

## Errata for “Bayesian and Frequentist Regression Methods”

- **Chapter 2:** Page 35, line 12, should be “ $\mathbf{A}_n = \mathbf{A}$  and  $\mathbf{B}_n = \mathbf{B}/n$ ”.
- **Chapter 2:** Page 40, last line, should be:

$$\sqrt{n}(\hat{p} - p) \rightarrow_d N[0, p(1 - p)],$$

- **Chapter 2:** Page 43. The information should be:

$$I(\theta) = \frac{n \exp(\theta)}{[1 + \exp(\theta)]^2}$$

and so the asymptotic distribution is

$$\sqrt{n}(\hat{\theta} - \theta) \rightarrow_d N\left(\theta, \frac{[1 + \exp(\theta)]^2}{\exp(\theta)}\right).$$

- **Chapter 2:** Page 50, lines 7,  $\mathbf{D}$  is the  $n \times (k + 1)$  matrix of derivatives with elements  $\partial\mu_i/\partial\beta_j$ ,  $i = 1, \dots, n, j = 1, \dots, k + 1$ .
- **Chapter 2:** Page 50, 3 lines below equation (2.30), “assuming  $\text{var}(Y | \boldsymbol{\beta}) = \alpha \mathbf{V}$ .”
- **Chapter 2:** Page 54, line 14 should read, “The form of the mean-variance relationship given by (2.36) and (2.37) suggests”.
- **Chapter 2:** Page 57, line 6,

$$\mathbf{A} = \text{E} \left[ \frac{\partial}{\partial \boldsymbol{\theta}^T} \mathbf{G}(\boldsymbol{\theta}, Y) \right] .,$$

- **Chapter 2:** Page 57, line 13,

$$\hat{\mathbf{A}}_n = \frac{1}{n} \sum_{i=1}^n \frac{\partial}{\partial \boldsymbol{\theta}^T} \mathbf{G}(\hat{\boldsymbol{\theta}}, Y_i),$$

- **Chapter 2:** Page 59, in the Model-based variance line of Table 2.2, the Likelihood entry should be

$$- \left\{ \sum_i \text{E} \left[ \frac{\partial^2}{\partial \beta^2} \log L_i \right] \right\}^{-1}$$

- **Chapter 2:** Page 59. Footnote of table should end with a period.
- **Chapter 2:** Page 65, line 13, “is not close to  $F$ ”.
- **Chapter 2:** Page 68, line 16,

$$\hat{\boldsymbol{\theta}}_n^* \approx \hat{\boldsymbol{\theta}}_n - \frac{\mathbf{S}(\hat{\boldsymbol{\theta}}_n)^T \mathbf{D} \mathbf{1}_n}{n \hat{\mathbf{A}}_n}$$

- **Chapter 2:** Page 68, line 18,

$$\text{E} \left[ \hat{\boldsymbol{\theta}}_n^* - \hat{\boldsymbol{\theta}}_n \right] \approx - \frac{\mathbf{S}(\hat{\boldsymbol{\theta}}_n)^T \text{E}[\mathbf{D}] \mathbf{1}_n}{n \hat{\mathbf{A}}_n} = - \frac{\mathbf{S}(\hat{\boldsymbol{\theta}}_n)^T \mathbf{1}_n}{n \hat{\mathbf{A}}_n} = \mathbf{0}$$

- **Chapter 2:** Page 75, line 4, “Since  $(p - r)$  elements of the score vector are zero, that is,  $\mathbf{S}_{n1}(\hat{\boldsymbol{\theta}}_n^0) = \mathbf{0}$ , we have

$$\mathbf{S}_{n2}(\hat{\boldsymbol{\theta}}_n^0)^T \mathbf{I}_{22.1}^{-1}(\hat{\boldsymbol{\theta}}_n^0) \mathbf{S}_{n2}(\hat{\boldsymbol{\theta}}_n^0)/n \rightarrow_d \chi_r^2.$$

- **Chapter 2:** Page 75, line -6

$$\sqrt{n}(\hat{\boldsymbol{\theta}}_{n2} - \boldsymbol{\theta}_{20})^T \mathbf{I}_{22.1}(\hat{\boldsymbol{\theta}}_n^0) \sqrt{n}(\hat{\boldsymbol{\theta}}_{n2} - \boldsymbol{\theta}_{20}) \rightarrow_d \chi_r^2$$

- **Chapter 3:** Page 92. Line 4, there is a  $d\theta$  missing.
- **Chapter 3:** Page 106. The second line of the third displayed equation should read

$$\approx \exp [nh(\tilde{\theta})] \int_{-\infty}^{\infty} \exp \left[ \frac{nh^{(2)}(\tilde{\theta})}{2} (\theta - \tilde{\theta})^2 \right] d\theta,$$

- **Chapter 4:** Page 193. In Exercise 4.4 the conditional distributions should be as below.

$$\begin{aligned} \delta &| \tau^2, \pi_0, \mathbf{H}, \mathbf{y} \\ \tau^2 &| \delta, \pi_0, \mathbf{H}, \mathbf{y} \\ \pi_0 &| \tau^2, \delta, \mathbf{H}, \mathbf{y} \\ H_i &| \delta, \tau^2, \pi_0, \mathbf{y}, \quad i = 1, \dots, m, \end{aligned}$$

- **Chapter 5:** Page 228. Table 5.8 should be as below.

