1. [5] Identify which of the following expressions are meaningful. If they are meaningful, identify the object returned. If not meaningful, explain why in complete sentences.
(a) $(\vec{v} \cdot \vec{w}) \vec{z}$
(b) $\vec{v} \cdot \vec{w}+\vec{z}$
(c) $\|\vec{v}\|(\vec{w} \times \vec{z})$
(d) $(\vec{v} \cdot \vec{w}) \times(\vec{w} \cdot \vec{z})$
(e) $(\vec{v} \times \vec{w}) \cdot(\vec{w} \times \vec{z})$
2. The vector $\vec{q}=\langle 3200,1460,2230\rangle$ denotes the number of chicken sandwiches, hamburgers, and cheeseburgers, respectively, were sold at a fast-food restaurant in one week. The vector $\vec{p}=\langle 2.95,2.25,2.65\rangle$ gives the prices (in dollars).
(a) [2] Find $\vec{q} \cdot \vec{p}$ and interpret its meaning.
(b) [2] Explain vector operation must be done to find the total revenue from chicken sandwiches, hamburgers, and cheeseburgers if prices increase by $3 \%$.
3. [6] Both magnitude and direction of force change on a crankshaft as it rotates. Find the torque on the crankshaft at the position shown below when the force is 1500 lb .

4. Consider $P$ defined by $6 x-3 y+z=5, Q$ defined by $\langle-1,1,5\rangle \cdot(\langle x, y, z\rangle-\langle 0,0,5\rangle)=0$, and $R$ defined by $x=6-3 t, y=-1+2 t$ and $z=5+4 t$.
(a) [3] Identify what kinds of objects $P, Q$ and $R$ are.
(b) [3] Determine if $Q$ and $R$ intersect.
(c) [5] Given that $P$ and $Q$ intersect, find the angle created between these two objects.
5. [4] Data was collected on three different kinds of personal recreation expenditures from 2005 to 2010. The amounts are recorded in billions of dollars. A model for the data given below is $0.46 x+.30 y-z=4.94$.

| Year | 2005 | 2006 | 2007 | 2008 | 2009 | 2010 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| amusement parks \& campgrounds $(x)$ | 36.4 | 39.0 | 42.4 | 44.7 | 43.0 | 45.2 |
| live entertainment $(y)$ | 15.3 | 16.1 | 17.4 | 17.5 | 17.0 | 17.3 |
| spectator sports $(z)$ | 16.4 | 18.1 | 20.0 | 20.5 | 20.1 | 21.4 |

Remake the fourth row in the table above using the model given to approximate spectator sports $(z)$. Compare the approximation with the actual values of spectator sports $(z)$ recorded for each year.

