

PCC 589
Paleoclimatology

More on Isotopes in Ocean Sediments
Isotopes in Ice Cores

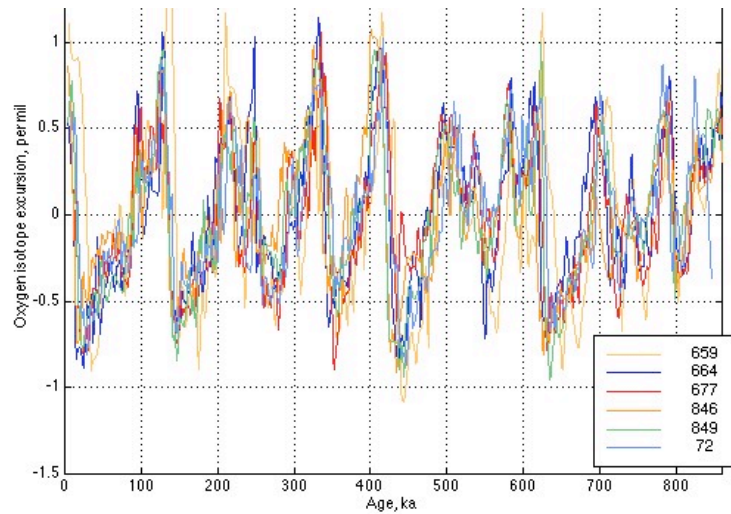
Oxygen isotopes in ice cores

H₂O is composed of both H₂¹⁶O and H₂¹⁸O

$$\delta^{18}O_{ice} = \frac{\left(\frac{H_2^{18}O}{H_2^{16}O}\right)_{ice} - \left(\frac{H_2^{18}O}{H_2^{16}O}\right)_{SMOW}}{\left(\frac{H_2^{18}O}{H_2^{16}O}\right)_{SMOW}} * 1000 \text{ ‰}$$

Review.

Benthic $\delta^{18}\text{O}$ from six equatorial records



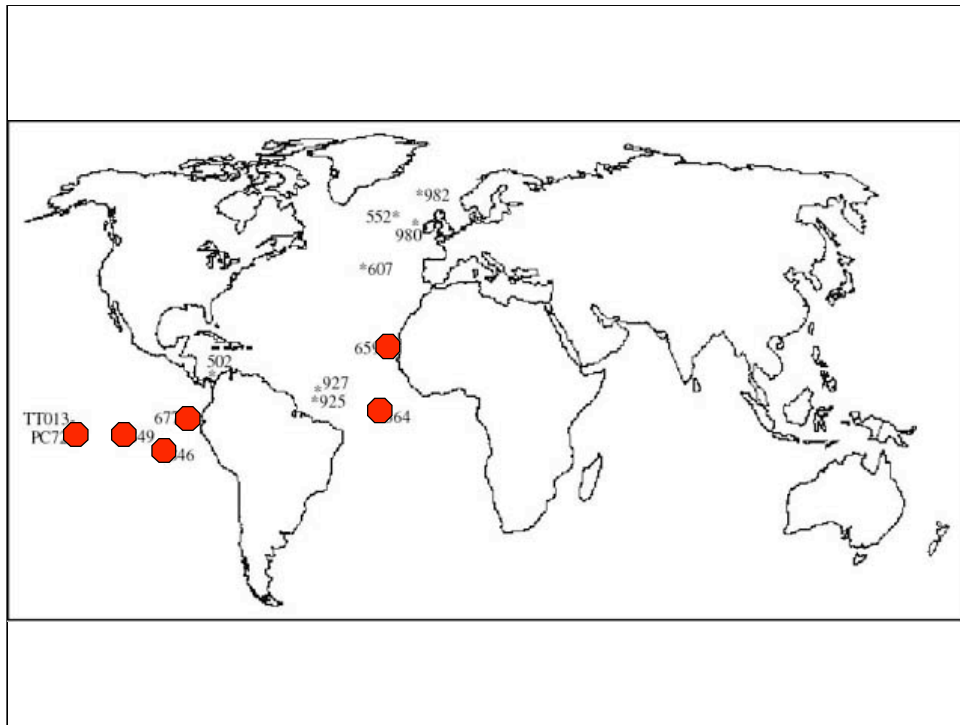
Last class we talked about the use of $\delta^{18}\text{O}$ in foraminifera as measures of the combination of temperature and ice volume.

I noted that globally, the observation is that one benthic core is generally like another, but one planktonic record can be quite different than another.

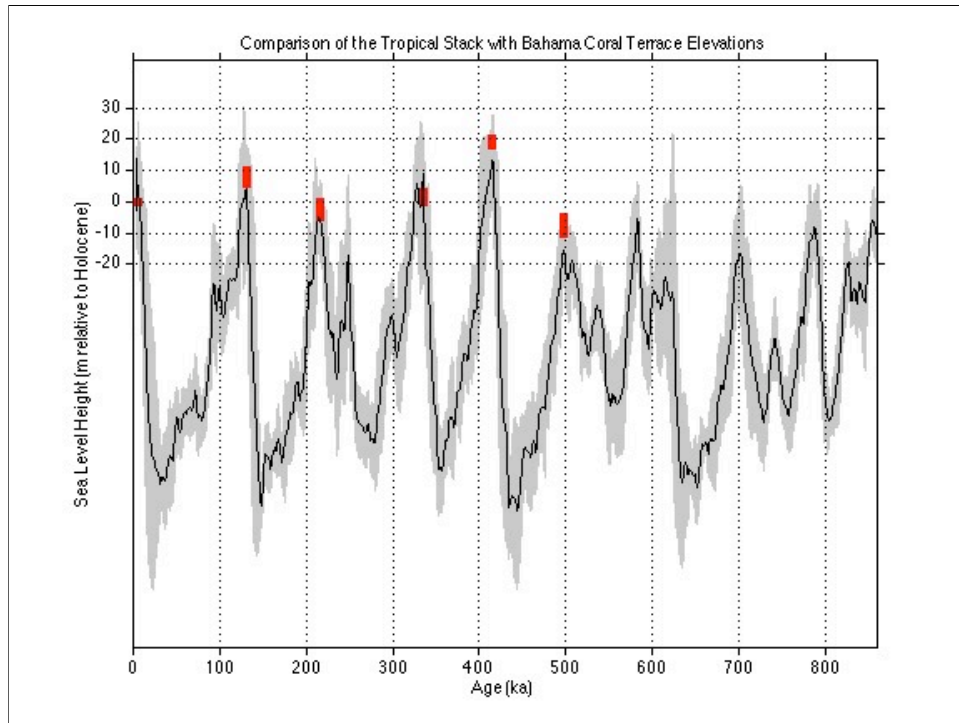
How similar are the benthic data? This graph shows a compilation of six equatorial records, locations shown on the next page.

