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**Gordon, Y.**

**Asymmetry and projection constants of Banach spaces.**

*Israel J. Math.* **14** (1973), 50–62.

If  $(A, \alpha)$  is a normed linear ideal of operators and  $E$  is an  $n$ -dimensional normed space, put  $\alpha(E) = \alpha(I_E)$ , where  $I_E$  is the identity operator on  $E$ . If  $(A^\Delta, \alpha^\Delta)$  is the conjugate ideal, then  $n \leq \alpha(E)\alpha^\Delta(E) \leq \min(n(s(E))^2, 3n(\delta(E))^3)$ , where  $s(E)$  is the asymmetry constant of  $E$  and  $\delta(E)$  the diagonal asymmetry constant of  $E$ . A more complicated result is obtained for the unconditional asymmetry constant  $\chi(E)$ . It is shown that there exist finite-dimensional normed spaces with arbitrarily large diagonal asymmetry constant. It is also shown that the projection constant of a two-dimensional normed space is always less than  $\sqrt{2}$ .

Reviewed by *D. J. H. Garling*

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