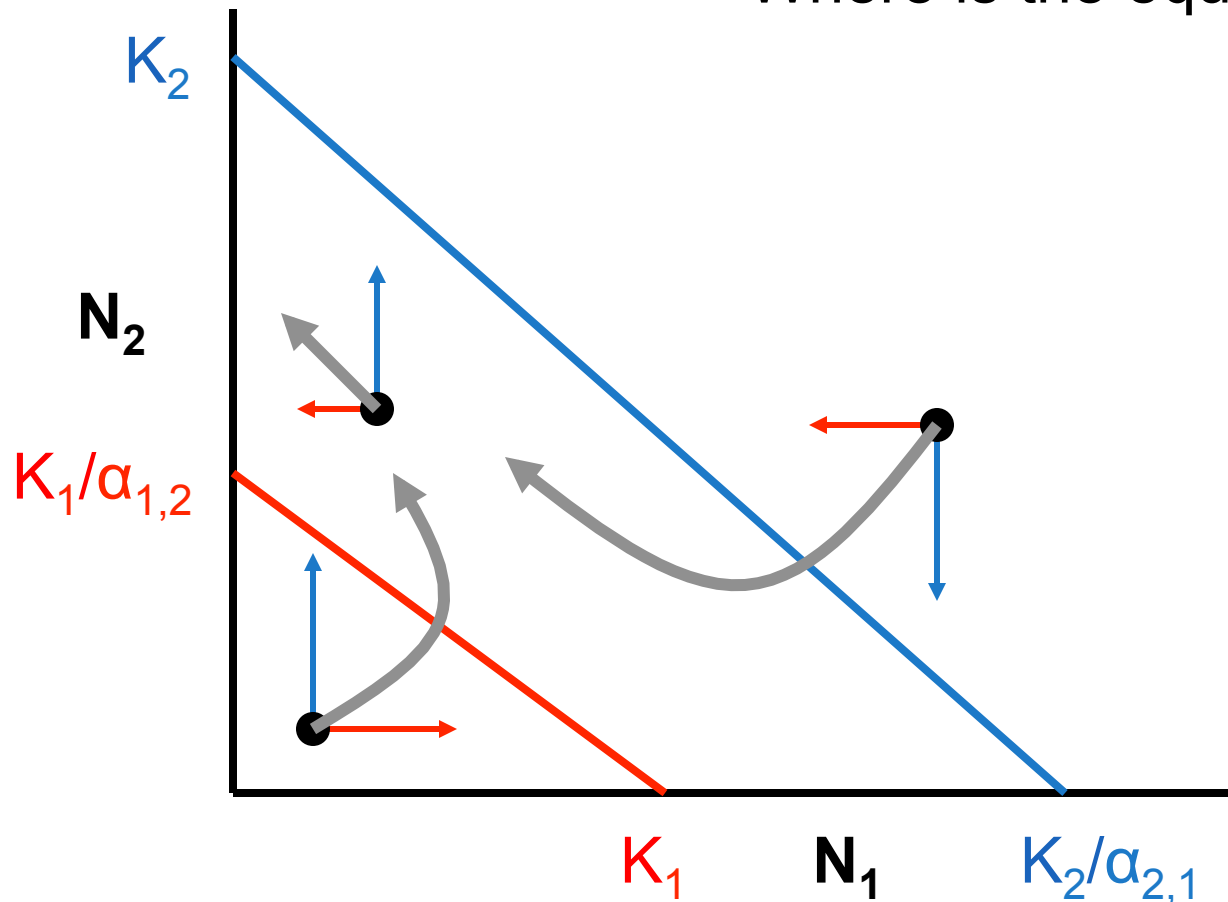
# Case 2: Competitive Exclusion of Species 1 by Species 2

What are the trajectories?

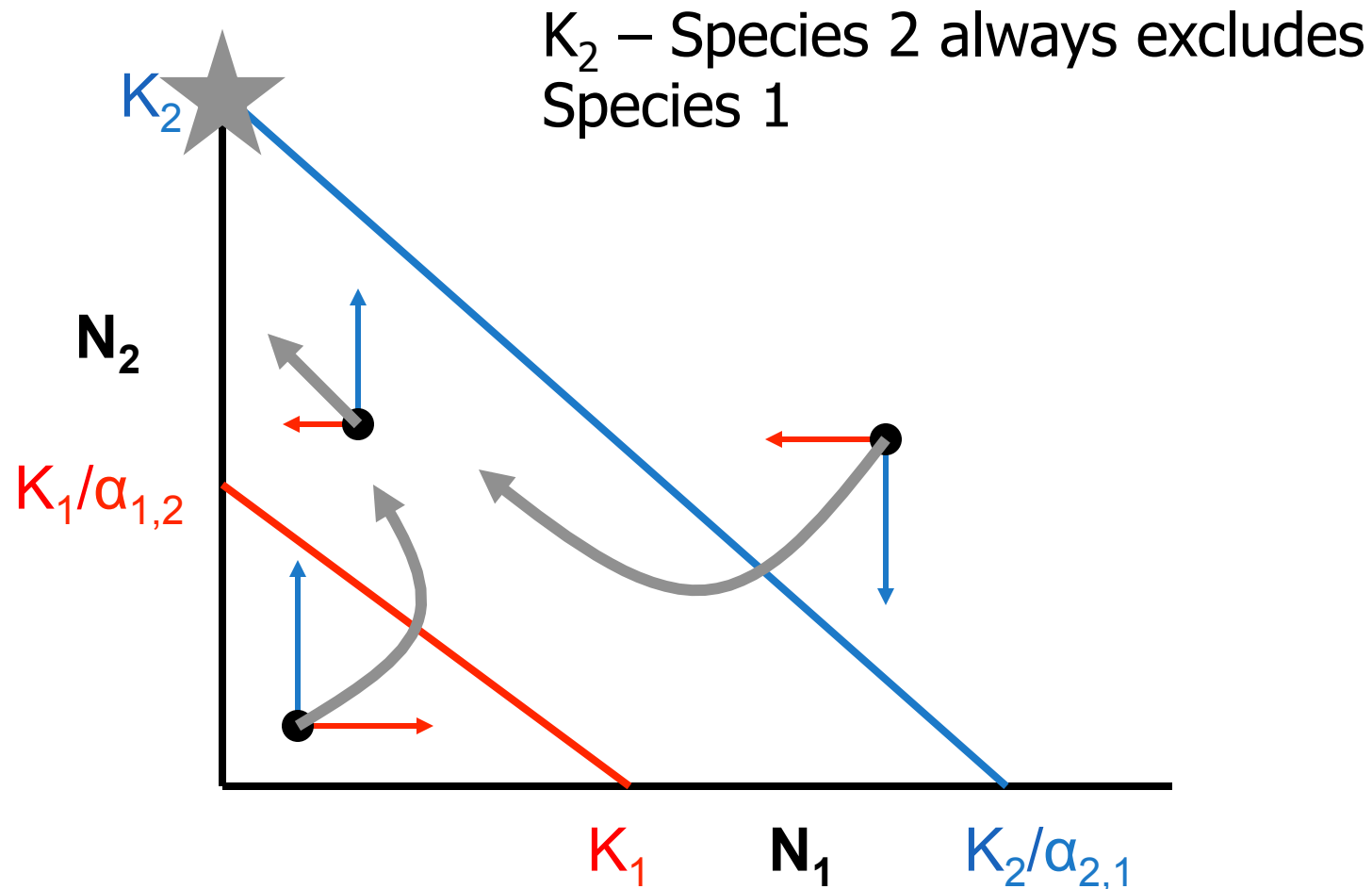


# Case 2: Competitive Exclusion of Species 1 by Species 2

Where is the equilibrium?