This is from Karner at Berkeley.

<http://jlevine.lbl.gov/BenStackCompare.html>



This shows the locations used on the preceding slide. Note that cores shown but not marked with red were found to be “quite different” than the others. Nevertheless, that six cores from two different oceans give very similar results is strong support for the idea that the benthic records are “global” in what they represent.



How good is the assumption that the benthic data directly reflect ice volume (or sea level) rather than temperature change, as Shackleton suggested?

We'll make a calculation of this in our first problem set.

For now, note that independent measurements of sea level give a pretty consistent relationship with the benthic data.

This doesn't tell us what fraction of the d_{18O} change is due to ice volume, but it suggests that they scale linearly with each other (when it gets cold in the deep ocean by some amount, there is a corresponding amount of ice on land).

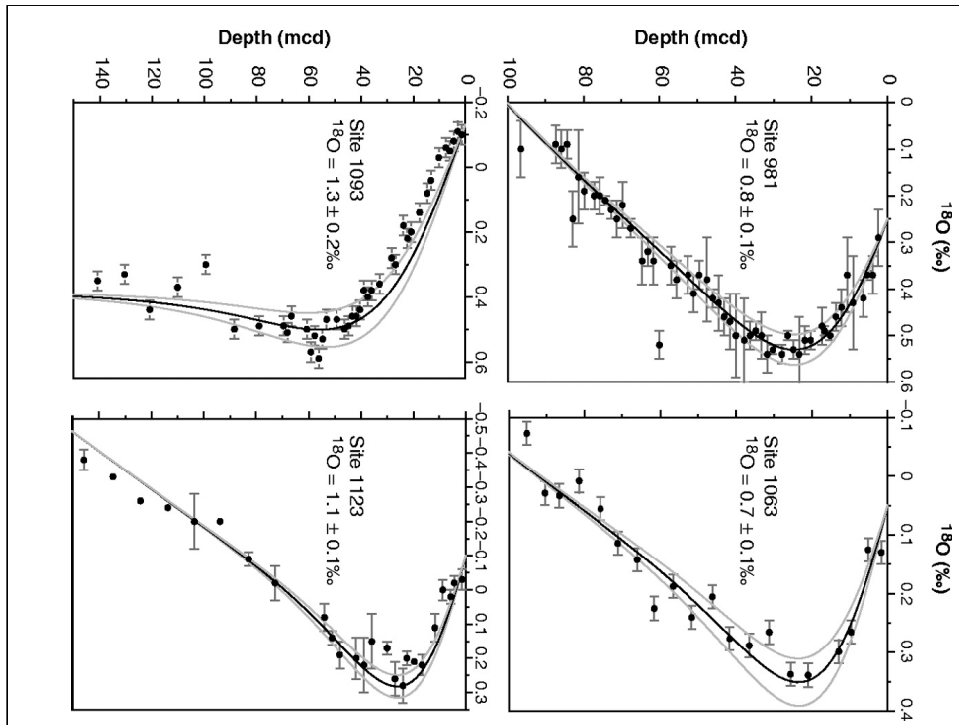
The sea level estimates are from Hearty and Kaufman (QSR, 2000), who have measured the elevations of coral terraces from the Bahamas, each the remnant of a different sea level highstand. The terrace elevation data cover the last six interglacial periods, and are plotted in red. The benthic stack is plotted behind them. The largest disagreement between the two data sets is about 8 m.

Note that the ages of the sea level high stands are NOT well known except for the most recent one (~127,000 years ago). However, the assumption that high sea level = either warm temperatures or little ice (or more likely both) is quite reasonable.



This is a photo of a coral terrace as an example -- note this one is quite a bit older (>3 Ma) than any we are discussing, but it shows the older sea level high stands (at least two of them) quite nicely.

Note that another way to form these terraces is to lift up the land, rather than lower sea level, so knowledge (e.g. from geodesy) of the tectonic uplift rate is important in estimates of sea level rise.

