## Extra from Homework 3, Q1:

|  | A-locus |  |  |
| :--- | :---: | :---: | :---: |
| B-locus | $A_{1} A_{1}$ | $A_{1} B_{1}$ | $B_{1} B_{1}$ |
| $A_{2} A_{2}$ | 143 | 17 | 2 |
| $A_{2} B_{2}$ | 35 | $(5)$ | 0 |
| $B_{2} B_{2}$ | 3 | 0 | 0 |

If there are any $B_{1} B_{2}$ they will most likely show as double-heterozygotes, as $A_{1} A_{2}$ is the common haplotype.
$\#\left(A_{1} A_{2}\right)=2^{*} 143+35+17+5 \mathrm{x}=338+5 \mathrm{x} ; q_{1}=(338+5 x) / 410$
$\#\left(A_{1} B_{2}\right)=35+2^{*} 3+5(1-x)=41+5(1-x) ; q_{2}=(46-5 x) / 410$
$\#\left(B_{1} A_{2}\right)=17+2^{*} 2+5(1-x)=21+5(1-x) ; q_{3}=(26-5 x) / 410$
$\#\left(B_{1} B_{2}\right)=5 \mathrm{x}$
If $x=0,2 q_{2} q_{3}=0.014$ and expected double-hetzs is 2.9.
The fact that we see 5 is some (slight) evidence that there is maybe at least one $B_{1} B_{2}$ haplotype in the sample:
EM estimates $q_{4}$ as about 0.005 , so expected $\#\left(B_{1} B_{2}\right)$ is $410 q_{4} \approx 2$.

