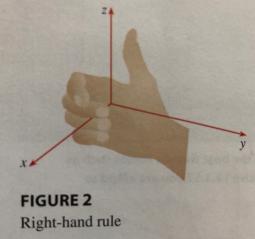
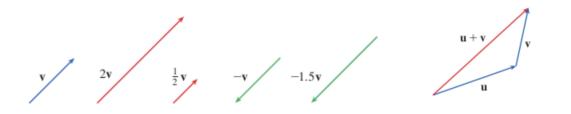
Three-Dimensions

Conventions:

- The direction of the z-axis is determined by the right-hand rule: if you curl the fingers of your right hand around the z-axis in the direction of a 90° counterclockwise rotation from the positive x-axis to the positive y-axis, then your thumb points in the positive direction of the z-axis. Note, picture from Stewart's text.
- When drawing axis, the arrows denote the positive side of an axes.

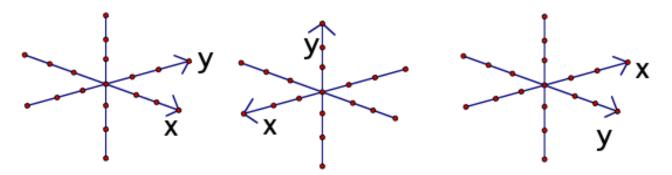


(Some of the) Things we can do with Vectors (\vec{u}, \vec{v}) : Add Scale Subtract Find the Length/Magnitude: $||\vec{v}||$



While working in a group make sure you:

- Expect to make mistakes but be sure to reflect/learn from them!
- Are civil and are aware of your impact on others.
- Assume and engage with the strongest argument while assuming best intent.
- 1. For each of the following set of axis below, identify the positive z-axis:

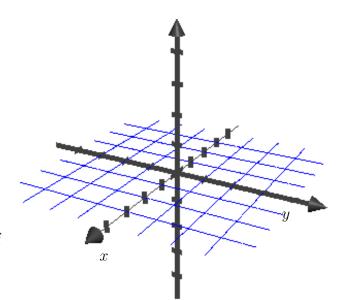


2. Identify the yz plane on the axis in the middle.

Let A = (0, 0, 0), B = (1, 2, 3), & C = (0, -2, 1)

- 3. Use the coordinate axis provided for:
 - (a) Plot the points A, B, & C

Note that the points plotted in part (a) cast 'shadows' on the xy-plane. That is, if we drop a perpendicular from a point P = (a, b, c) to the xy-plane, the point Q = (a, b, 0) is the *projection* of P to the xy-plane.



- (b) Find the yz-plane projections of the three points you plotted in part (a).
- (c) Find the distance between the points A and B.

4. Plot the vectors \overrightarrow{AB} and \overrightarrow{CA} on the axis above.

Notation: vectors \overrightarrow{v} that move *a* units in the *x* direction, *b* in the *y* direction, and *c* in the *z* direction can be denoted, $\langle a, b, c \rangle$. These are the components of \overrightarrow{v} .

- 5. Write the components of \overrightarrow{AB} and \overrightarrow{CA}
- 6. Plot the vector \overrightarrow{i}