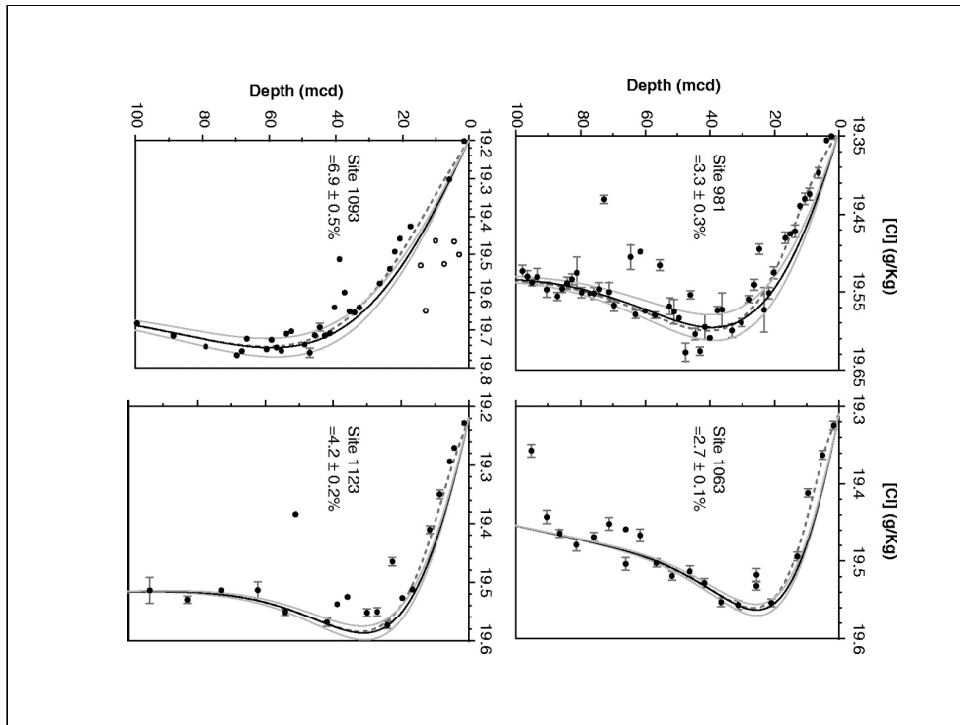


Another piece of evidence that supports the interpretation of benthic foram $\delta^{18}\text{O}$ in terms of ice volume is the $\delta^{18}\text{O}$ measurement of pore water, which is ancient sea water trapped in the sediment and cleverly retrieved without contamination. Because of diffusion the original $\delta^{18}\text{O}$ value of the sea water is not perfectly preserved, but there is memory of it, and if diffusion rates are known (or estimated), the original $\delta^{18}\text{O}$ of the ocean in the past can be deduced. The estimated last glacial maximum value is shown on each plot. It averages about 1 per mil.

Going back to figure (3), we can see that the total benthic $\delta^{18}\text{O}$ change from glacial to interglacial is about 1.5 per mil. Therefore, sea level change (or ice volume change) accounts for roughly 2/3 of the signal. The rest can be attributed to a cooling of about 2 degrees C, which is a satisfying number since deep ocean temperatures are now about 2 degrees above the freezing point (and there is no evidence the deep ocean froze).

The four figures are from **The Salinity, Temperature, and ^{18}O of the Glacial Deep Ocean** **Jess F. Adkins, Katherine McIntyre, Daniel P. Schrag** *Science*, Vol 298, Issue 5599, 1769-1773, 29 November 2002.

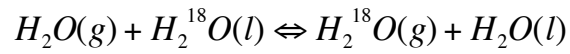
The model fit to the data is a 1-D diffusion scheme that includes the effects of compaction advection but assumes there is no effect from externally forced advection through the sediment column. Effective diffusion coefficients were derived empirically from a best-fit to the data, in an iterative way assuming different possible sea level and ice volume histories.



The estimates from the $\delta^{18}\text{O}$ measurements can be validated with salinity measurements, as shown here. The idea is simply that as sea level went down, salinity must have increased.

Also from Atkins et al., 2002.

Relationship between K and alpha for water evaporation



$$\Delta G = -RT \ln(K)$$

$$K \equiv \frac{[H_2^{18}O(g)][H_2O(l)]}{([H_2^{18}O(l)][H_2O(g)])}$$

$$1/K = \alpha = \frac{(H_2^{18}O/H_2O)_{liquid}}{(H_2^{18}O/H_2O)_{gas}}$$

Ice cores!

Recall that we can think of isotope exchange as chemical reactions.

For the simple evaporation of liquid water to water vapor, we can relate the fractionation factor alpha to the equilibrium constant K as shown.

(Note alpha does not always equal 1/K).

Note: l = liquid; g = gas (water vapor)

$$\Delta G_{rxn} = -RT \ln(K)$$

$$= 22 \text{ J at } 25 \text{ C}$$

$$K = 0.991$$

$$\alpha = 1/K = 1.009$$

In general, we can write $\Delta G = -RT \ln(K)$.

If the overall reaction has a positive ΔG , this means that free energy is gained by the reaction, so the lower energy side is the left side, and that is where the ^{18}O will reside preferentially.

So our equations say that the water liquid slightly prefers the ^{18}O .

$$\begin{aligned}
 \alpha &= \frac{(H_2^{18}O/H_2O)_{gas}}{(H_2^{18}O/H_2O)_{liquid}} \\
 &= \frac{(H_2O_{gas}/H_2O_{liquid})}{(H_2^{18}O_{gas}/H_2^{18}O_{liquid})} \\
 &= p_{16}/p_{18}
 \end{aligned}$$