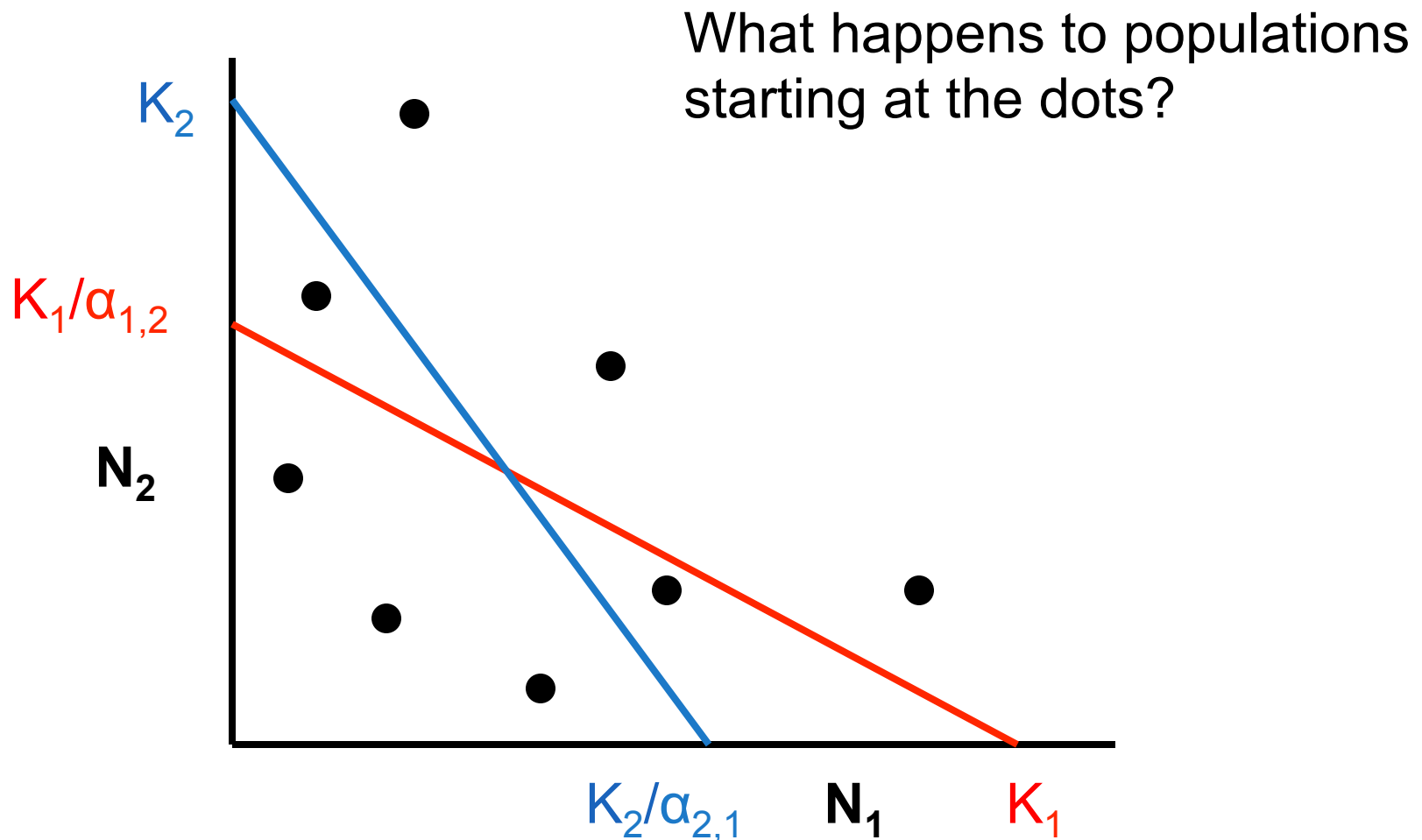


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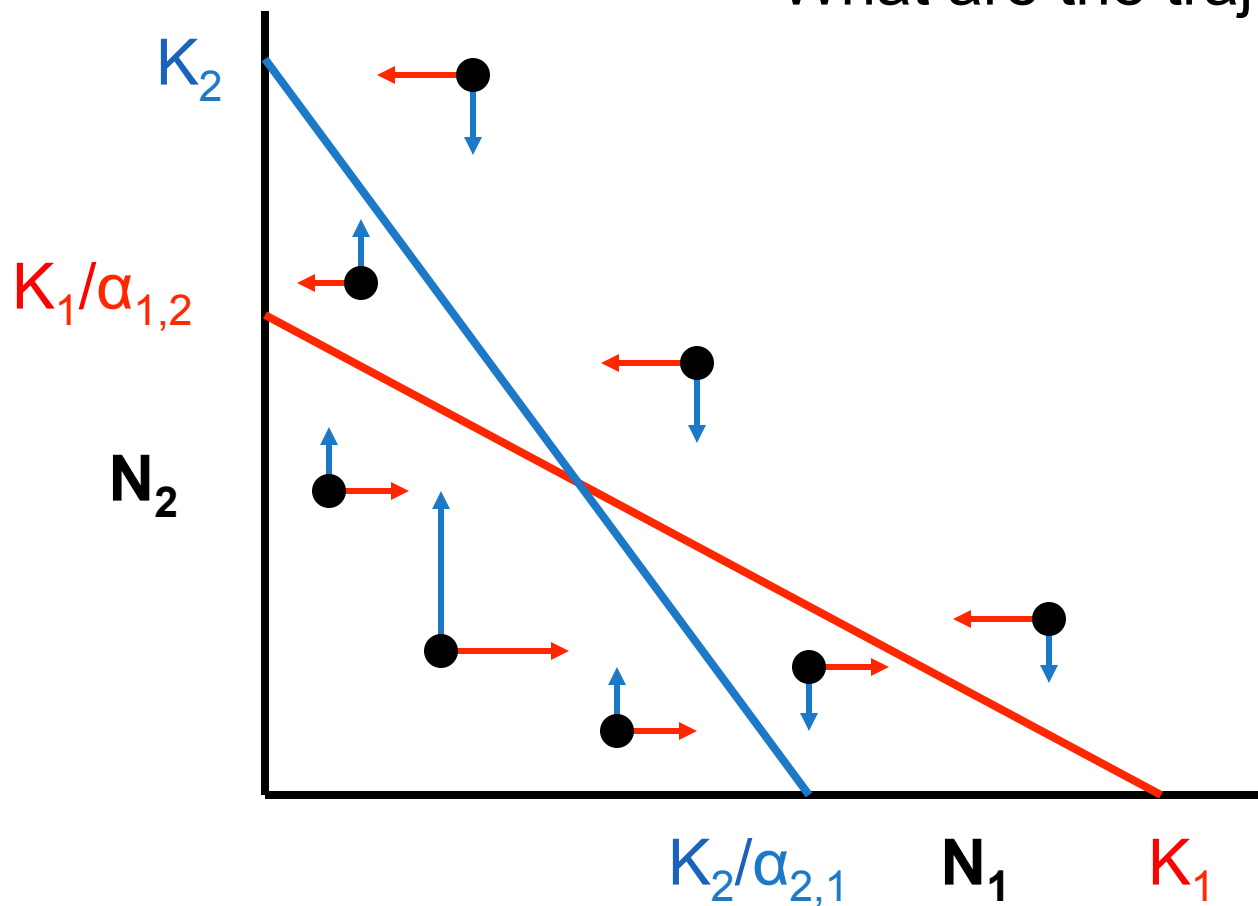


