## WrittenHW 2

1. $(\approx \# 6)$ For driver's license numbers issued in New York prior to September of 1992, the three digits preceding the last two of the number of a male with birth month $m$ and birth date $b$ are represented by $2 b+63 m$. For females the digits are $1+2 b+63 m$. Determine the dates of birth and sex(es) corresponding to the numbers 248 and 601
2. $\left(\approx \# 8^{*}\right)$ Suppose $a$ and $b$ are integers that divide the integer $c$. If $a$ and $b$ are relatively prime, does $a b=c$ ? Prove your conclusions. Show, by example, that if $a$ and $b$ are not relatively prime then $a b$ need not divide $c$.
3 . $\left(\approx \# 36^{*}\right)$ Identify and prove which transpositions errors involving adjacent digits are detected by the UPS check digit.
3. $(\approx \# 44)$ Use the two-check digit error correction method described in Chapter 0 to append two check digits to the number 73445860 .

## WrittenHW 2

1. $\left(\approx \# 46^{*}\right)$ Let $S=\mathbb{R}$. If $a, b \in S$, define $a \sim b$ if $a-b \in \mathbb{Z}$. Show that $\sim$ is an equivalence relation on $S$ and describe the equivalence classes of $S$.
2. $\left(\approx \# 48^{*}\right)$ Let $S=\mathbb{Z}$. If $a, b \in S$, define $a R b$ if $a+b$ is even. Prove that $R$ is an equivalence relation and determine the equivalence classes of $S$.