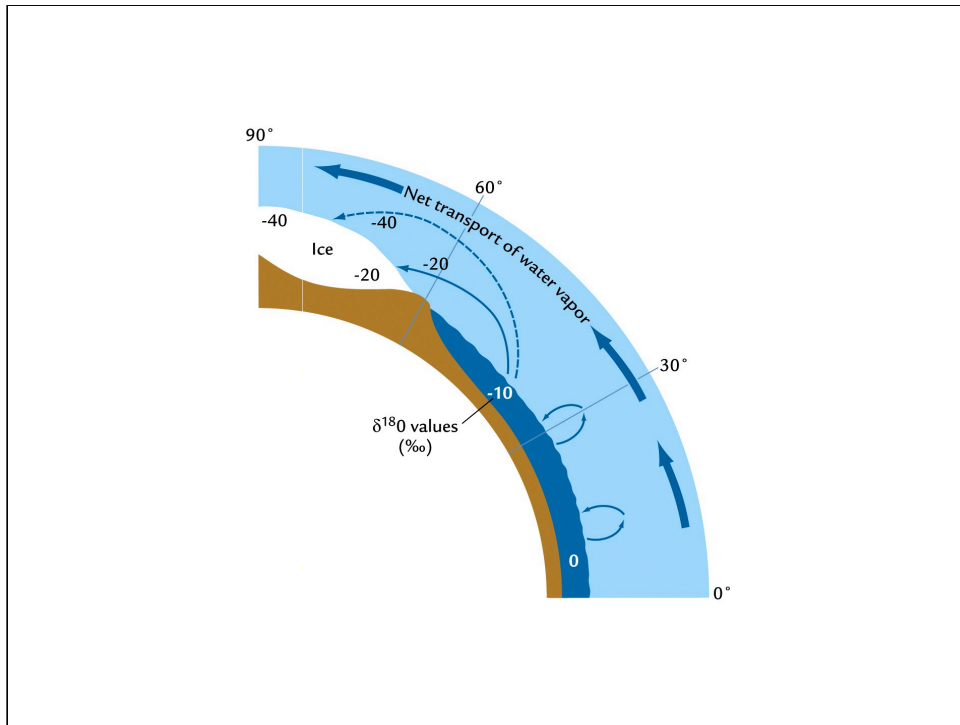
We can also express this as vapor pressure ratios.

alpha can be viewed as the ratio of vapor pressures.

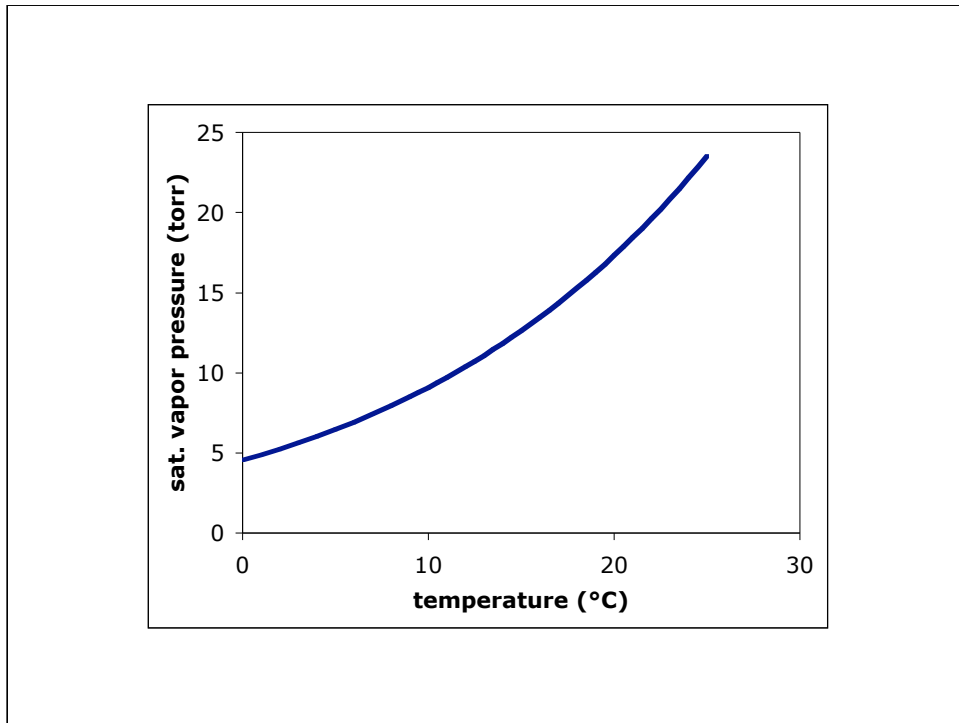
p is the partial pressure of vapor phase of the pure substance (e.g. pure H₂¹⁸O).

The “partial pressure” of the liquid phases of both are (at 1 atm) = 1 by definition, so these cancel.

H₂¹⁶O has a slightly higher vapor pressure than H₂¹⁸O, so alpha > 1.



Dansgaard's (1973) pioneering work imagined a global "Rayleigh distillation" system, in which water evaporated from the ocean at low latitudes and moved towards the poles at high latitudes, with preferential loss of the heavier isotope as air masses cooled to the dew point and lost water vapor to condensation (I.e. cloud formation) and precipitation.

