

Exam 2

Math 213

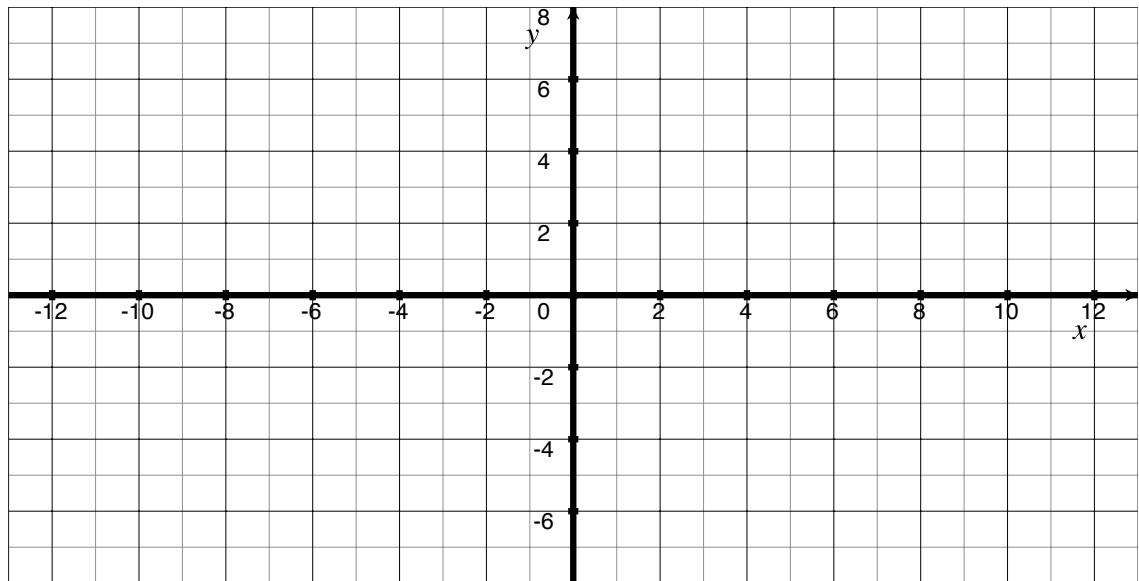
Show *all* your work on the following. A right answer with no supporting work will receive no credit.

1. For the following questions use the arithmetic sequence with the first few following terms:

Number of term:	1	2	3	4	5
Term:	-1	$-\frac{1}{3}$	$\frac{1}{3}$	1	$\frac{5}{3}$

- (a) [4] What is the formula for the n^{th} term? (Not a recursive definition, but one in which a_n is defined in terms of a_1 .)

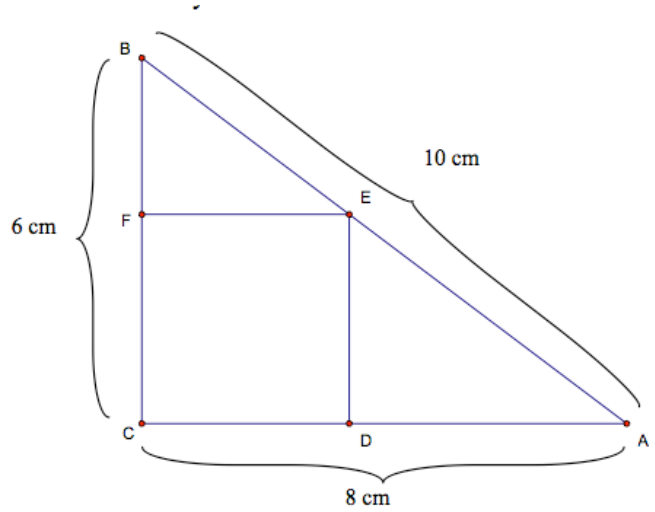
- (b) [4] Plot the first few points on the axis below.



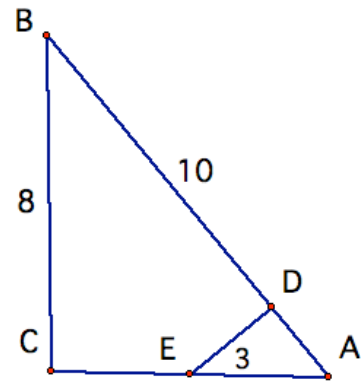
- (c) [5] Find the formula for the line you just drew.

2. [6] Find the equation of the image when the line described by $y = -x + 3$ is reflected about the x -axis.

3. [8] In the triangle ABC , a square has been inscribed as shown. Find the length of a side of the square.

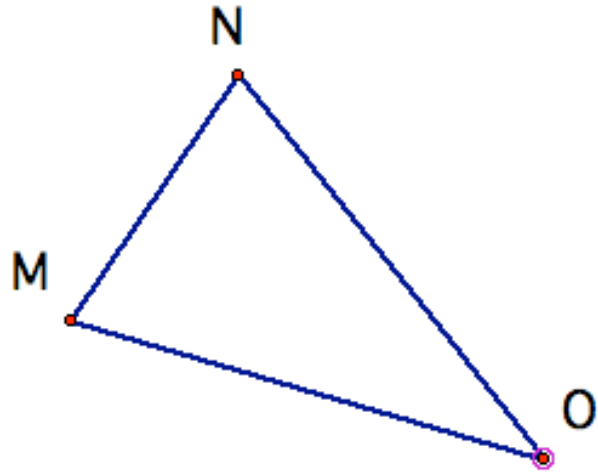


4. [5] In the following triangle, E is the midsegment of \overline{CA} , $\angle BCA \cong 90^\circ$, and $\angle CDA \cong 90^\circ$. Find BD if possible. If not possible, explain why.



5. Choose *ONE* of the following to *construct* and *justify* your steps. (Note, theorems are appropriate to cite here.)

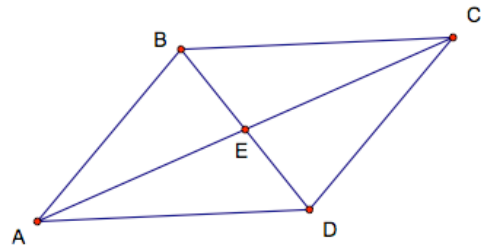
- (a) [10] Use only a compass and a straight edge to inscribe a circle in the triangle MNO . *Justify* why the center of your inscribed circle is the appropriate point. (You can cite theorems here.)



- (b) [10] Use only a compass and a straight edge to divide the line segment \overline{AB} into five congruent line segments. *Justify* why the line segments you created are all congruent. (You can cite theorems here.)

6. Choose *ONE* of the following statements to *prove*.

- (a) [8] The picture below shows a rhombus labeled $ABCD$. *Prove* that the diagonals are perpendicular to each other. (You must use congruent or similar triangles.)



- (b) [8] Recall by definition a parallelogram is a quadrilateral in which each pair of opposite sides are parallel. (Note, you are *not* given that the opposite sides are congruent.) In the following picture $ABCD$ is a parallelogram. *Prove* that E is the midpoint of \overline{AC} and \overline{BD} .

