

## tore 112: Quiz 3

There are two sides to this quiz. You can use a calculator and a four-sided $3 \times 5$ " notecard with anything written or typed on it.

1. [4] (Lang pg 53-58) For each of the following origami patterns, identify the bases)

2. [2] Draw a transversal line.

cross 2 lime indicate which (S)


$t$ is transversal b/c
$t$ crosses two
aha lines (made)
angles (1.5 par 45 wheal (x)
3. [2] (Wheater $\S 3.1 \# 5$ ) On the drawing you made above, identify a pair of vertical angles. There are mary answers?

$$
\alpha \text { and } \beta \text { work }
$$

4. [2] (Wheater $\S 3.1 \# 2$ ) On the drawing you make above, identify a pair of alternating interior angles. (1) and $\beta$ wonk
(nose: there is another pour that could also wank)
5. [2] (GradingActivity \#1b) When computing the average score for each category in this class, are there any scores you can ignore/drop? If so, which ones and why?

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\begin{aligned}
& \text { (11) The lowest quiz save? } \\
& \text { (ts) he syllabus indicates that the lowest scare } \\
& \text { ischogged. }
\end{aligned}
$$


7. [4] (2/10 Discussion) Evaluate the following excerpt (1st and 2nd paragraph) from a

Literature review of Pythagorus as you would for a peer with respect to the Organi-
inkodiars (1) Pythagorus is one of the oldest and best known mathematicians. Croton Porch was experiencing a religious revival "leading to a plethora of quasi-religious communities...(that) shared (an) appreciation of a roster of taboos and rituals" (Barrow 1992). Pythagorus had a particularly interesting one that seemed to worship numbers and assumed their deep connection with, among other things, geometry.

Perhaps even more famous than the mathematician is the theorem that bears his name. The theorem relates to triangles. Let us denote the three side) lengths of a triangle with letters, $a, b$, and $c$. Many know the Pythagorean theorem as "A right triangle satisfies the equation, $a^{2}+b^{2}=c^{2}$ where $c$ is the length of the hypothenuse". This version of the Pythagorean theorem is quite useful in finding unknown lengths computationally. Interestingly, this is only half of the theorem! In particular, if $a^{2}+b^{2}=c^{2}$, then we can say that the triangle has a right angle. This second half of the Pythagorean Theorem thus gives us a way of checking if an angle is $90^{\circ}$ or not.
The introductory is nat summarizing the Pages?
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