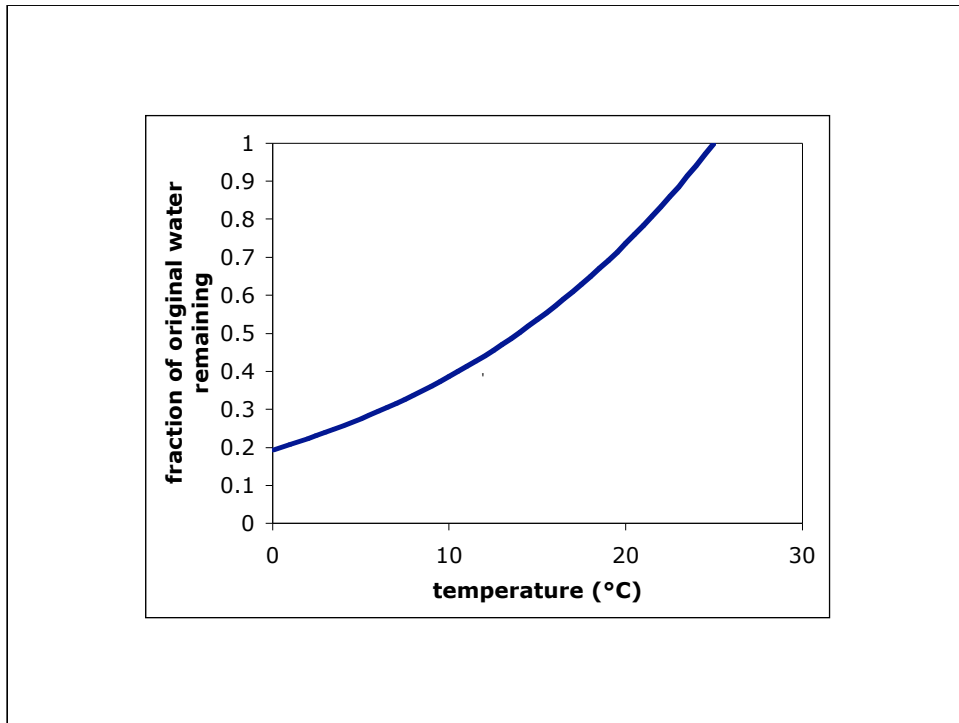


The conceptual model is as follows.

Start with a saturated air mass above the ocean surface at 25°C, and imagine that that the air travels poleward and that precipitation occurs as it cools.

Assume that

- 1) All cooling is by adiabatic processes.
- 2) The amount of water vapor remaining in the air at any point is determined by the saturation vapor pressure of water (see the figure).

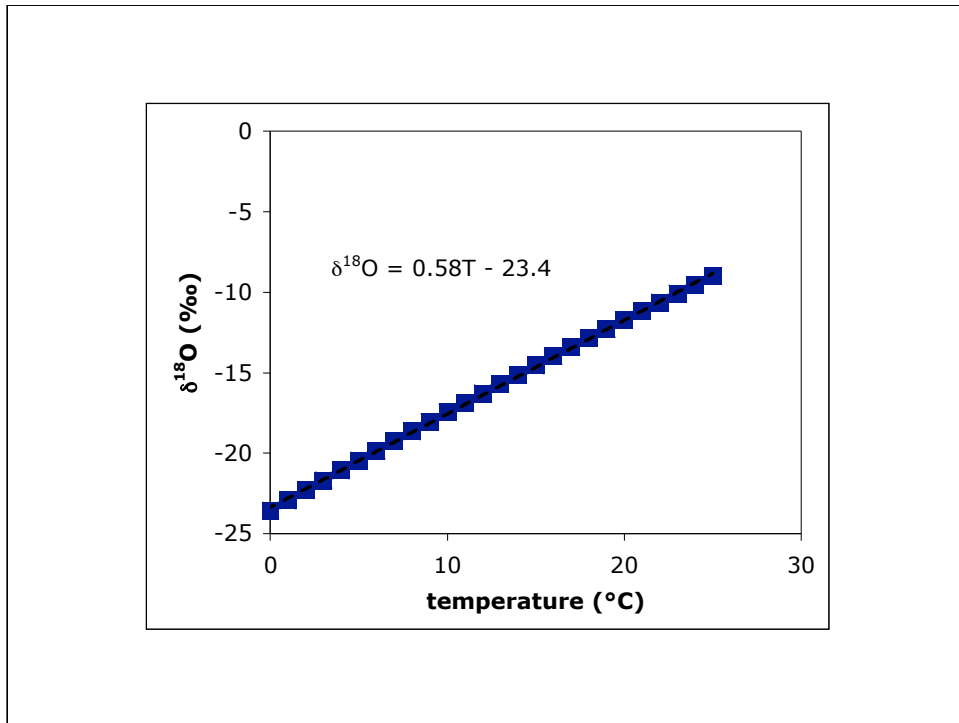


If there all isotopic exchange occurs in equilibrium, and if we approximate alpha as being independent of temperature, and we further assume that once water condenses it does not reevaporate, and that the air mass obtains no “new” water vapor as it moves poleward, then the simple Rayleigh distillation equation applies:

$$\text{Rayleigh distillation } R/R_i = f(\alpha - 1)$$

where f is the “fraction of water remaining in the air mass”, R is the 18O/16O ratio of the water vapor at any time, and R_i is the initial ratio.

$$\text{Note that } R/R_i = (\delta^{18}\text{O} + 1000) / (\delta^{18}\text{O}(\text{initial}) + 1000)$$