# Case 3: Unstable Equilibrium

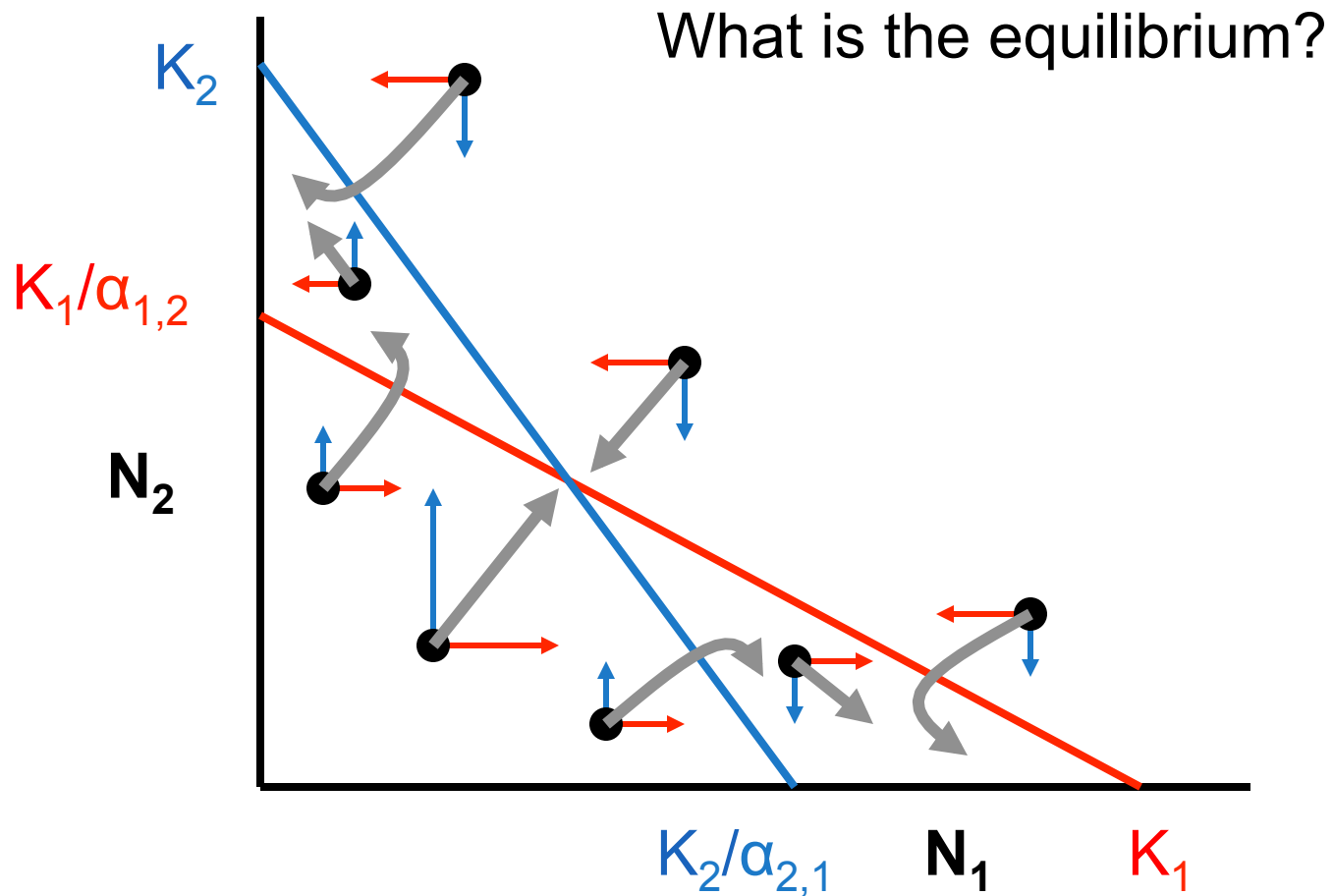


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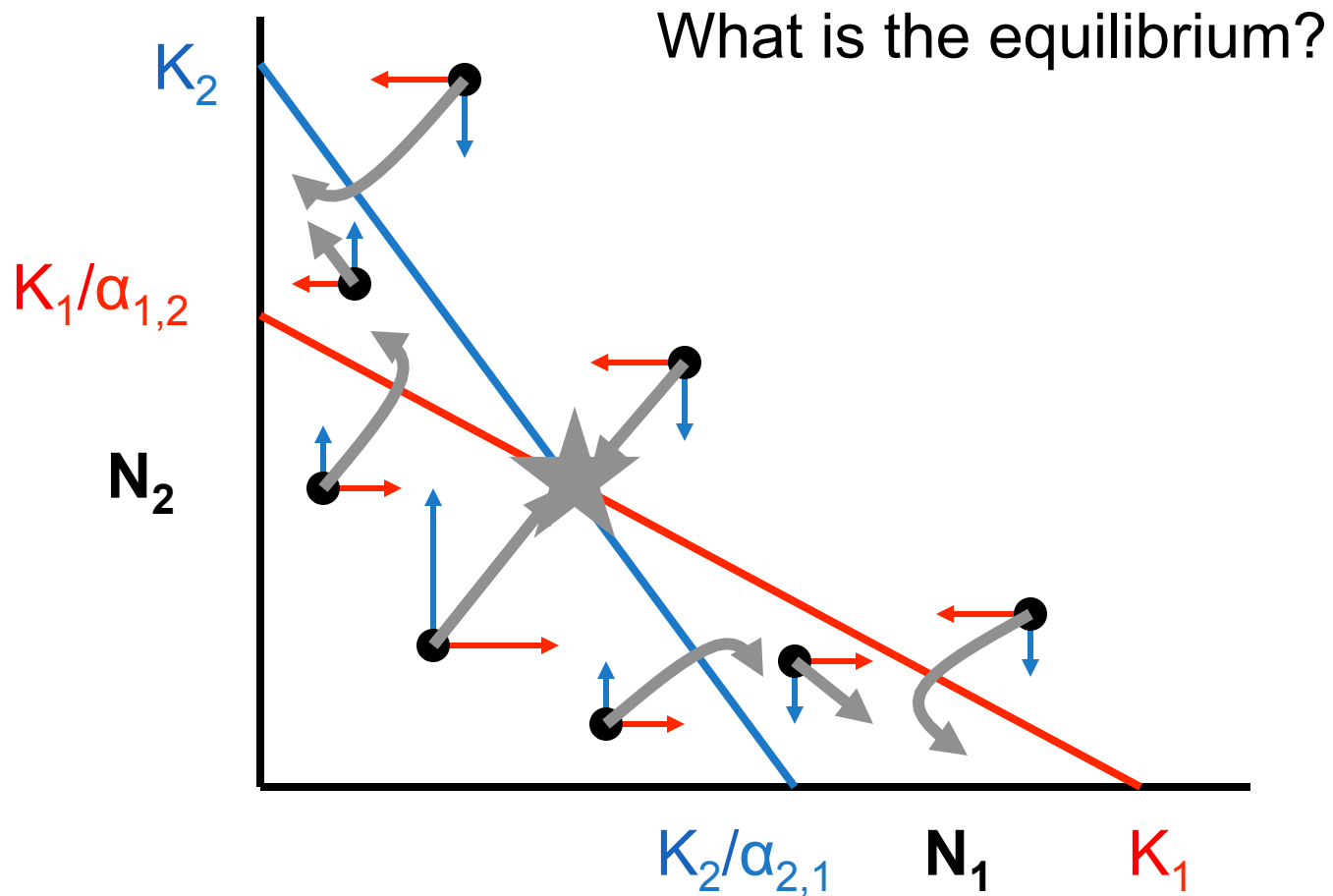
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