## Lecture Notes for Chapter 8 of MACROECONOMICS: An Introduction

$\qquad$ How the Fed Moves the Economy

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## In this chapter we will discuss -

$\bullet$ ROI (what?) and capital budgeting.

- How the impact of interest rates on the demand for investment goods gives the Fed a lever to move the economy.
- How the impact of Fed actions are divided between output (real GDP) and prices.
$\bullet$ The Quantity Theory of Money.


## The story in brief:

- Monetary policy moves interest rates.
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- Interest rates influence demand for capital goods and durable consumer goods. $\qquad$
- A change in demand affects:
- sales \& production, $\qquad$
- prices,
- employment \& wages. $\qquad$
$\qquad$


## Should you buy a new delivery van for your business?

- An MBA will ask "What is the ROI?"
- Return On Investment $\qquad$
- ROI = Gain/Cost; like yield on a bond.
- Gain = net revenue + (resale value - cost)
- Net revenue includes cost savings, like the coupon on a bond.
- (resale value - cost) is price change, $\qquad$ negative due to depreciation


## Suppose

- A new van saves you $\$ 8,000$ in expenses, it costs $\$ 15,000$ now, $\qquad$ worth $\$ 12,000$ in a year.
- Gain is $\$ 8,000+(\$ 12,000-\$ 15,000)$ $\qquad$
$-\mathrm{ROI}=(8+12-15) / 15=5 / 15=.33=33 \%$
$\bullet$ Sounds good. Should you buy that van?
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| Potential Investment Projects |  |  |
| :---: | :---: | :---: |
| Ranked by ROI |  |  |
| - Project: | Cost | ROI |
| - Van | \$15,000 | 33\% |
| - Freezer | \$7,500 | 25\% |
| - Pasta machine | \$2,000 | 20\% |
| - Espresso maker | \$3,000 | 15\% |
| - Display shelving | \$12,000 | 10\% |
| - Satellite phone | \$1,100 | 5\% |



## How the interest rate affects

the demand for capital goods.


How will a change in interest rate affect the market for trucks?

- It will shift the demand curve
- That will alter
- production of trucks
- price of trucks.
- Let's see how supply and demand make this happen

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## Full capacity is a soft wall

- Not an exact number of units, rather -

A threshold where costs rise sharply.
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## The "Natural" or "Full Capacity" Level of Real GDP

- For the whole economy there is also a
"full capacity" output.
- Beyond that, increases in production are accompanied by sharply higher prices.
- Also called the "natural" or "full employment" rate of output
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## The labor market when Fed stimulates aggregate demand




## Workers realize that a dollar buys

 less than it used to.
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## Limitations of Monetary Policy

- It can stabilize economy near its
'natural' level of output and unemployment.
- It cannot change those 'natural' levels.
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## The Quantity Theory of Money

- Consider this thought experiment:
- Fed boosts money supply 10\%.
- Real GDP is already at its natural level.
- What happens to real GDP and price level?


## The sequence will be:

## Interest rates fall.

- That increases demand for durable goods, and $\qquad$ thus aggregate demand.
Real GDP rises above natural level.
- Prices start to rise.
- Wages are bid up in the labor market.
$\qquad$
Higher wages push supply curves up. $\qquad$
- That causes prices to rise further.
- Output falls back towards its original level. $\qquad$
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## Using our money demand model:

- Money demand = money supply:
- $\mathrm{M}=\mathrm{k}(\mathrm{i}) \cdot \mathrm{GDP}=\mathrm{k}(\mathrm{i}) \cdot \mathrm{P} \cdot \mathrm{Q}$
- M is supply of money, $\qquad$
- $P$ is the price level (GDP deflator),

Q Q is the level of output (real GDP).
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- Now Fed boosts money supply by $10 \%$, $\qquad$ to $1.1 \cdot \mathrm{M}$


## A year or so later,

$\bullet \mathrm{Q}$ is again be at its natural level, since it grows by $3 \%$ per year, at $1.03 \cdot \mathrm{Q}$ $\qquad$

- Assume " $i$ " is the same after a year, so $\mathrm{k}(\mathrm{i})$ does not change. Thus:
- $1.10 \cdot \mathrm{M}=\mathrm{k}(\mathrm{i}) \cdot(\mathrm{x} \cdot \mathrm{P}) \cdot(1.03 \cdot \mathrm{Q})$
$\bullet x$ must be 1.07 . since solving we have
- $\mathrm{x}=1.10 / 1.03=1.068-1.10-1.03=1.07$ $\qquad$
- So the price level has risen by 7\%!


## Real growth absorbs 3\% of

 the $10 \%$ more money, the remaining $7 \%$ boosts price level.With nominal GDP higher by $10 \%$, supply and demand for money are again in balance at the original interest rate!


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## Does it still work today?

- 1960 to 1996: M1 was multiplied by 7.8.
- Real GDP multiplied by a factor of 3.
- Holding interest rate constant, k(i) constant,
- P should have multiplied by $7.8 / 3$, about 2.6 .
$\qquad$
- In fact, P rose even more: $\qquad$
- It was 4.7 times its 1960 level in 1996.


## Why didn't the QTM work exactly?

$-\mathrm{k}(\mathrm{i})$ varies inversely with interest rate.

- T bond yield up from $4 \%$ to $7 \%$. $\qquad$
- k(i) fell from . 27 in 1960 to .15 in 1996.
- Factors other than the interest rate affect k over long periods (credit cards reduce need for cash).

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