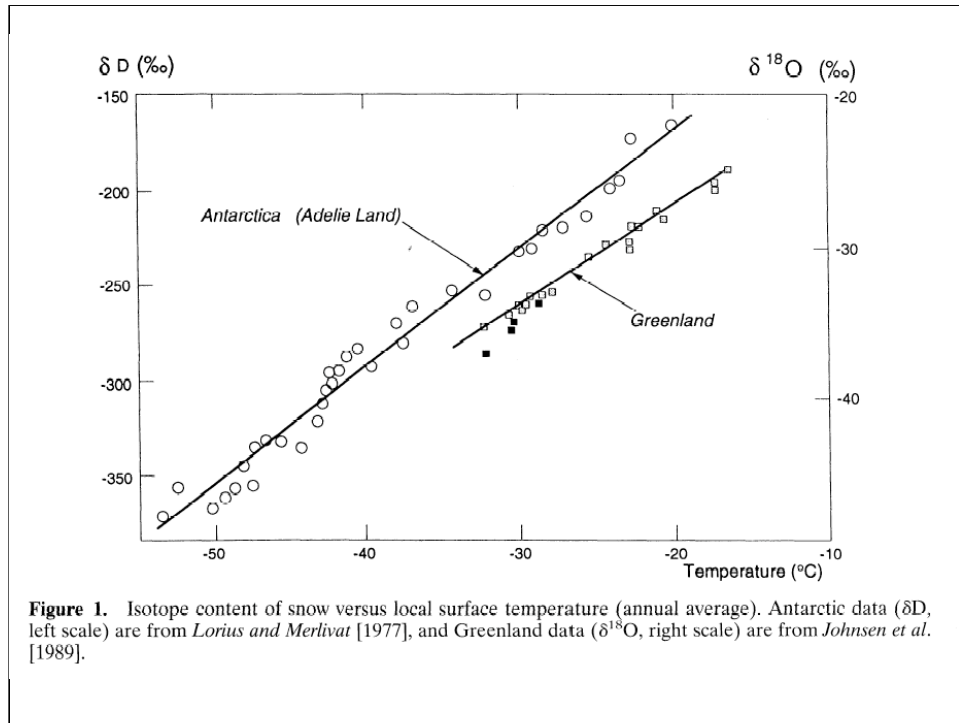
If we then plot T of the air mass vs. the del18O of the air mass, we obtain a slope of about 0.58, and a very nearly straight line.

Note that what is actually plotted is

$$(\text{del18O}(\text{initial})+1000)*f^{(\alpha-1)}-1000$$

Versus

T



Dansgaard (and others since) have found that the spatial relationship between T and $d18O$ in precipitation is very close to the value (about 0.6 per mil per degrees C) predicted by Dansgaard's Rayleigh model. That is, snow or rain from locations on the ice sheets that are colder (mean annual temperature) by some amount (x) also have mean annual $d18O$ values that are lower by an amount $\sim x/0.6$.

The assumption commonly made is that the SPATIAL relationship also ought to apply TEMPORALLY. That is, the idea is that going to a colder place is similar to staying in one place and getting colder.

If this is valid, then the $d18O$ of snow (or ice) from an ice core ought to be a measure of temperature over time.

Note two important additional assumptions for this to work: 1) the $d18O$ of the source water must not change and 2) the T at the source area must not change.

Both of these assumptions are reasonable because we expect that variations in the ocean are only ± 1 per mil, but we find variations in the ice sheets $\gg 8$ per mil from glacial to interglacial; we expect high latitude temperature changes to be much larger than low latitude changes. Also, the impact of Rayleigh distillation on $d18O$ ought to be greatest towards the end -- so this ought to work better at high latitudes than at low latitudes.

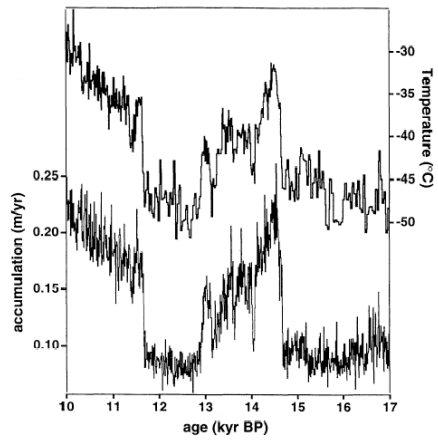
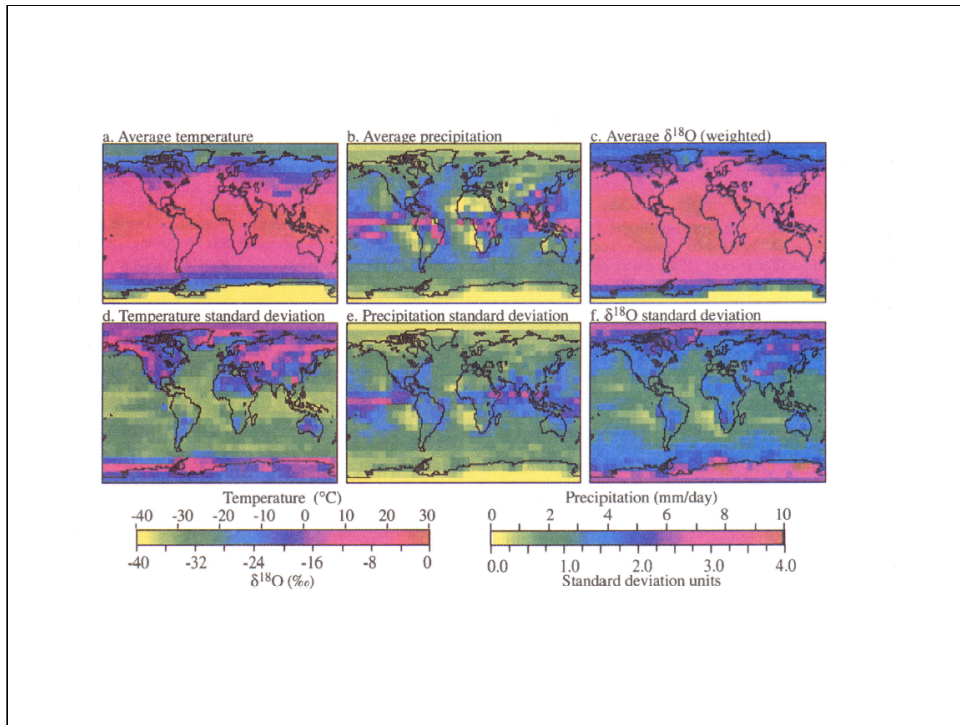