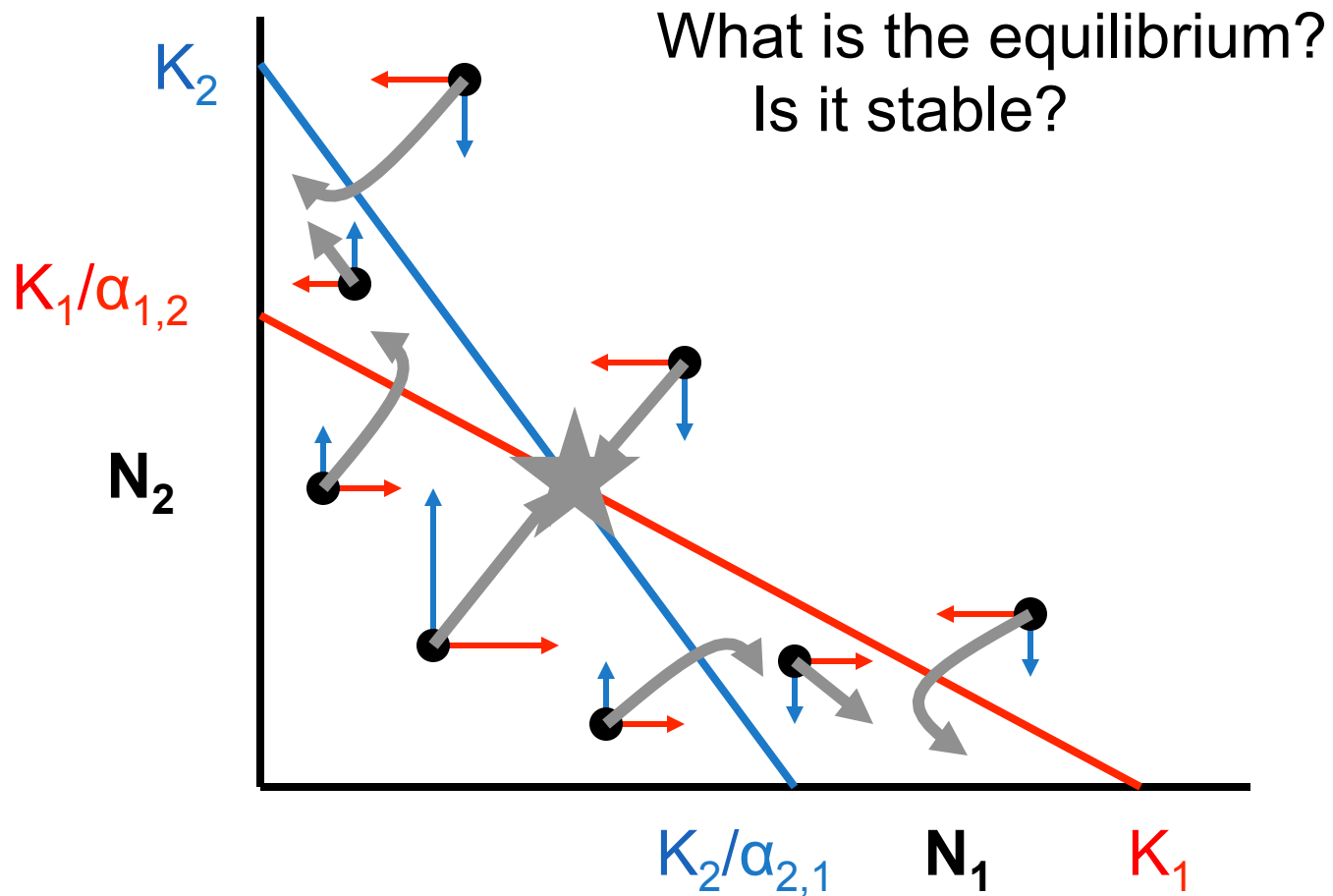
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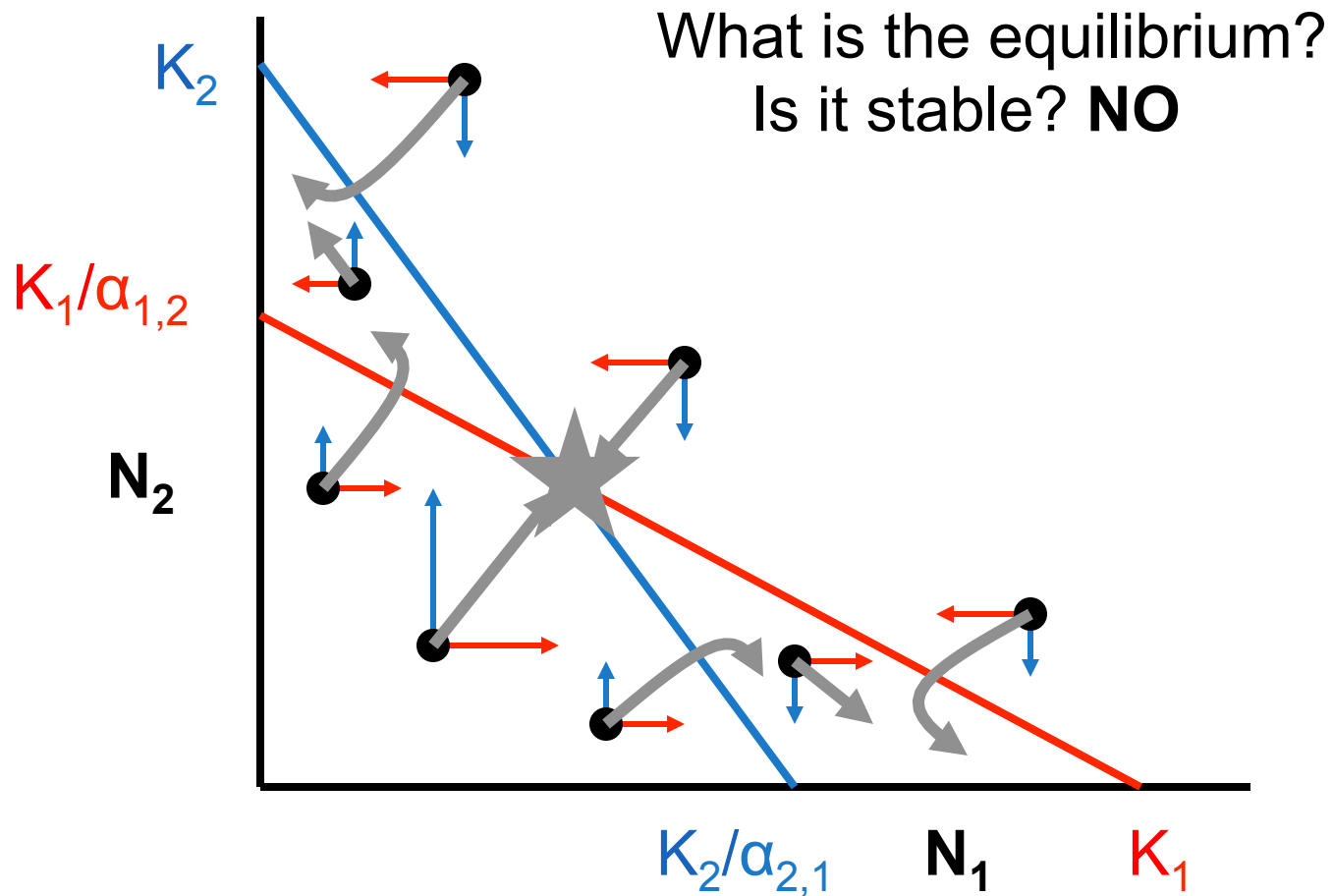
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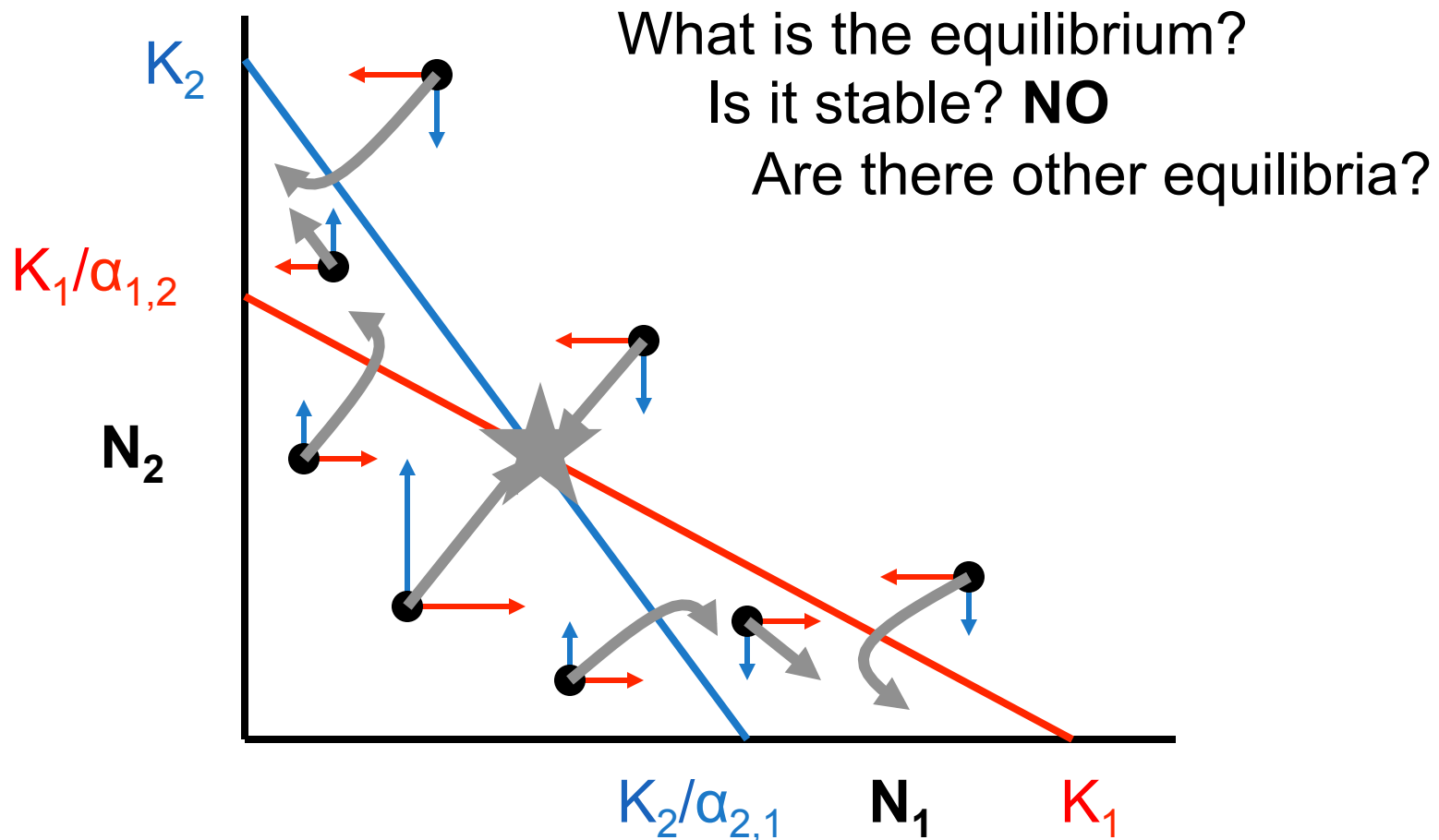
