

## Summer Institute in Statistical Genetics Module 6: Computing for Statistical Genetics

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4. Model Fitting

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Two of the most important R commands;

- lm(): fits Linear Models
- glm(): fits Generalized Linear Models

(If you've used SAS, its glm is **not** the same as R's)

'Linear Regression' and 'Logistic Regression' are special cases.

The help files are huge (and generic) – how are lm(), glm() used in genetics?

For a continuous outcome,

```
lm(outcome \sim genetic.predictor, [...] )
```

estimates the association between outcome and predictor

The **optional** arguments [...] might be

- data = my.data your dataset
- subset = race=="CEPH" use partial data
- weights = for advanced analyses

Model Description	predictor	Common name
Number of minor alleles	(g=='Aa') + 2*(g=='aa')	Additive
	Or as.numeric(g)	
Presence of minor allele	(g=='Aa')   (g=='aa')	Dominant
Homozygous for minor allele	g=='aa'	Recessive
Distinct effects	factor(g)	2 parameter,
for hetero/homozygous		or "2 df"

cholesterol

Some data; cholesterol levels plotted by genotype (single SNP)



Additive model (the most commonly used)



Dominant model (best fit to this data)



Recessive model (least stable for rare aa)



cholesterol





## lm(): Estimates, Intervals, p-values

lm() produces point estimates for your model;

```
> predictor <- (g=="Aa") + 2*(g=="aa") #the number of 'a' alleles
> my.lm <- lm( cholesterol ~ predictor )
> my.lm
Call:
lm(formula = cholesterol ~ predictor)
Coefficients:
(Intercept) predictor
0.2104 0.9507
```

- also available via my.lm\$coefficients.

The coefficients in the output tell you the **additive increase** in outcome associated with a **one-unit** difference in the genetic predictor.

The coefficient for predictor is in units of cholesterol

You will also want confidence intervals;

Remember to **round these numbers** to an appropriate number of significant figures! (2 or 3 is usually enough)

We are **seldom** interested in the Intercept

## lm(): Estimates, Intervals, p-values

Two-sided **p-values** are also available;

In this data, we have **strong evidence** of an **additive effect** of the minor allele on cholesterol

summary(my.lm) gives many other details - ignore for now

Confidence intervals are just Estimate  $\pm$  2×Std.Error

Logistic regression is the 'default' analysis for binary outcomes

Outcome	Туре	Regression	Scale
Cholesterol			
Blood Pressure	Continuous	Linear	Difference in Outcome
BMI			
Death Stroke BMI>30	Binary	Logistic	Ratio of odds

What are **odds**? Really just **probability**...

Odds are a [gambling-friendly] measure of chance;



Odds are a [gambling-friendly] measure of chance;



Odds are a [gambling-friendly] measure of chance;



- so what are odds ratios?

Using the data from the bar charts;

These are log odds ratio estimates; to transform to OR, use  $e^{0.6931} = 2, e^{2.8904} = 18$ 

They are given **relative to the baseline group** – 'AA' in this case

Don't forget the family=binomial argument!

Confidence intervals, p-values as with lm(), for the log odds ratios;

```
> confint.default(glm1)
```

- pred2Aa 0.1201986 1.2660957
- pred2aa 2.1148912 3.6658523

Use exp() to get odds ratio estimates, intervals; p-values are scale-independent

We fit  $lm(y \sim predictor)$  and  $glm(y \sim pred2)$ . To see how phenotype depends on *several* covariates, we specify e.g.

```
y \sim genotype.pred + age + sex
```

- formally, this gives *multivariate regression*; the genotype.pred coefficients reflect the genotype effects *adjusted for age and sex* 

- Separate covariates with '+'. This is *not* addition!
- For now, make predictor variables first, then do regression; doing everything in one step is possible, but requires care when using e.g. addition (see above)
- For keen people; in the formula syntax, \* indicates that interactions should be fitted, I() insulates mathematical operations, -1 removes the intercept... see ?formula