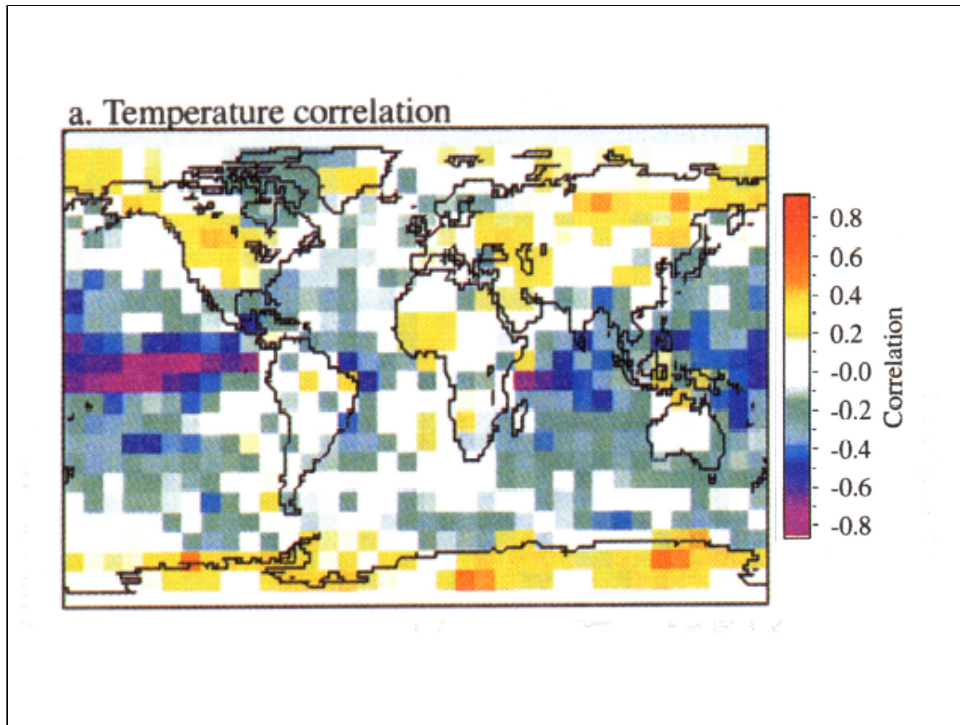
Figure 4. Comparison of the accumulation and δ records at the GISP2 site for the period between 18 and 10 kyr B. P. (adapted with permission from *Nature* [Kapsner et al., 1995]; copyright Macmillan Magazines Limited), in using a calibration of $0.33\text{‰}/^{\circ}\text{C}$ instead of $0.53\text{‰}/^{\circ}\text{C}$ (see text).

Some evidence that the general idea that the $\delta^{18}\text{O}$ is controlled by temperature via the “fraction of water remaining” is supported by the observation that on timescales of thousands of years, there is a very strong correlation between $\delta^{18}\text{O}$ (shown here converted to temperature) and precipitation rate on the Greenland ice sheet (this also works pretty well for the Antarctic ice sheet).

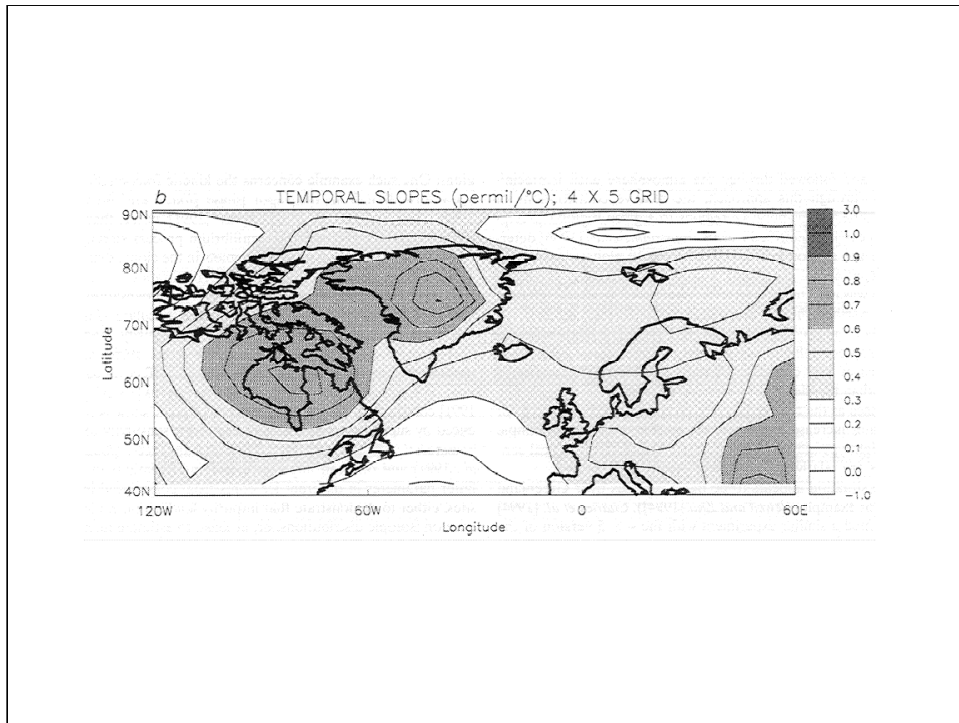
[Note though that the inferred slope of the T- $\delta^{18}\text{O}$ relationship is ~ 0.3 per mil per $^{\circ}\text{C}$, rather than 0.6].



General circulation model simulations confirm that the temperature/ $\delta^{18}\text{O}$ relationship should be quite strong spatially, with lower $\delta^{18}\text{O}$ values at higher latitudes. This suggests that the real complexities of the climate system that are ignored in the simple Rayleigh model are roughly averaged out, at least when considering high latitudes and long timescales.