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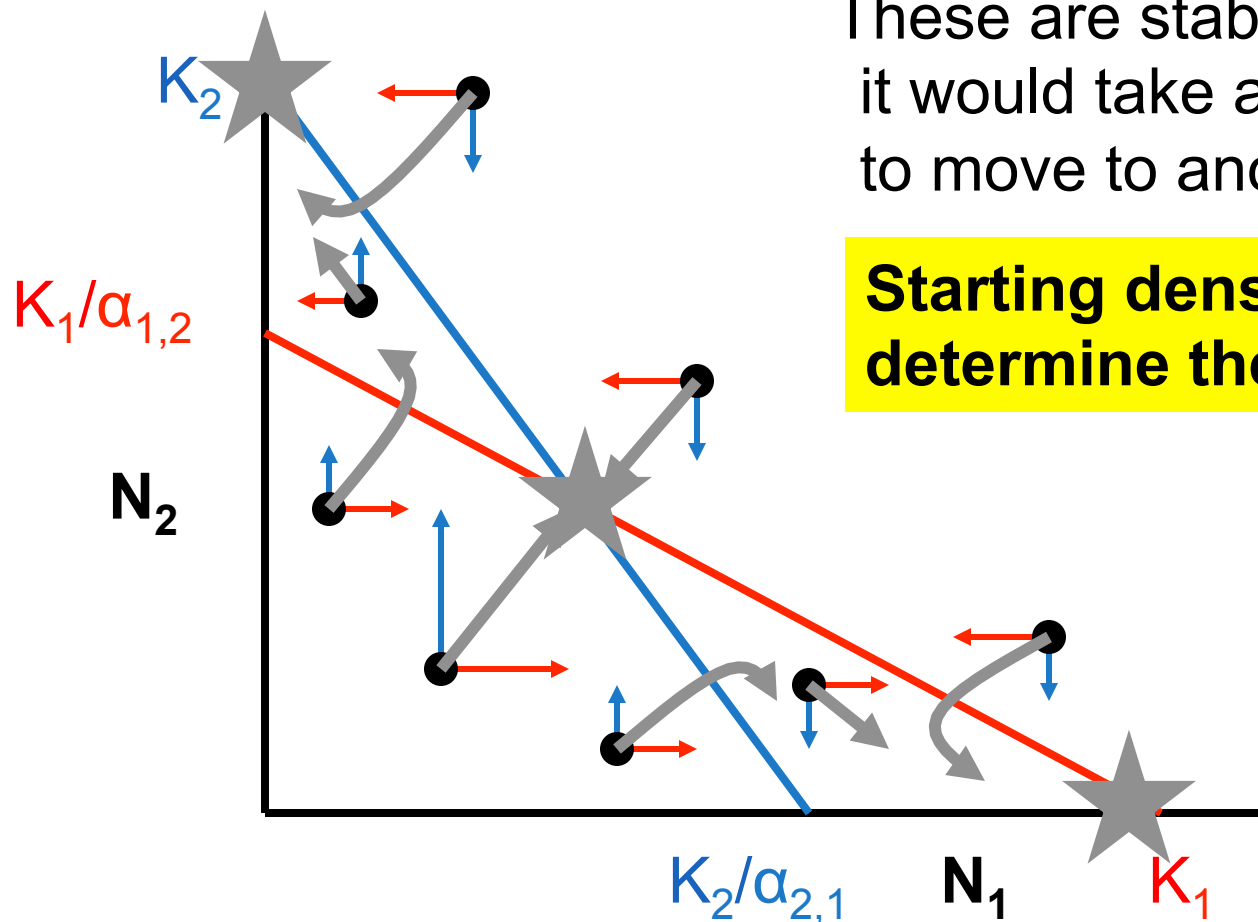
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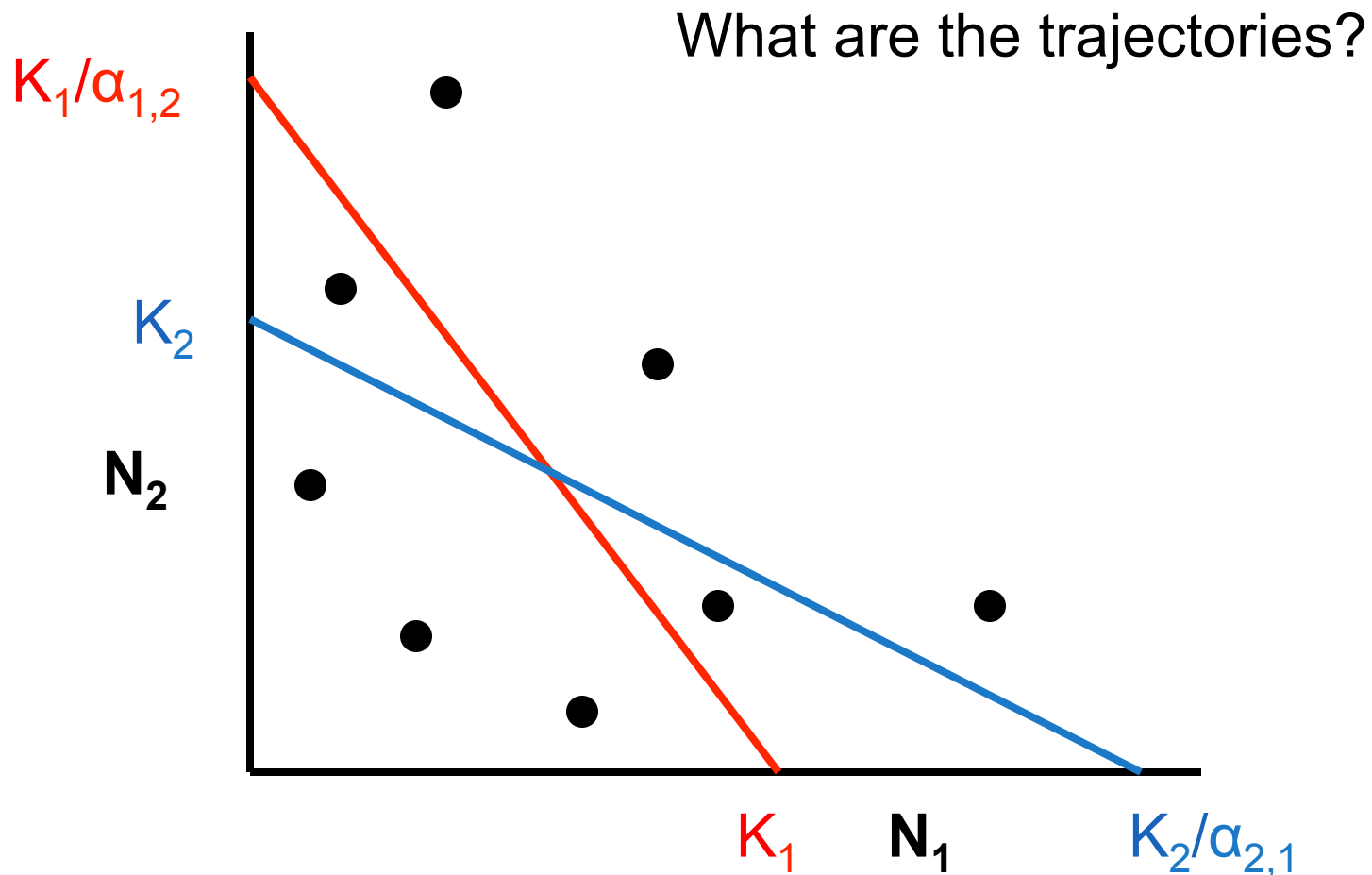