Source	Sum of Squares	DF	MS	EMS
Factor $A$	$SS_A = b \sum_{i=1}^a (\bar{Y}_{i.} - \bar{Y}_{..})^2$	$a - 1$	$\frac{SS_A}{a-1}$	$\sigma^2 + \frac{b \sum_{i=1}^a \alpha_i^2}{a-1}$
Factor $B$	$SS_B = a \sum_{j=1}^b (\bar{Y}_{.j} - \bar{Y}_{..})^2$	$b - 1$	$\frac{SS_B}{b-1}$	$\sigma^2 + \frac{a \sum_{j=1}^b \beta_j^2}{b-1}$
Error	$SS_E = \sum_{i=1}^a \sum_{j=1}^b (Y_{ij} - \bar{Y}_{i.} - \bar{Y}_{.j} + \bar{Y}_{..})^2$	$(a-1)(b-1)$	$\frac{SS_E}{(a-1)(b-1)}$	$\sigma^2$
Total	$SS_T = \sum_{i=1}^a \sum_{j=1}^b (Y_{ij} - \bar{Y}_{..})^2$	$ab - 1$		

Table 5.8: ANOVA table for the two-way crossed classification with one observation per cell; DF is shorthand for degrees of freedom, MS for mean square and EMS for the expected mean square. The F statistics are given by:  $[SS_A/(a-1)]/[SS_E/(a-1)(b-1)]$  for factor  $A$  and  $[SS_B/(b-1)]/[SS_E/(a-1)(b-1)]$  for factor  $B$ .

- **Chapter 5:** Page 230. Table 5.10 should be:

Source	Sum of Squares	DF	MS	EMS
Factor $A$	$SS_A = bn \sum_{i=1}^a (\bar{Y}_{i..} - \bar{Y}_{...})^2$	$a - 1$	$\frac{SS_A}{a-1}$	$\sigma^2 + \frac{bn \sum_{i=1}^a \alpha_i^2}{a-1}$
Factor $B$ (within $A$ )	$SS_B = n \sum_{i=1}^a \sum_{j=1}^b (\bar{Y}_{ij.} - \bar{Y}_{i..})^2$	$a(b-1)$	$\frac{SS_B}{a(b-1)}$	$\sigma^2 + \frac{a \sum_{j=1}^b \beta_j^2}{a(b-1)}$
Error	$SS_E = \sum_{i=1}^a \sum_{j=1}^b \sum_{k=1}^n (Y_{ijk} - \bar{Y}_{ij.})^2$	$ab(n-1)$	$\frac{SS_E}{ab(n-1)}$	$\sigma^2$
Total	$SS_T = \sum_{i=1}^a \sum_{j=1}^b \sum_{k=1}^n (Y_{ijk} - \bar{Y}_{...})^2$	$abn - 1$		

Table 5.10: ANOVA table for the two-way nested classification; DF is shorthand for degrees of freedom, MS for mean square and EMS for the expected mean square. The F statistics are given by:  $[SS_A/(a-1)]/[SS_E/ab(n-1)]$  for factor  $A$  and  $[SS_B/a(b-1)]/[SS_E/ab(n-1)]$  for factor  $B$

- **Chapter 7:** Page 315, lines 12 and 13:

$$\begin{aligned} E[q_i] &= p_i = \frac{a_i}{d} \\ \text{var}(q_i) &= \frac{p_i(1-p_i)}{d+1} \end{aligned}$$

The first line contains a clarification, the second contains a corrected typo.

- **Chapter 8:** Page 373, line 6. In the expression for the MSE, replace  $\bar{y}_{ij}$  by  $y_{ij}$ .
- **Chapter 8:** Page 382, line 4. “so that (8.28) is recovered”.
- **Chapter 8:** Page 384, line 22. “Student’s t” to “Student’s  $t$ ”.
- **Chapter 8:** Page 384, line 27. “scale  $r/s$ ” to “scale  $1/rs$ ”.
- **Chapter 9:** Page 489, line 9. Equation should be

$$= \exp\left(\beta_1 + \sqrt{D_{11}}/2\right) + \exp\left(\beta_2 + \sqrt{D_{22}}/2\right)$$

- **Appendix A:** Page 650, line 19, and equation below, should read, “If  $\mathbf{A}$  is again a  $p \times p$  matrix then”

$$\frac{\partial}{\partial \mathbf{x}}(\mathbf{u}^\top \mathbf{A} \mathbf{u}) = \frac{\partial \mathbf{u}^\top}{\partial \mathbf{x}} \mathbf{A} \mathbf{u} + \frac{\partial \mathbf{u}^\top}{\partial \mathbf{x}} \mathbf{A}^\top \mathbf{u}.$$

- **Appendix G:** Page 670, line -5:

$$\hat{\phi}(T) = \mathbb{E}[\tilde{\phi}(\mathbf{Y}) \mid T].$$

- **Appendix G:** Page 673. In equation (G.3),  $Y_m$  should be replaced by  $Y_n$ .