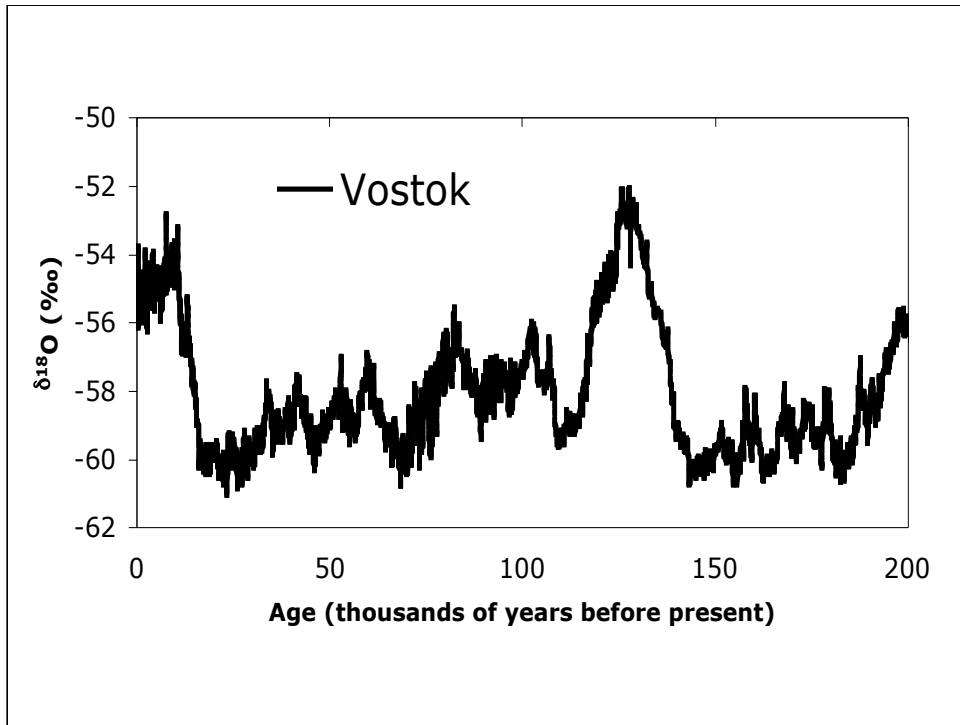
This shows the correlation, in a GCM simulation, between year-to-year variations in $\delta^{18}O$ and in temperature. Note that the idea that the simple Rayleigh model ought to work on such short timescales is asking a lot. Yet at high latitudes it isn't so bad -- roughly 50% of the variability in $\delta^{18}O$ can in fact be explained by temperature on these timescales. Note that the relationship falls apart completely, and actually comes negative, at low latitudes. So caution is urged in trying to interpret $\delta^{18}O$ directly in terms of temperature.



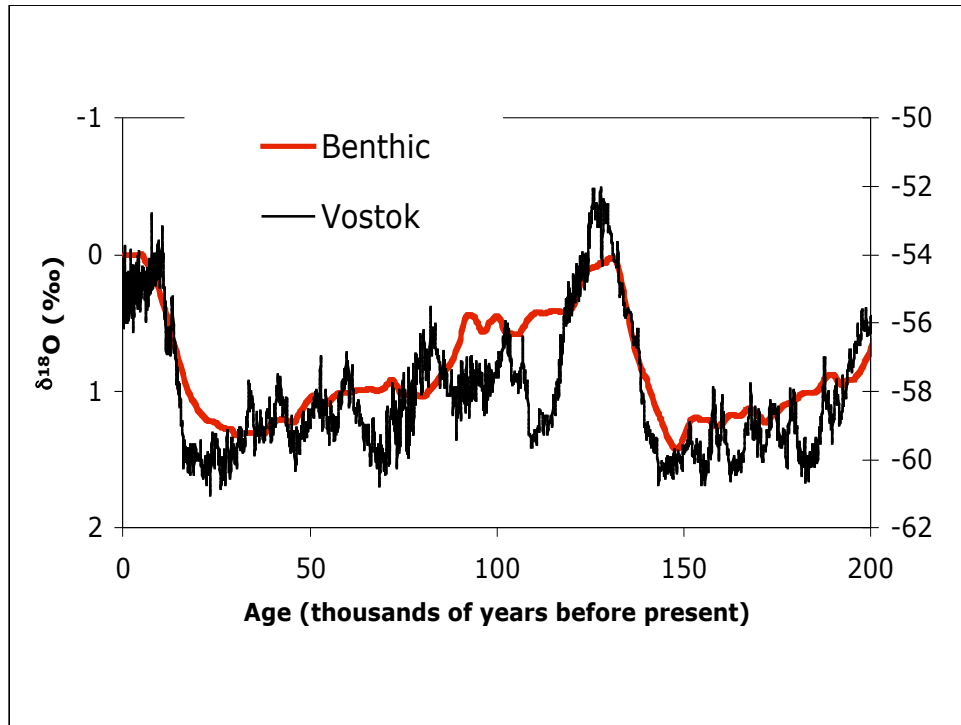
Nevertheless, it does seem to work pretty well on long timescales, at high latitudes where the ice cores are from.

This is another GCM simulation, which shows an estimate of how sensitive $\delta^{18}O$ is to temperature change as we go from glacial to interglacial climate. The results suggest that for Greenland, a change of 0.33 per mil implies a $1^{\circ}C$ change. (Note the figure title is wrong -- this should read $^{\circ}C/permil$).

This is in agreement with the estimates from slide 17.



Is there therefore reasonable to interpret this figure -- from the very famous Vostok ice core from central East Antarctica -- as a temperature history..



The relationship between ice volume (from benthic $\delta^{18}\text{O}$, left axis) and temperature (from Vostok ice core $\delta^{18}\text{O}$) is remarkably good.