These are stable to a point;  
it would take a large change  
to move to another one

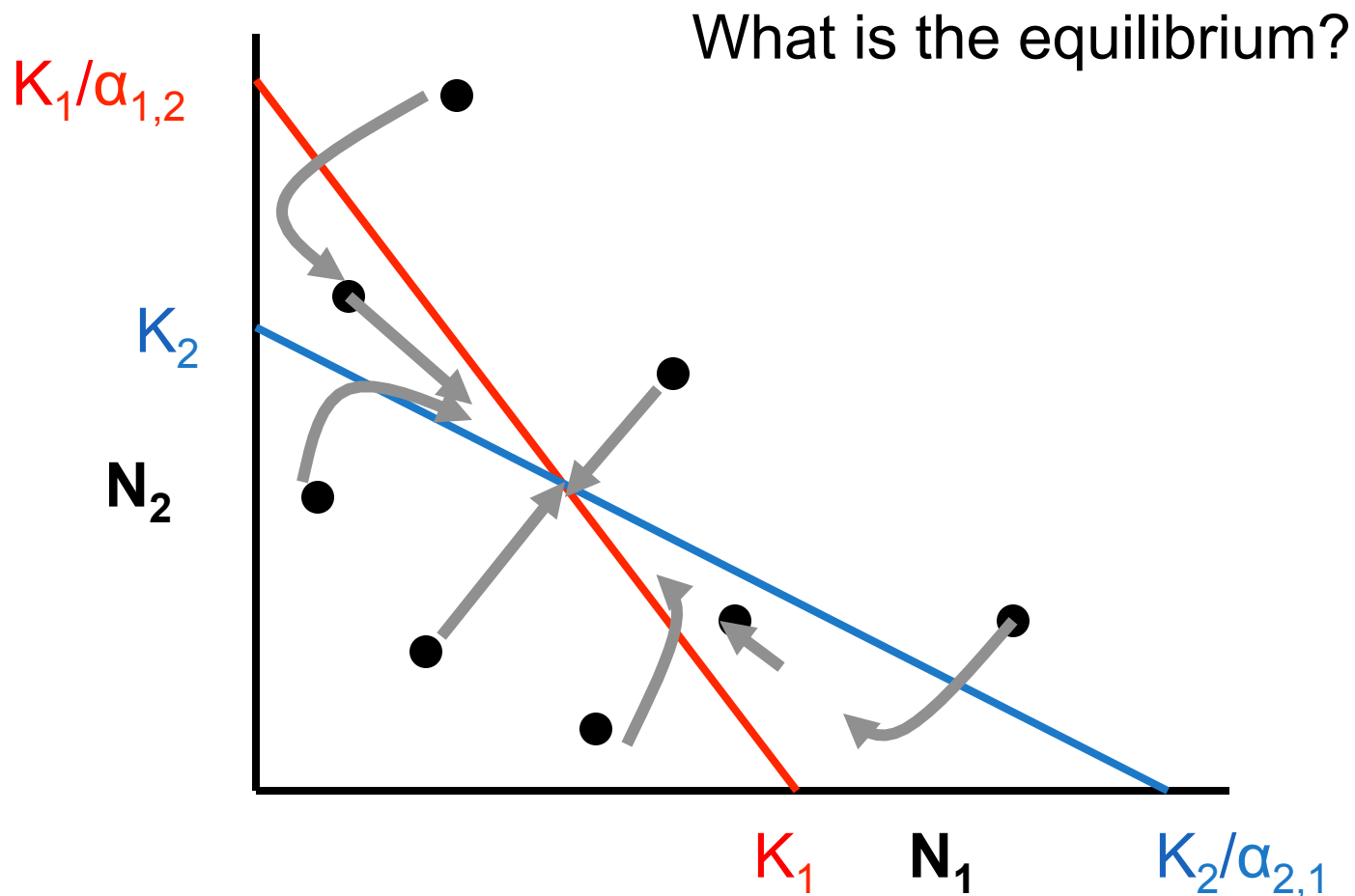
**Starting densities  
determine the outcome**



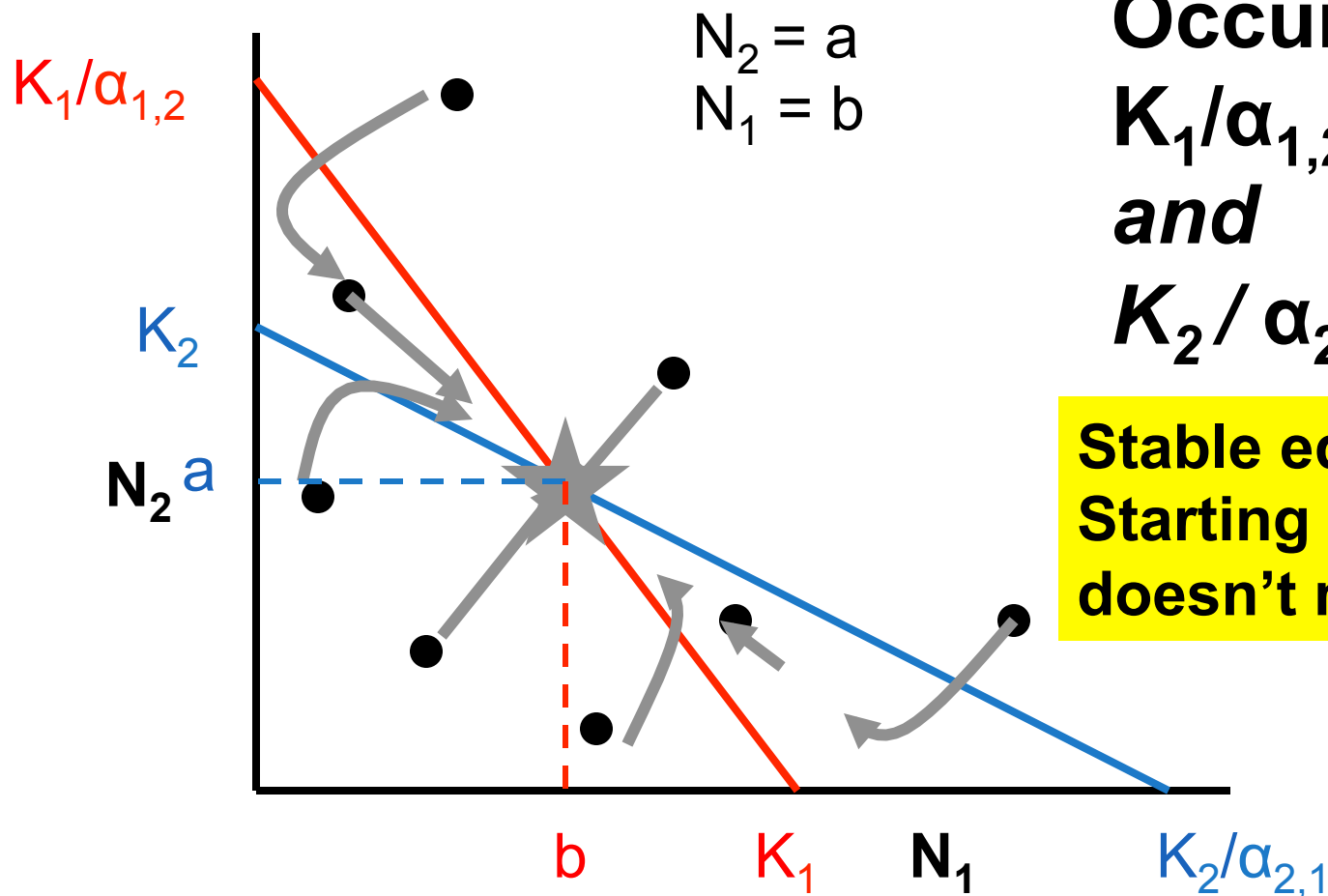
# Case 4: Competitive Coexistence



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# Case 4: Competitive Coexistence



Occurs when  
 $K_1/\alpha_{1,2} > K_2$   
and  
 $K_2/\alpha_{2,1} > K_1$

Stable equilibrium;  
Starting location  
doesn't matter

# Competitive Coexistence

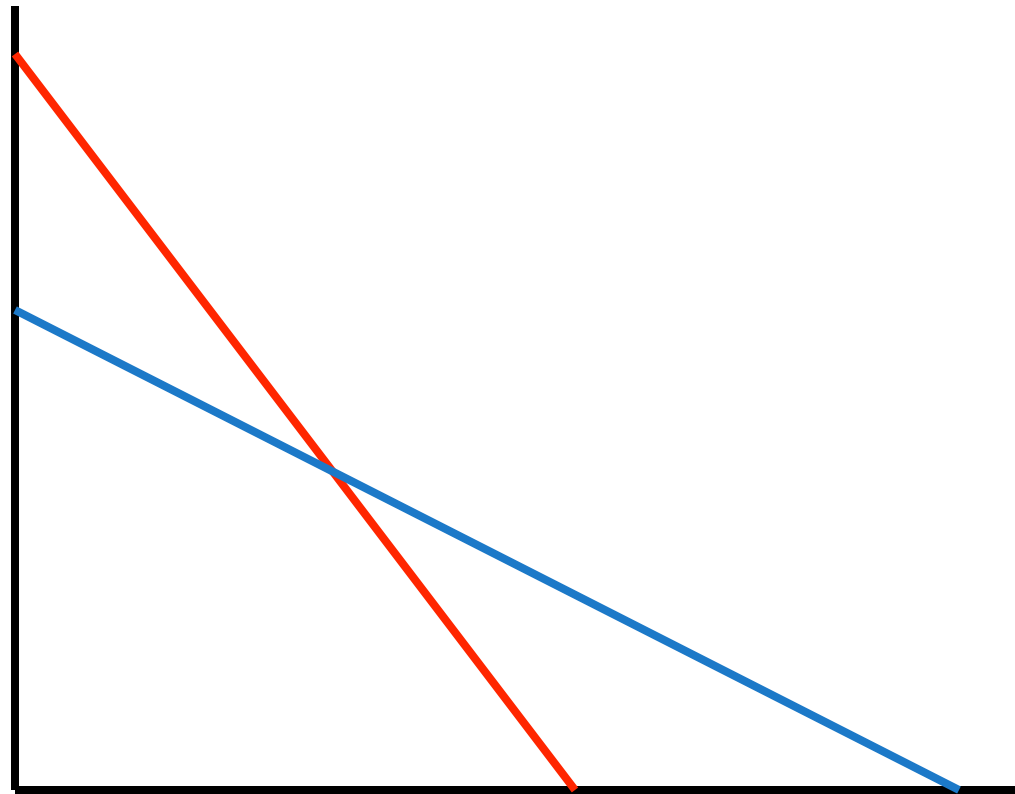
Population size required for  
species 2 to competitively  
Exclude species 1

$$K_1/\alpha_{1,2}$$

$$K_2$$

$$N_2$$

Carrying capacity  
for species 2



$$K_1$$

$$N_1$$

$$K_2/\alpha_{2,1}$$

Carrying capacity  
for species 1

Population size required for  
species 1 to competitively  
Exclude species 2

# Competitive Coexistence

Population size required for species 2 to competitively Exclude species 1

$$K_1/\alpha_{1,2}$$

e.g., species 2 unable to colonize a refuge for species 1, holding the abundance of species 2 low enough for species 1 to persist

$$K_2$$

$$N_2$$

Carrying capacity for species 2

e.g., predation prevents species 1 from becoming abundant enough to exclude species 2

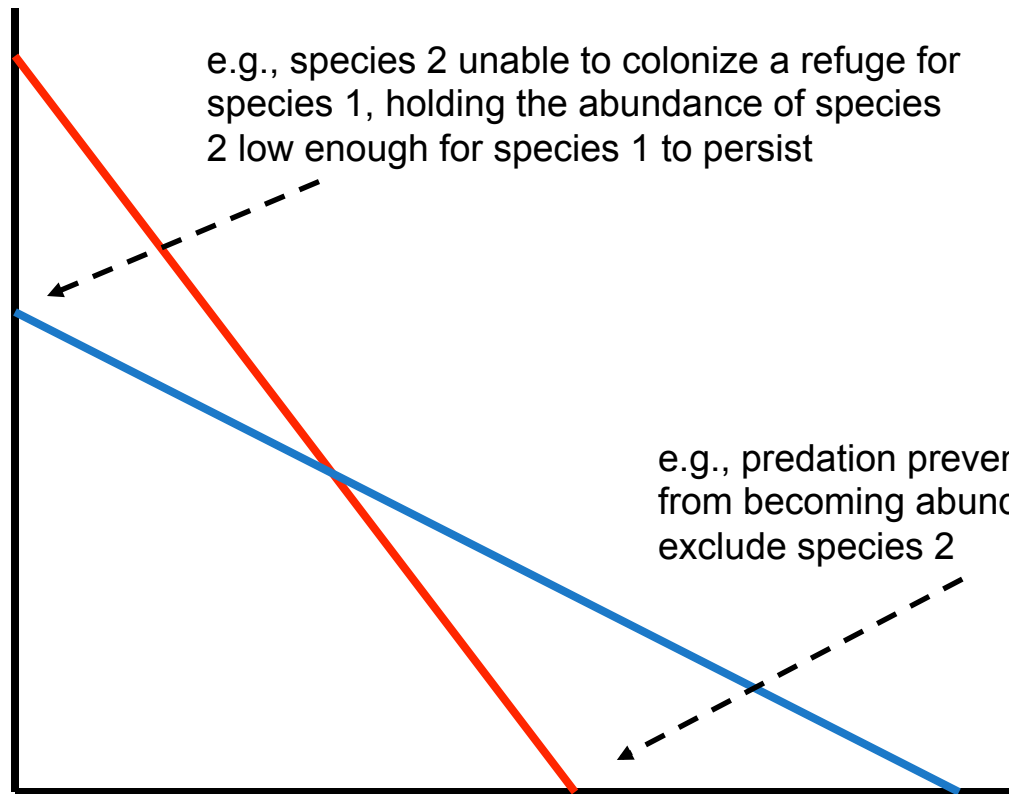
$$K_1$$

$$N_1$$

$$K_2/\alpha_{2,1}$$

Carrying capacity for species 1

Population size required for species 1 to competitively Exclude species 2

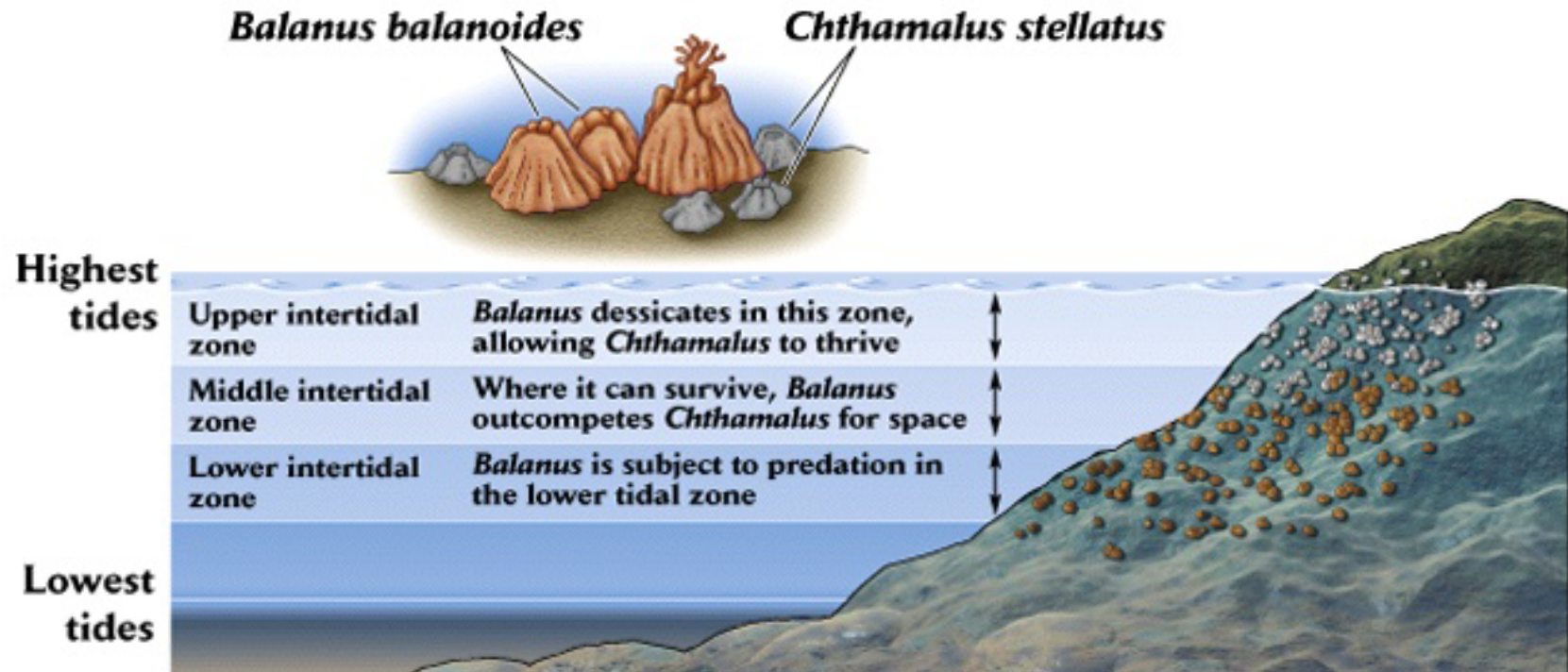


# What Allows Competitors to Coexist?

- Competition coefficients are small (low dietary overlap)

# What Allows Competitors to Coexist?

- Competitive refuge
  - There is a habitat where a superior competitor cannot exist
    - Barnacles in the intertidal zone



# What Allows Competitors to Coexist?

- Temporal Heterogeneity
  - e.g. two species may do better at differing temperatures; winner dependent on that year's conditions



# What Allows Competitors to Coexist?

- Predation and other mortality agents
  - If populations are kept low then there isn't really any competition and many species can coexist
    - Paine (1966) – starfish (mussel monoculture without them)



# What Allows Competitors to Coexist?

- Predation and other mortality agents
  - If populations are kept low then there isn't really any competition and many species can coexist
    - Newts and anurans

